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## Acquisition and Reconstruction Techniques for Fat Quantification Using Magnetic Resonance Imaging

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Graduate Program in Biomedical Engineering  
A thesis submitted in partial fulfillment of the requirements for the degree in Doctor of Philosophy  
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ACQUISITION AND RECONSTRUCTION TECHNIQUES  
FOR FAT QUANTIFICATION USING MAGNETIC RESONANCE  
IMAGING

(Thesis format: Integrated Article)

by

Abraam S. Soliman

Graduate Program in Biomedical Engineering

A thesis submitted in partial fulfillment  
of the requirement for the degree of  
Doctor of Philosophy

The School of Graduate and Postdoctoral Studies  
The University of Western Ontario  
London, Ontario, Canada

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2014

## Abstract

Quantifying the tissue fat concentration is important for several diseases in various organs including liver, heart, skeletal muscle and kidney. Uniquely, MRI can separate the signal from water and fat *in-vivo*, rendering it the most suitable imaging modality for non-invasive fat quantification. Chemical-shift-encoded MRI is commonly used for quantitative fat measurement due to its unique ability to generate a separate image for water and fat. The tissue fat concentration can be consequently estimated from the two images. However, several confounding factors can hinder the water/fat separation process, leading to incorrect estimation of fat concentration.

The inhomogeneities of the main magnetic field represent the main obstacle to water/fat separation. Most existing techniques rely mainly on imposing spatial smoothness constraints to address this problem; however, these often fail to resolve large and abrupt variations in the magnetic field. A novel convex relaxation approach to water/fat separation is proposed. The technique is compared to existing methods, demonstrating its robustness to resolve abrupt magnetic field inhomogeneities.

Water/fat separation requires the acquisition of multiple images with different echo-times, which prolongs the acquisition time. Bipolar acquisitions can efficiently acquire the required data in shorter time. However, they induce phase errors that significantly distort the fat measurements. A new bipolar acquisition strategy that overcomes the phase errors and provides accurate fat measurements is proposed. The technique is compared to the current clinical sequence, demonstrating its efficiency in phantoms and *in-vivo* experiments. The proposed acquisition technique is also applied on animal models to achieve higher spatial resolution than the current sequence.

In conclusion, this dissertation describes a complete framework for accurate and precise MRI fat quantification. Novel acquisitions and reconstruction techniques that address the current challenges for fat quantification are proposed.

**Keywords:** Chemical-shift imaging, water/fat imaging, fat quantification, field map estimation, bipolar acquisition, continuous max-flow.

## Co-Authorship Statement

Chapter 2 is adapted from a published work in Springer Lecture Notes in Computer Sciences (LNCS) of Medical Image Computing and Computer-Assisted Intervention (MICCAI) 2012, entitled: “*A Convex Relaxation Approach to Fat/Water Separation with Minimum Label Description*” by Abraam Soliman, Jing Yuan, James White, Terry Peters, and Charles McKenzie. I provided the initial idea for the work and implemented the main framework of the technique, implemented the energy function, modified the max-flow algorithm (first stage of a two-stage method) and implemented the second stage. I also performed all the necessary testing, validation and writing of the manuscript. Jing Yuan provided the core implementation of the continuous max-flow algorithm, provided assistance in the problem formulation, and assisted in the revision of the manuscript. James White provided clinical guidance in cardiac imaging and in the validation of the results, and assisted in the revision of the manuscript. Terry Peters provided mentorship and guidance of the work, and assisted in the revision of the manuscript. Charles McKenzie provided advice in the experimental validation, data acquisition, assisted in the revision of the manuscript and mentored the work. *In-vivo* data acquisition was done by Trevor Szekeres at Robarts Research Institute, London, ON.

Chapter 3 is adapted from a published work in Magnetic Resonance in Medicine 2014, entitled: “*Max-IDEAL: a max-flow based approach for IDEAL water/fat separation.*” by Abraam Soliman, Jing Yuan, Karl Vigen, James White, Terry Peters, and Charles McKenzie. I provided the initial idea for the work and implemented the main framework of the technique, developed the energy function, modified the max-flow algorithm and implemented the second stage of the technique. I also performed all the necessary testing, validation and writing of the manuscript. Jing Yuan provided the core implementation of the continuous max-flow algorithm and assisted in writing the Theory section of the manuscript. Karl Vigen provided the cardiac IDEAL pulse sequence. James White provided clinical guidance in the

validation of the results. Terry Peters provided mentorship and guidance of the work, and assisted in the preparation of the manuscript. Charles McKenzie provided advice in the experimental validation, data acquisition, assisted in the revision of the manuscript and mentored the work.

Chapter 4 is adapted from an article completed for submission to Magnetic Resonance in Medicine, entitled: "*Fat quantification Using an Interleaved Bipolar Acquisition*" by Abraam Soliman, Curtis Wiens, Trevor Wade, Terry Peters and Charles McKenzie. Charles McKenzie and I provided the idea of the phase-corrected acquisition/reconstruction strategy. I was responsible of the main implementation of the MRI pulse sequence and the implementation of the reconstruction framework. I also performed the data acquisition, sequence testing, experimental validations, analysis of phantoms and *in-vivo* results. Curtis Wiens assisted in the pulse sequence programming, provided the implementation for the parallel imaging reconstruction and assisted in the revision of the manuscript. Trevor Wade provided guidance in pulse sequence programming, and assisted in the analysis of the data and in the revision of the manuscript. Terry Peters provided guidance and assistance in the revision of the manuscript. Charles McKenzie mentored the work, provided guidance in data acquisition and analysis, and assisted in the revision of the manuscript. *In-vivo* data acquisition was done by Trevor Szekeres at the Robarts Research Institute, London, ON.

Chapter 5 is adapted from an article in preparation to be submitted to the Journal of Magnetic Resonance Imaging, entitled: "*An Efficient Chemical-shift Encoded Acquisition for in-vivo Applications*" by Abraam Soliman, Lanette Friesen-Waldner, Kevin Sinclair, Timothy Regnault, Terry Peters and Charles McKenzie. I performed the data acquisition and reconstruction, experimental validations, data analysis and the writing of the manuscript. Lanette Friesen-Waldner, Kevin Sinclair, and Timothy Regnault assisted in the preparation and the handling of the animals. Terry Peters provided mentorship of the work. Charles McKenzie provided guidance in the design of experiments, data analysis, assisted in the revision of the manuscript and mentored the work.

*Dedicated to  
my Mother, Father and Brother*

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# List of Abbreviations

<b>2D</b>	Two dimensional
<b>3D</b>	Three dimensional
<b>BW</b>	Acquisition bandwidth
<b>EPI</b>	Echo-planar imaging
<b>ETL</b>	Echo-train length
<b>FLAME</b>	Fat-likelihood analysis for multi-echo signals
<b>FOV</b>	Field of view
<b>FT</b>	Fourier transform
<b>GE</b>	Gradient-echo sequence
<b>GRAPPA</b>	Generalized auto-calibrating partially parallel acquisitions
<b>GPGPU</b>	General-purpose computing on graphics processing unit
<b>GPU</b>	Graphics processing unit

<b>Hz</b>	Hertz
<b>IDEAL</b>	Iterative decomposition of water and fat with echo asymmetry and least-squares
<b>MDL</b>	Minimum description length
<b>MRI</b>	Magnetic resonance imaging
<b>NEX</b>	Number of excitations
<b>NSA</b>	Number of signal averages
<b>R<sub>2</sub><sup>*</sup></b>	Effective transverse relaxation time
<b>RF</b>	Radio frequency
<b>ROI</b>	Region of interest
<b>SE</b>	Spin-echo sequence
<b>SENSE</b>	Sensitivity encoding (parallel imaging reconstruction)
<b>SNR</b>	Signal to noise ratio
<b>SPGR</b>	Spoiled gradient-recalled echo
<b>ΔTE</b>	Inter-echo spacing
<b>T</b>	Tesla
<b>T<sub>1</sub></b>	Longitudinal relaxation time
<b>TE</b>	Echo-time
<b>TR</b>	Repetition Time

*“A journey of a thousand miles begins with a single step”*  
- Laozi (Chinese philosopher)

# Chapter 1

## Introduction

### 1.1 Motivation

Fat is an important diagnostic marker in many clinical applications, including liver [1], cardiac [2, 3], musculoskeletal system [4, 5], kidney [6], bone marrow [7, 8], measurement of total body fat [9], quantifying visceral adipose tissue [10], as well as distinguishing between white and brown adipose tissue [11, 12]. In liver applications for example, non-alcoholic fatty liver disease (NAFLD), one of the most common chronic liver conditions, is characterized by fatty infiltration of the liver [13, 14], and quantification of fat is necessary in the diagnostic process. Fat signal is also a relevant diagnostic marker of cardiac diseases such as myocardial fatty infiltration [15], which is associated with sudden cardiac death [16], arrhythmogenic right ventricular dysplasia (ARVD) [17] and chronic myocardial infarction [18]. Additionally, interest in measuring the epicardial and intra-thoracic fat has markedly increased in the last decade [2, 19], with some studies suggesting

such fat deposits to be strongly correlated with the presence of coronary artery disease [20].

Among different medical imaging modalities, Magnetic Resonance Imaging (MRI) is well suited for fat quantification for its ability to separate the signals from water and fat in the human body. Uniquely, MRI can exploit small differences in the frequency of signals received from different chemical species to generate individual images of each species. Water and fat are the main sources of signal in MR images for most clinical applications. MRI can distinguish between water-based and fat-based tissues producing fat-suppressed (water-only) and water-suppressed (fat-only) images, which are commonly needed in clinical diagnosis.

Fat quantification is usually performed in terms of *fat fraction*, which is the ratio of the fat signal to the total signal from both water and fat. A typical example is the measurement of liver fat in NAFLD patients, where the fat fraction of healthy liver should not exceed 5% [13]. Therefore, accurate and precise fat measurement is required. Several confounding factors can bias the fat fraction measure and must be considered during signal acquisition and reconstruction. These factors include, but not limited to, the tissue-specific relaxation times (such as  $T_1$  and  $T_2^*$ ) and the inhomogeneities of the main magnetic field.

In this dissertation we will propose novel acquisition and reconstruction techniques to address the limitations that hinder the process of accurate and precise fat quantification. In this chapter we will revisit the basics of MRI and the gradient-echo pulse sequence. Then we will introduce water/fat imaging with all the confounding factors that need to be addressed for quantitative fat imaging. In the following chapters, we will first propose new techniques to estimate the magnetic field inhomogeneities, which are the main obstacle for successful water/fat separation. We will then propose a new acquisition strategy for water/fat imaging and then demonstrate it for *in-vivo* applications in animals and humans.

## 1.2 Magnetic Resonance Imaging

### 1.2.1 Principles of Magnetic Resonance Imaging

MRI relies on a strong magnetic field,  $B_0$ , which polarizes the nuclear spins in parallel and anti-parallel directions with respect to the main magnetic field. In the presence of an external magnetic field, the nuclear spins are polarized along the main field, leading to a net magnetization in the parallel direction. The precession frequency of the nuclear spins can be described by the Larmor equation as follows:

$$\omega_0 = \gamma B_0 \quad (1.1)$$

where  $\omega_0$  is called the Larmor frequency and  $\gamma$  is the gyromagnetic ratio of the nucleus being imaged. Most of the clinical MRI scans targets the Hydrogen proton  $^1\text{H}$  as it is the dominant nucleus in the human body. For  $^1\text{H}$ ,  $\gamma$  is equal to  $2.68 \times 10^8$  rad/s/Tesla. The commonly used value is  $\gamma = \gamma / (2\pi) = 42.6$  MHz/Tesla.

The net magnetization,  $M$ , resulting from the polarized spins cannot be detected as long as it aligns along the direction of the main magnetic field. Hence, an additional magnetic field,  $B_1$ , is applied to tilt the magnetization away from the  $B_0$  direction. This process can be described through the Bloch equation as follows:

$$\frac{d\vec{M}}{dt} = \vec{M} \times \vec{B} \quad (1.2)$$

where

$$\vec{B} = \vec{B}_0 + \vec{B}_1 \quad (1.3)$$

Equation 1.2 is a simplified version of the Bloch equation where the relaxation times are neglected. The  $B_1$  magnetic field is generated by a radiofrequency pulse (RF pulse) applied through a 'transmit' coil tuned at the Larmor frequency. In equilibrium,  $M$  is aligned with  $B_0$  along the longitudinal ( $\hat{z}$ ) direction. As of Equation 1.2, once the RF pulse is applied along  $\hat{x}$  or  $\hat{y}$  direction, the magnetization vector  $M$  is tipped with an angle  $\alpha$  away from the longitudinal axis towards the transverse



plan (x-y plan). The tipping (or flip) angle is determined by the magnitude of the RF pulse,  $B_1$ , and its duration  $\tau$ , such that:

$$\alpha = \gamma \int_0^{\tau} B_1(t) dt \quad (1.4)$$

Following the RF excitation both the longitudinal and transverse components of the magnetization start to relax via two mechanisms: First the longitudinal relaxation described by the time constant  $T_1$ , where the magnetization starts to relax back to its equilibrium state along the  $\hat{z}$  direction. This is called the spin-lattice relaxation as it results from the interaction between the spins and the surrounding lattice. The second relaxation process is a transverse relaxation resulting from the interactions between spins, hence called the spin-spin relaxation. It results from the 'dephasing' of the spins and is governed by a time constant  $T_2$ . The two relaxation processes can be described through the Bloch equation:

$$\frac{d\vec{M}}{dt} = \vec{M} \times \vec{B} - \frac{M_x \hat{x} + M_y \hat{y}}{T_2} - \frac{(M_z - M_0) \hat{z}}{T_1} \quad (1.5)$$

Shortly after the RF excitation, the signal is sampled at a time 'TE' (or echo time) and detected through a 'receiver' coil. The detected signal is proportional to the magnitude of the transverse component of the magnetization,  $M_{xy}$ , and can be derived from the Bloch equation above (Equation 1.5). For example, if a pulse with  $\pi/2$  flip angle is applied, the initial magnetization  $M_{init}$  will be fully tipped to the transverse plan. Ideally, immediately after the RF pulse at time  $t = 0$ , the magnetization vector  $M_z(0) = 0$  and  $M_{xy} = M_{init}$ . The magnetization vectors at time  $t$  can be then derived from Equation 1.5, resulting in the following components:

$$M_z(t) = M_{init} \left(1 - e^{-t/T_1}\right) \quad (1.6)$$

$$M_{xy}(t) = M_{init} \cdot e^{-i\omega_0 t} \cdot e^{-t/T_2} \quad (1.7)$$

Hence the magnitude of the detected signal at time ‘TE’ will be proportional to  $M_{init} \cdot e^{-TE/T_2}$ . If we started from the equilibrium state, then  $M_{init} = M_0$ . The received signal is therefore proportional to the bulk spin density,  $\rho$ , in the excited volume.

### 1.2.2 Spatial Encoding

So far we have introduced two sources of magnetic fields, the main magnetic field,  $B_0$ , and the RF pulse. In order to ‘encode’ the spatial position of received signal, additional magnetic fields, called gradients, are employed. A gradient is a linearly varying magnetic field added to the static field to distinguish the spins along a certain direction. For example in the  $x$ -direction it is given by:

$$B(x, t) = B_0 + x G_x(t) \quad (1.8)$$

where  $G_x$  is a constant gradient in the  $x$ -direction. The precession frequency will therefore vary along the  $x$ -direction. Demodulating the Larmor precession, the phase accrual occurring due to the applied gradient is given by:

$$\varphi_x(x, t) = -\gamma x \int_0^t G_x(t') dt' \quad (1.9)$$

Similarly, a gradient is added in the  $y$ -direction, also causing an accumulation of phase along this direction. For a 2D acquisition, the received signal is now the product of the excited spin density with the gradients-induced phase terms along the two directions:

$$S(x, y) \propto \iint \rho(x, y) e^{-i(\varphi_x(x,t) + \varphi_y(y,t))} dx dy \quad (1.10)$$

Defining  $k_x$  and  $k_y$  as the spatial frequencies in the  $x$ - and  $y$ - directions respectively, Equation 1.10 can be written as follows:

$$S(k_x, k_y) \propto \iint \rho(x, y) e^{-i2\pi(k_x x + k_y y)} dx dy \quad (1.11)$$

where

$$k_x = \frac{\gamma}{2\pi} \int_0^t G_x(t') dt' \quad (1.12)$$

$$k_y = \frac{\gamma}{2\pi} \int_0^t G_y(t') dt' \quad (1.13)$$

Neglecting the relaxation terms, Equation 1.11 is the form of a 2D Fourier transform (FT) of the spin density  $\rho(x, y)$ . Hence, an inverse 2D FT of the encoded signal will be a representation of the distribution of the underlying spin density, i.e.  $\rho(x, y) = FT^{-1}[S(k_x, k_y)]$ .

Equation 1.11 shows that MRI spatial encoding is achieved in terms of  $k_x$  and  $k_y$ , i.e. the signal data is a representation of the spatial frequencies of the spin density, and is therefore called  $k$ -space. The  $k_x$  direction is called the frequency encode or the readout direction, while the  $k_y$  is called the phase encode direction. For a 3D acquisition, another phase encode direction,  $k_z$ , is employed through the linear gradient  $G_z$ . Most of the clinical scans follow a Cartesian trajectory during the acquisitions, where one phase-encode line is acquired at each repetition time (TR). Before acquiring the signal at each line, the  $y$ -gradient is modified one step ( $\Delta k_y$ ) to target a new spatial location in the phase-encode direction. The  $x$ -gradient, however, is turned on during the signal acquisition to capture the samples in the readout direction. The length of the readout for one echo depends on the receiving bandwidth and the number of samples in the frequency-encode direction, where the receiving bandwidth defines the number of samples collected per unit time.

For any type of acquisition, a pulse sequence is used to describe the magnitudes and the timings of the gradients waveforms, the RF pulses as well as the data acquisition. There exist a wide variety of MR pulse sequences, mainly categorized in two branches: gradient-echo sequences (GE) and spin-echo sequences (SE). For the purpose of this dissertation, we describe next the concepts of GE sequences.

### 1.2.3 Gradient-echo Sequences

Although water/fat imaging can be performed with SE-based sequences, GE-based sequences are usually used as they are generally faster, particularly for 3D imaging [21]. In contrast to SE, GE sequences do not employ RF refocusing pulses ( $\pi$ -pulse) and hence shorter TRs can be achieved as there is no need to wait for the  $T_1$  recovery time. The TR is directly proportional to the scan time, so shorter acquisitions are achieved with GE. This is particularly important when time-restricted water/fat acquisitions are required, for example whole-liver fat quantification in a single breath-hold ( $\sim 20$ s).

As refocusing pulses are not applied,  $B_0$  field inhomogeneities cause an additional source of dephasing, in addition to the spin-spin relaxation. In other words, the time constant  $T_2$  in the signal equation will be replaced by  $T_2^*$ , such that:

$$1/T_2^* = 1/T_2' + 1/T_2 \quad (1.14)$$

where  $T_2'$  is the relaxation factor resulting from the local field inhomogeneities. In contrast to  $T_2$  relaxation which is an intrinsic property of the tissue,  $T_2'$  depends on different factors including: the shimming of the magnet as well as variations in the magnetic susceptibility of the tissues within the patient [22, 23]. Measuring  $T_2^*$  is useful in various clinical applications, for example, detecting hemorrhage [24] and assessing the iron overload in liver diseases [25]. However, as  $T_2^*$  relaxation is shorter than  $T_2$ , the transverse magnetization decays faster. This makes GE images more prone to signal loss artifacts than spin-echo sequences [21, 23].

In order to understand the image produced by a GE acquisition, we must consider how the pulse sequence affects signal intensity. There is a single RF pulse in each TR of the sequence. All the RF pulses have the same flip angle  $\alpha$ . After a number of excitations, the longitudinal magnetization reaches a *steady state*. Assuming that the transverse magnetization is zero at the beginning of each RF excitation, the GE signal can be described as follows:

$$S = M_0 \frac{(1 - e^{-TR/T_1})}{(1 - \cos \alpha \cdot e^{-TR/T_1})} \cdot e^{-TE/T_2^*} \cdot \sin \alpha \quad (1.15)$$

In order to achieve zero transverse magnetization before each RF pulse, 'spoiling' the signal from previous excitations is necessary. The sequence is therefore called spoiled gradient-echo or SPGR. RF spoiling is a commonly used spoiling technique; it employs different phases for the RF pulse at each TR. Another spoiling approach is to apply additional gradient lobes on the 3 axes at the end of the TR to ensure the spoiling in all the directions. This requires that the area of any of the 3 gradients must not vary from TR to TR; otherwise the spoiling will be spatially dependent. The pulse sequence diagram of SPGR is shown in Figure 1.1

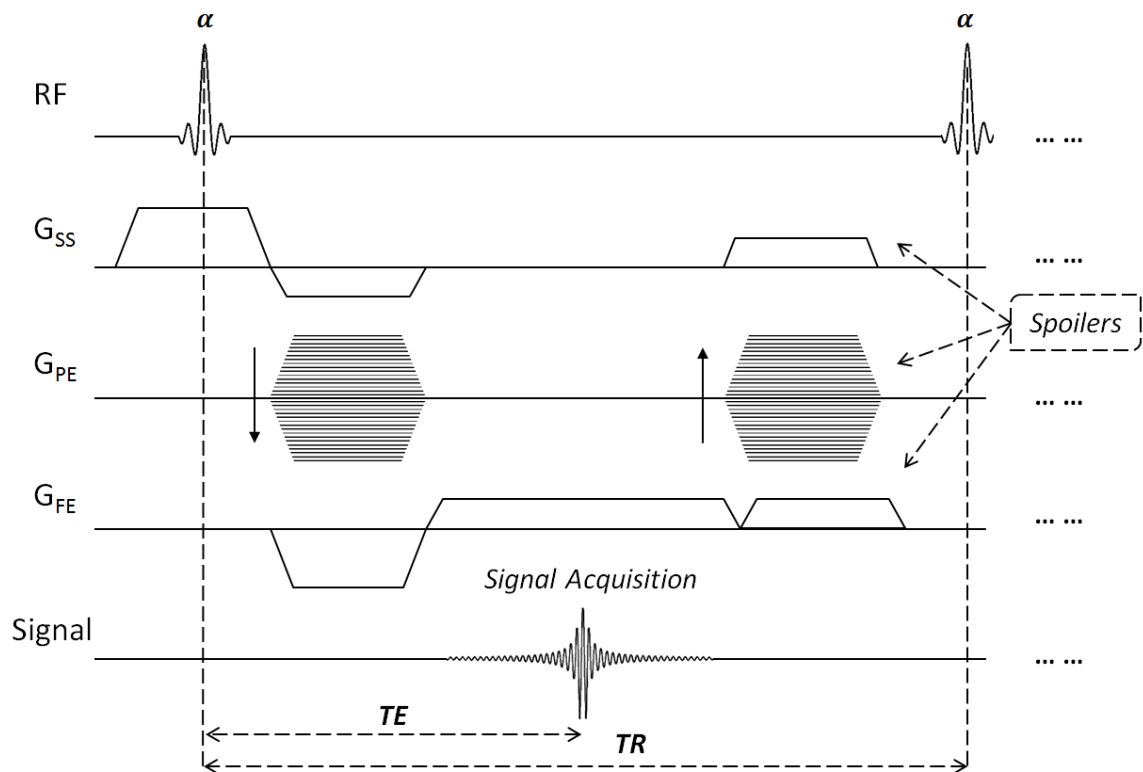


Figure 1.1: A generic SPGR pulse sequence diagram. Here an RF pulse with  $\alpha$  flip angle is applied.  $G_{SS}$  is the slice-encode gradient;  $G_{PE}$  is the phase-encode gradient and  $G_{FE}$  is the frequency-encode gradient. TE is the echo-time of the acquired signal; TR is the repetition time. Spoilers are indicated at the end of the TR.

## 1.3 Water/Fat Imaging

Water and fat protons are the main sources in  $^1\text{H}$  proton MR images. The suppression of fat signal is desirable whenever it obscures the underlying pathology as in breast imaging [26], head and neck imaging [27] or cardiac imaging [28]. On the other hand, detection of the fat signal is of a clinical interest in other applications such as the quantification of liver fat deposition in non-alcoholic fatty liver diseases (NAFLD) [14, 25, 29], diagnosis of myocardial fatty infiltration [15] and detection of renal angiomyolipoma [6]. In such applications, suppressing the water signal is instead required. Uniquely, chemical-shift-encoded water/fat imaging allows the separation of water and fat, while preserving both signals. It provides a water-only (fat-suppressed) and fat-only (water-suppressed) images, which makes it useful for a wide variety of clinical needs.

### 1.3.1 Chemical-Shift-Encoded Water/Fat Imaging

This technique exploits the frequency spectrum of fat and water signals. Because of the difference of electronic shields, the protons of fat molecules ‘see’ different magnetic field than what is observed by the protons in water molecules. This gives rise to a difference in the spectral components of the MR signal, with the main peak of the fat signal separated by approximately 3.5 parts-per-million (ppm) – Figure 1.2. This difference is termed the chemical-shift and is equal to  $\sim 210$  Hz at 1.5 Tesla or  $\sim 420$  Hz at 3 Tesla.

Chemical-shift-encoded imaging or Dixon methods [30] takes advantage of the chemical shift difference in the precession frequencies of fat and water. The protons in the fat molecules precess slower than water protons. Once the two species are simultaneously excited, a relative phase difference between fat and water protons starts to accumulate with time. Consequently, signal acquired at different time-points will exhibit different phases between water and fat due to the chemical shift difference. Hence, if we acquire multiple images at different TEs, we can solve out

the problem for the two unknown species and obtain an independent image for each species.

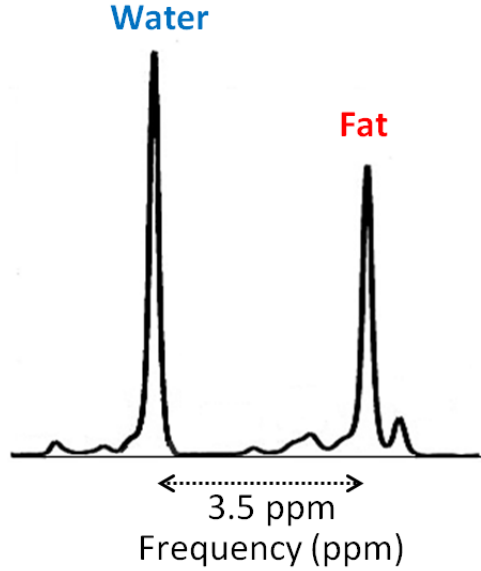


Figure 1.2: A representative frequency spectrum of the MRI signal, showing two main peaks for water and fat, separated by 3.5 ppm

Chemical-shift imaging can be combined with any pulse sequence including steady-state free-precession (SSFP) [31], fast spin-echo (FSE) [27, 32] and spoiled gradient-echo (SPGR) [33]. Also, its ability to generate fat-only and water-only (fat suppressed) images is a key advantage that made it widely used for water/fat imaging. In general, this approach can be described by a simplified model as follows:

$$S_v(t_n) = \rho_{w,v} + \rho_{f,v} e^{i2\pi \delta t_n} \quad (1.16)$$

where  $S_v(t_n)$  is the signal acquired at voxel  $v$  at time  $t_n$  where  $n = 1, \dots, N$ ;  $\rho_{w,v}$  represents the water component and  $\rho_{f,v}$  is the fat component;  $\delta$  is the chemical-shift difference ( $\sim 420$  Hz at 3T). This model has neglected other factors as  $T_2^*$  effect and the multi-peak frequency spectrum of fat.

In the last decade, extensive research has been conducted on Dixon-based methods showing its robustness in separating water and fat, offering unique advantages over other approaches. The next sections we will describe different Dixon-based methods in further detail.

### 1.3.2 Two-Point Dixon

Dixon first proposed his method by acquiring 2 images at 2 different TEs [34]. The first TE is adjusted to acquire an “in-phase” image where water and fat have the phase value. The second acquisition is an “out-of-phase” one where water and fat exhibit a  $\pi$  phase difference. Water and fat components can be therefore obtained by simply adding and subtracting the two acquired images - Figure 1.3, leading to:

$$\hat{\rho}_w = \frac{1}{2} |S(t_{ip}) + S(t_{op})| \quad (1.17)$$

$$\hat{\rho}_f = \frac{1}{2} |S(t_{ip}) - S(t_{op})| \quad (1.18)$$

where  $t_{ip}$  and  $t_{op}$  are the TE values where fat and water are in-phase and out-of-phase, respectively. The original work was done using spin-echo sequence, where the TE shift was performed by shifting the refocusing pulse by  $\Delta TE/2$ . However, it can be also achieved with GE sequence where two readout gradients are played out at the prescribed TEs [33]. This method assumes that the main magnetic field is homogenous, which is difficult to achieve in practice due to tissue susceptibility differences, even if perfect shimming was attained. As the field inhomogeneities disrupt the phase information, sophisticated phase unwrapping techniques are therefore required to correct water/fat errors. Recently, Ma *et al.* [35] proposed a region-growing scheme to address this problem by using the magnitude and phase information of neighboring voxels. However, due to the complexity of the phase unwrapping methods needed to correct for field inhomogeneities, three-point Dixon methods were proposed instead.



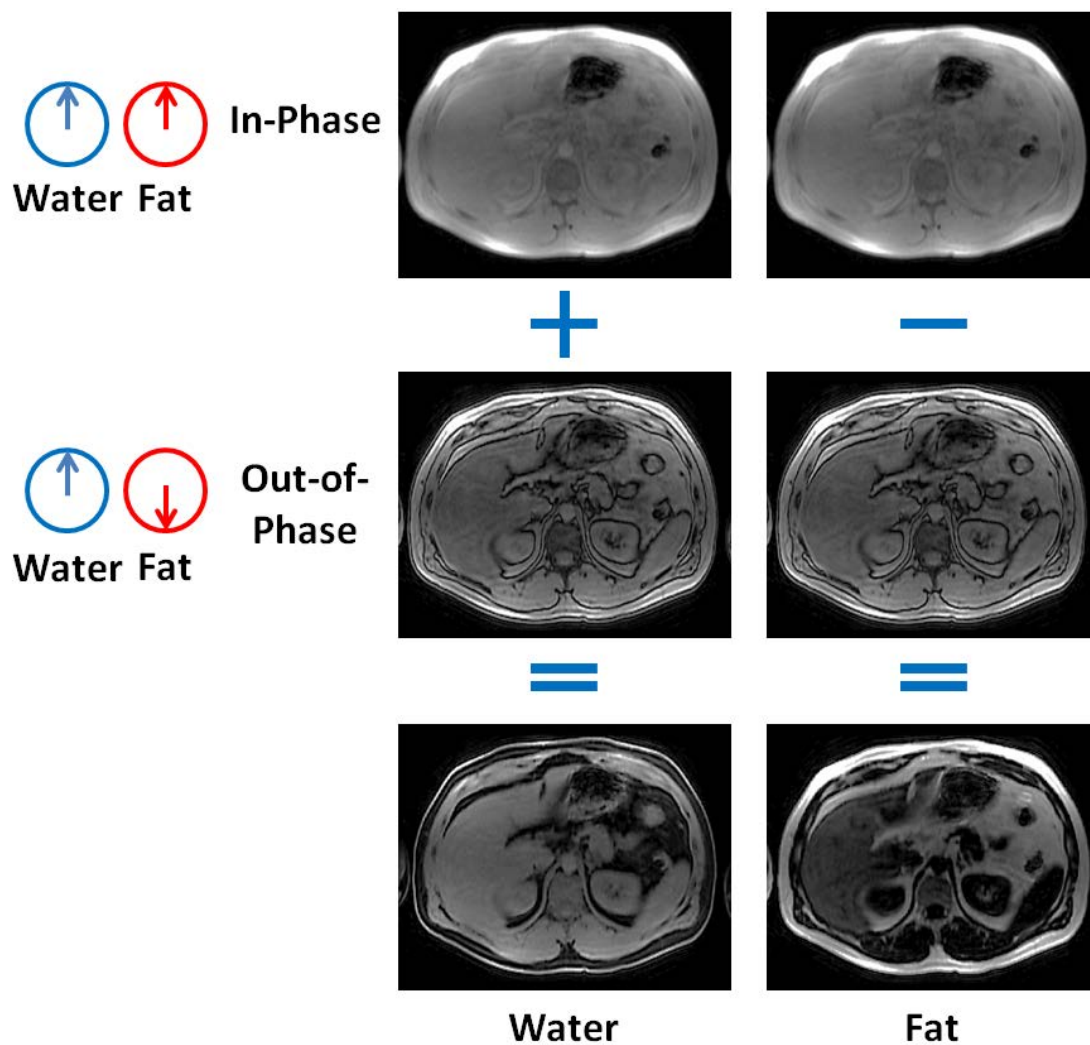


Figure 1.3: The two-point Dixon method reconstructs water and fat images by adding and subtracting in-phase and out-of-phase images, respectively.

### 1.3.3 Three-point Dixon

Glover and Schneider proposed the three-point Dixon method to estimate the magnetic field inhomogeneities [36]. Using a spin-echo sequence, they acquire three images at 3 different TEs where fat and water exhibit relative phase-shifts of  $-\pi$ , 0 and  $\pi$ . The signal model from the 3 acquisitions can be described as follows:

$$S(t_{-\pi}) = (\rho_w - \rho_f) e^{i(\theta_0 - \theta)} \quad (1.19)$$

$$S(t_0) = (\rho_w + \rho_f) e^{i\theta_0} \quad (1.20)$$

$$S(t_{\pi}) = (\rho_w - \rho_f) e^{i(\theta_0 + \theta)} \quad (1.21)$$

where  $\theta_0$  is an unknown systematic phase offset, while  $\theta$  is the unknown phase term resulting from the field inhomogeneities. After demodulating  $\theta_0$  of all the 3 acquisitions using Equation 1.20, water and fat components can be derived as follows:

$$\rho_w = \frac{(S'(t_0) + \beta \sqrt{S'(t_{\pi}) \cdot S'(t_{-\pi})})}{2} \quad (1.22)$$

$$\rho_f = \frac{(S'(t_0) - \beta \sqrt{S'(t_{\pi}) \cdot S'(t_{-\pi})})}{2} \quad (1.23)$$

where  $S'$  is the signal after omitting  $\theta_0$  and  $\beta = \pm 1$  is a switch function for sign of the complex square root. However, in order to assign the correct  $\beta$  sign, a phase unwrapping algorithm is required. The main limitation of Glover and Schneider's technique is that it restricts the acquisition to  $-\pi$ , 0 and  $\pi$ . A more flexible version of the three-point Dixon was proposed by Xiang and An [37] where the 3 acquisitions are acquired at uniformly-spaced TE shifts. The field inhomogeneity  $\varphi$  is then estimated through a quadratic equation in the phasor term  $e^{-i2\pi\varphi\Delta t}$ . Similar to Glover and Schneider's [36], two possible solutions can be obtained from the solution of the quadratic equation. The ambiguity in assigning the correct sign will lead to errors in the estimated water and fat components.

### 1.3.4 IDEAL

A novel perspective to the three-point Dixon was introduced by Reeder *et al.* [38] based on a maximum likelihood estimation of the signal. They introduced the “Iterative Decomposition of water and fat with Echo Asymmetry and Least-squares estimation” (IDEAL) where a nonlinear least-squares fitting is performed at each voxel. A general description of the acquired signal at voxel,  $v$ , can be given by re-writing Equation 1.16 as follows:

$$S_v(t_n) = \left( \sum_{c=1}^C \rho_{c,v} e^{i2\pi \delta_c t_n} \right) \cdot e^{i2\pi \varphi t_n} \quad (1.24)$$

Where  $C$  is the number of species,  $\rho_{c,v}$  is a complex-valued chemical species with  $\delta_c$  representing its chemical-shift from the main water-peak (in Hz) and  $\varphi$  is a map of the field inhomogeneities, so called *field map*. The key point of IDEAL is solving the problem in an iterative linearization procedure of the signal equation – Figure 1.4. The approach can be summarized:

- a. An initial estimate is given to  $\varphi$ . Usually it is set to zero.
- b. The chemical species can be then estimated directly through solving a linear least-squares problem.
- c. The estimates  $\{\hat{\varphi}, \hat{\rho}_{c,v}\}, c = 1, \dots, C$  are then fed into a linearized signal model, where  $e^{i2\pi \Delta\varphi t_n}$  is approximated through Taylor expansion by  $1 + i2\pi \Delta\varphi t_n$ .
- d. The signal residues from these estimates are then calculated
- e. A new value for the field map is calculated  $\varphi_{i+1} = \varphi_i + \Delta\varphi$ , where  $i$  is the iteration number.
- f. Step (b-e) are repeated until  $\nabla\varphi$  converges (e.g.  $< 1$  Hz).
- g. Calculate the final estimates of  $\varphi$  and  $\rho_{c,v}$  for all chemical species.

An additional spatial smoothing filter can be added after step f. on the field map to improve the noise performance.

IDEAL has several advantages over previous approaches: 1) it can be used with arbitrary TEs; 2) it can be combined with any imaging sequence; 3) it works for any number of chemical species i.e. not restricted to water/fat applications; 4) complex-valued chemical species are estimated, which enhances the effective number of signal averages (NSA) of the reconstruction (refer to 1.3.5 for more details). On the other hand, a major drawback of IDEAL is the initial value required for the field map  $\varphi$ ; If not correctly estimated for each voxel, the algorithm will converge into local minima and wrong estimates of water/fat will be obtained. Hence, IDEAL will fail in cases where large inhomogeneities are encountered as it does not enforce any global solution to the iterative procedure. Several techniques have been proposed to resolve the large variations in the field map [9, 39-46]. Although some methods have demonstrated the ability to address challenging cases, an ultimate solution to the field map estimation problem has yet to be explored. In Chapters 2 and 3 we will propose new methods to overcome the drawbacks of IDEAL.

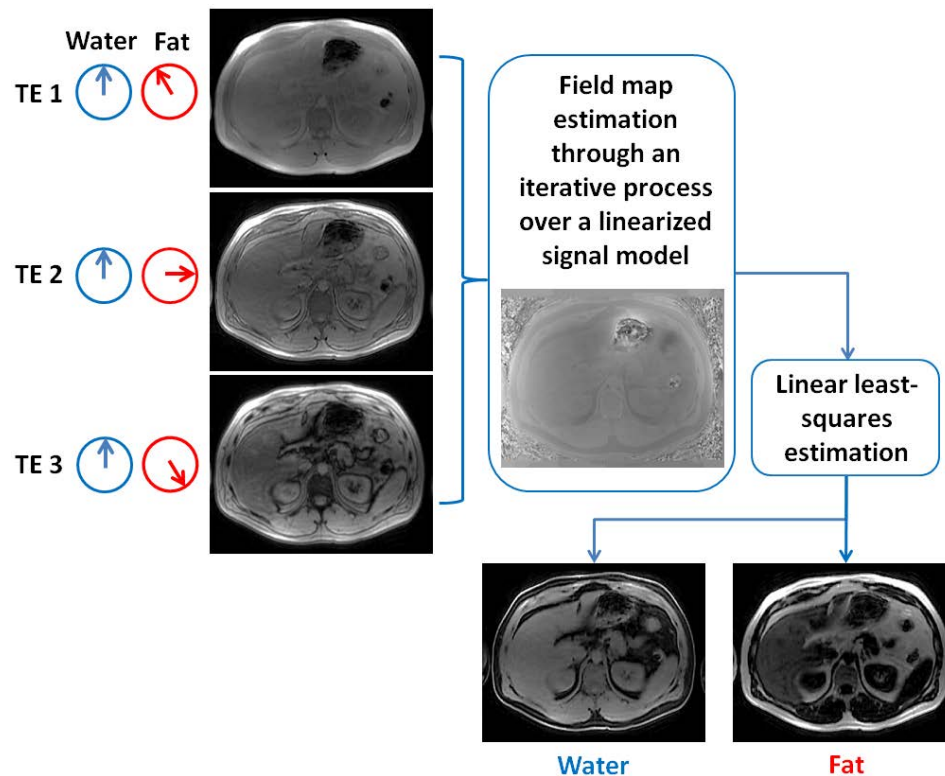


Figure 1.4: Illustration of the IDEAL water/fat separation process.

### 1.3.5 Characterization of Noise Performance

The noise performance of water/fat separation methods rely on multiple of acquisition and reconstruction parameters [47]. The common metric to evaluate the noise performance is the effective number of signal averages (NSA) given by

$$NSA = \frac{\sigma^2}{\sigma_p^2} \quad (1.25)$$

Here  $\sigma^2$  and  $\sigma_p^2$  are the variance of the noise in the source image and the reconstructed fat (or water) image, respectively. The minimum achievable  $\sigma_p^2$  is calculated using the Cramér-Rao bound, which is defined as the lower bound on the variance of an unbiased estimate. Hence it can be used to optimize the acquisition parameters to attain the highest noise performance. Pineda *et al.* [47] showed that for 3-point Dixon, echo-shifts of  $(\frac{\pi}{6} + \pi K, \frac{\pi}{2} + \pi K, \frac{7\pi}{6} + \pi K)$  achieves best theoretical performance using the signal model of Equation 1.24 for water and fat species. In theory, the maximum achievable NSA for n-point acquisition is n. NSA depends mainly on a number of factors: the number of echoes, the first echo, the echo-shifts and the number of unknown parameters to be estimated in the reconstruction [47, 48]. The type of the reconstruction (magnitude-based or complex-based) also affects the noise performance, as discussed later in 1.4.4.

## 1.4 Quantitative Fat Imaging

Fat quantification is usually performed in terms of fat fraction, which is the ratio of the fat signal to the total signal from both water and fat. Several confounding factors can bias the fat measurement and must be considered in the reconstruction. Once these factors are addressed, the fat fraction will be equivalent to what is referred to as *proton density fat-fraction* (PDFF) which is defined as the ratio of density of mobile protons from fat to the total density of mobile protons from fat and water. PDFF is currently considered the most practical and meaningful MR-based biomarkers for fat quantification [49]. Current research is seeking its standardization for clinical diagnosis.

### 1.4.1 Multi-peak Fat Spectrum

The signal model presented in Equation 1.16 and Equation 1.24 assumes that fat exhibits one peak in the frequency spectrum of the MR signal. However due to the complex nature of fat molecule, its protons vary in their precession frequencies. It was shown that the fat spectrum can have up to 6 peaks with different amplitudes – Figure 1.5. A significant bias in the fat fraction measurements will occur if only the main peak is considered [50]. Therefore, a multi-peak fat spectrum is included in the signal equation as follows:

$$S_v(t_n) = \left( \rho_{W,v} + \rho_{F,v} \cdot \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_n} \right) \cdot e^{i2\pi \varphi_v t_n} \quad (1.26)$$

where  $M$  is the number of fat peaks;  $\delta_m$  is the frequency of the  $m$ -th peak with its corresponding amplitude  $\alpha_m$  (Hz), such that  $\sum_{m=1}^M \alpha_m = 1$ .

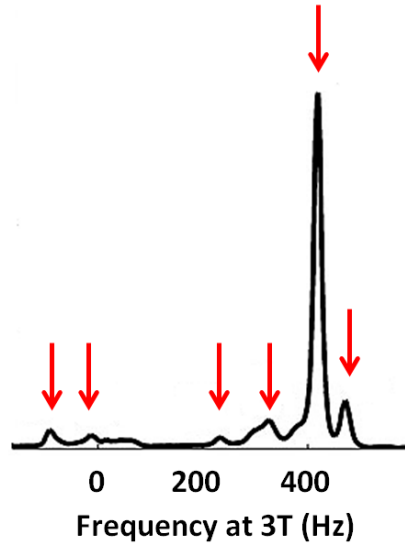


Figure 1.5: Frequency spectrum of knee subcutaneous fat showing 6 peaks, with the main peak located at  $\sim 420$  Hz (3.5 ppm) – Figure adapted from [50].

Equation 1.26 now includes additional 2M unknowns: frequencies and amplitudes of the fat peaks. Fortunately, the frequencies are well documented in the literature [51-53] and can be assumed to be constant. There are two approaches to obtain the amplitudes: self-calibrated and pre-calibrated methods. In the self-calibrated method different fat peaks are treated as different chemical species and hence large number of echoes (images) are required to solve Equation 1.26. For instance Yu *et al.* [50] used 16 echoes in order to obtain an accurate fit for all the peaks. On the other hand, the pre-calibrated approach assumes predetermined amplitude values for the fat peaks and hence it leads to the same number of unknowns. Several studies have shown that including the multi-peak fat spectrum improves the accuracy of estimating the fat fraction compared to the single peak approach [14, 25, 29, 48, 49].

### 1.4.2 Effect of $T_2^*$ Relaxation

In Equation 1.24 and Equation 1.26,  $T_2^*$  decay was assumed to be negligible. However, this assumption can lead to substantial errors in the fat fraction estimate [14, 54, 55], particularly with rapid  $T_2^*$ . Additionally,  $T_2^*$  itself might be of diagnostic interest in some cases, such as hepatic iron overload, as  $R_2^*$  ( $1/T_2^*$ ) is strongly correlated to the iron deposition. Likewise, the presence of fat can lead to wrong  $T_2^*$  estimates. Therefore, methods that consider single- $T_2^*$  [54] and dual- $T_2^*$  [56] decays during water/fat reconstruction have been introduced. The latter approach estimates two  $T_2^*$  values for water and fat respectively, while the single- $T_2^*$  approach ignores that difference and a single combined decay is deduced at each voxel. In theory, fat fraction bias should decrease with dual- $T_2^*$  [55]; however, the noise performance significantly degrades as more unknown parameters are included in the reconstruction process [48]. Consequently dual- $T_2^*$  models result in noisy estimates of fat fraction. In practice, studies have shown that single- $T_2^*$  modeling is more accurate than dual- $T_2^*$  model for fat quantification, even with high fat concentration [57].

Yu *et al.* [50, 54] has extended the 3-point IDEAL method (sec 1.3.4) to consider the  $T_2^*$  decay together with an accurate spectral modeling of fat (sec 1.4.1). They extended the signal model to include a single  $T_2^*$  decay per voxel, and simultaneously estimate a  $T_2^*$  map and the field map in the iterative IDEAL process. Pre-calibrated and self-calibrated spectral models of fat were used in the signal model. Six-point acquisition with pre-calibrated fat spectrum was therefore recommended as a good compromise between acquisition time and accurate mapping of the  $T_2^*$  decay. Figure 1.6 illustrates the extended  $T_2^*$ -IDEAL method for 6-point acquisition.



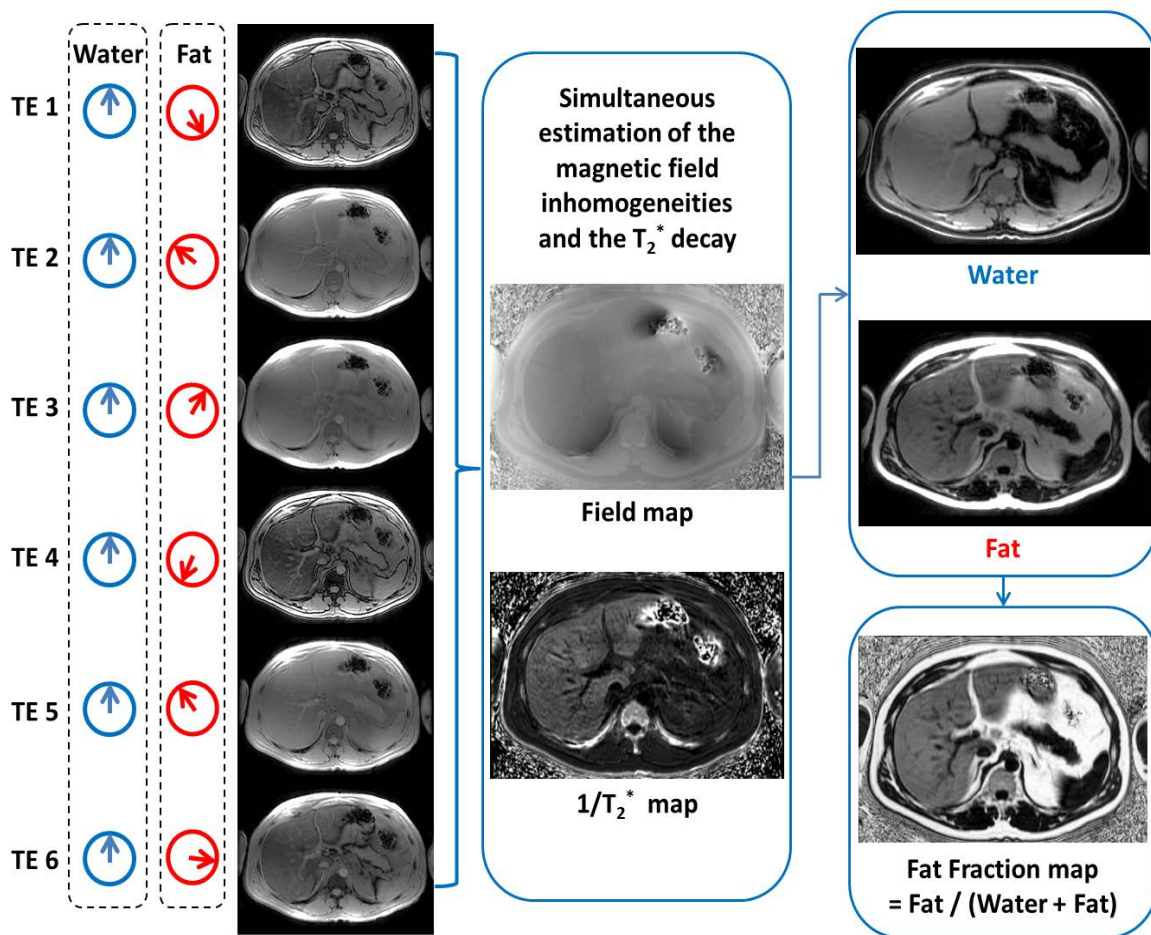


Figure 1.6: Illustration of the 6-point  $T_2^*$ -IDEAL proposed by Yu *et al.* [50, 54]

### 1.4.3 T<sub>1</sub>-related bias

Fat has shorter T<sub>1</sub> relaxation time than water. This may result in a dissimilar weighting between water and fat signals in the acquired image, as the signal received from fat protons is higher compared to that received from water. Consequently, significant bias in the fat fraction measurements can occur [58]. Accurate PDFF quantification necessitates the correction of T<sub>1</sub>-related bias [49, 58, 59].

In SPGR-based Dixon acquisitions, The T<sub>1</sub>-weighting of the acquired signal changes with the flip angle (Equation 1.15). Therefore, applying RF pulses with small flip angles will minimize the T<sub>1</sub>-related bias in the PDFF estimates [14]. The main drawback is the loss of SNR which increases the standard deviation of fat fraction measurements. Another approach is the dual-flip angle T<sub>1</sub> correction [60]. In contrast to small flip angle approach, this method finds a definitive analytical solution by performing two consecutive acquisitions with different flip angles, and then derives T<sub>1</sub>-corrected water and fat images. Although it eliminates the T<sub>1</sub> effect, it doubles the acquisition time. Recently another approach was proposed by Yang *et al.* [61] where a relatively high flip angle is used (8°), followed by a T<sub>1</sub>-bias correction of the reconstructed water and fat images, where pre-determined T<sub>1</sub> values of each species are used. This technique has the advantage of higher SNR while the T<sub>1</sub>-bias is also corrected. However, this method requires mapping the flip angle variations (so called flip angle map) to enhance the resultant fat fraction estimates. In general, a small flip angle of ~3° is usually used in clinical practice, as it provides a good compromise between T<sub>1</sub>-bias correction and SNR [62]. It was shown that flip angles 3°-5° would cause < 2% bias over 0-100% fat fractions and < 1% bias for low fat concentrations, while preserving good SNR quality [60]. Moreover, it does not require any additional acquisitions. In this dissertation, T<sub>1</sub>-bias will be minimized using the small flip angle approach.

### 1.4.4 Eddy Currents

To shorten the acquisition time, multi-point chemical-shift-encoded sequences perform multiple readout gradients in each TR – Figure 1.7. Eddy currents are generated at each time the gradients are switched ‘on’ and ‘off’ producing phase errors in the acquired signals. In a multi-echo SPGR acquisition, the gradient waveform preceding the first readout is different from the waveforms preceding the other echoes. Hence, the generated eddy currents and subsequently the resulting phase errors are different in the first echo from the rest of the echoes. These asymmetric phase errors affect the water/fat separation process, leading to fat-fraction bias. To address this problem, magnitude-based reconstruction is used, where the phase information is omitted. This leads to significant noise amplification in the fat fraction image compared to the complex-based reconstruction where the complex signals are considered [48].

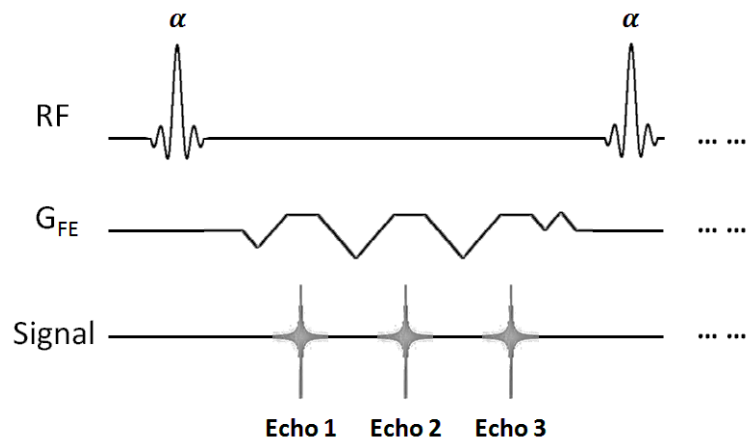


Figure 1.7: Three readout gradients are applied in one TR to acquire 3 echoes.

Yu *et al.* [63] have addressed this problem by performing a hybrid fit where the magnitude-based and complex-based reconstructions are combined together with different weights. This has improved the noise performance compared to the magnitude-based approach. Another method is the mixed magnitude/complex fitting proposed by Hernando *et al.* [48] where only the phase of the first echo is neglected, while the complex signals in all the subsequent echoes are considered.

This method has led to further SNR improvement over the hybrid method. Recently Wade *et al.* [64] suggested modifying the waveforms of the readout gradient to generate similar eddy currents at the first echo as the rest of the echoes. This will compensate for the fat fraction bias as the phase errors will be approximately the same at all the echoes. However, SNR loss might occur from the insertion of an additional waveform before the first echo. We address the eddy currents-induced fat fraction bias with our new acquisition strategy proposed in Chapter 4.

### 1.4.5 Noise-related bias

Fat fraction bias might also occur when one of the species is at very low concentrations, due to noise amplification. Liu *et al.* [60] addressed this problem by using the ‘phase-constrained’ hypothesis where fat and water are assumed to have same phase at TE=0. Hence, instead of using the magnitude of fat and water signals to calculate the fat fraction, complex values will be used, such that  $FF = S_f / (S_f + S_w)$  for fat-dominant-pixels and  $FF = 1 - (S_w / (S_f + S_w))$  for water-dominant pixels, where  $S_f$  and  $S_w$  are the complex signals of fat and water, respectively. This approach has shown to overcome the bias occurring at very low and very high fat concentrations.

### 1.4.6 Temperature-related bias

In contrast to fat protons, the proton resonant frequency of the water is dependent on temperature [65]. Hence, the chemical-shift between fat and water is altered, causing unexpected bias in the fat fraction. Magnitude-based reconstructions are largely affected by the temperature change, and can cause significant bias. However, complex reconstructions are more robust to temperature-dependent bias, particularly at room temperature ( $\sim 20^\circ\text{C}$ ) and body temperature [65]. Although the signal model can be modified to account for the temperature-dependent chemical-shift frequency, the additional parameter will reduce the NSA.

## 1.5 Parallel Imaging

In general, water/fat imaging requires lengthy acquisitions. Hence, for time-restricted applications, accelerated data acquisition is required. The most common acceleration technique in clinical practice is parallel imaging [66-70].

For a 2D acquisition the scan time is calculated as  $t = NSA \cdot N_y \cdot TR$ , where  $NSA$  is the number of signal averages and  $N_y$  is the number of phase encodes. Hence for a prescribed  $TR$ , the fewer phase encodes the shorter the acquisition time will be. However, this will violate Nyquist criterion in  $k$ -space, causing *aliasing* artefacts in the image domain - Figure 1.8(b). Parallel imaging techniques address this problem by recovering the missing data from subsampled  $k$ -space and hence allow aliasing-free accelerated acquisitions. Reconstruction techniques can either recover the omitted data in  $k$ -space (e.g. GRAPPA) [66, 67, 69], or un-fold the aliased images in image-domain (e.g. SENSE) [70, 71] – Figure 1.8. For 3D imaging, acceleration can be achieved in both the phase and the slice directions by acquiring fewer slice/phase encodes and recovering them in the reconstruction. This will allow even shorter acquisition times.

The key for parallel imaging is taking advantage of a phased-array of coils. In fact, each coil has a non-uniform receive profile - known as coil sensitivity - which is used as calibration data in the reconstruction. Parallel imaging reconstruction techniques, therefore, employ the calibration data to recover the missing slice/phase encodes, whether in  $k$ -space or image-domain.

The drawback of acceleration by parallel imaging is the reduction of signal-to-noise (SNR). The SNR loss is equal to the square-root of the acceleration factor multiplied by the so-called “ $g$ -factor”. The  $g$ -factor describes an additional spatially-variant noise amplification in the reconstruction [71] and varies depending on the geometry and the number of the coils [68, 71].

In chapter 4 of this dissertation we will use conjugate-gradient SENSE for parallel imaging reconstruction [71]. This is an image-based reconstruction technique that uses an iterative approach to un-alias the acquired undersampled data.

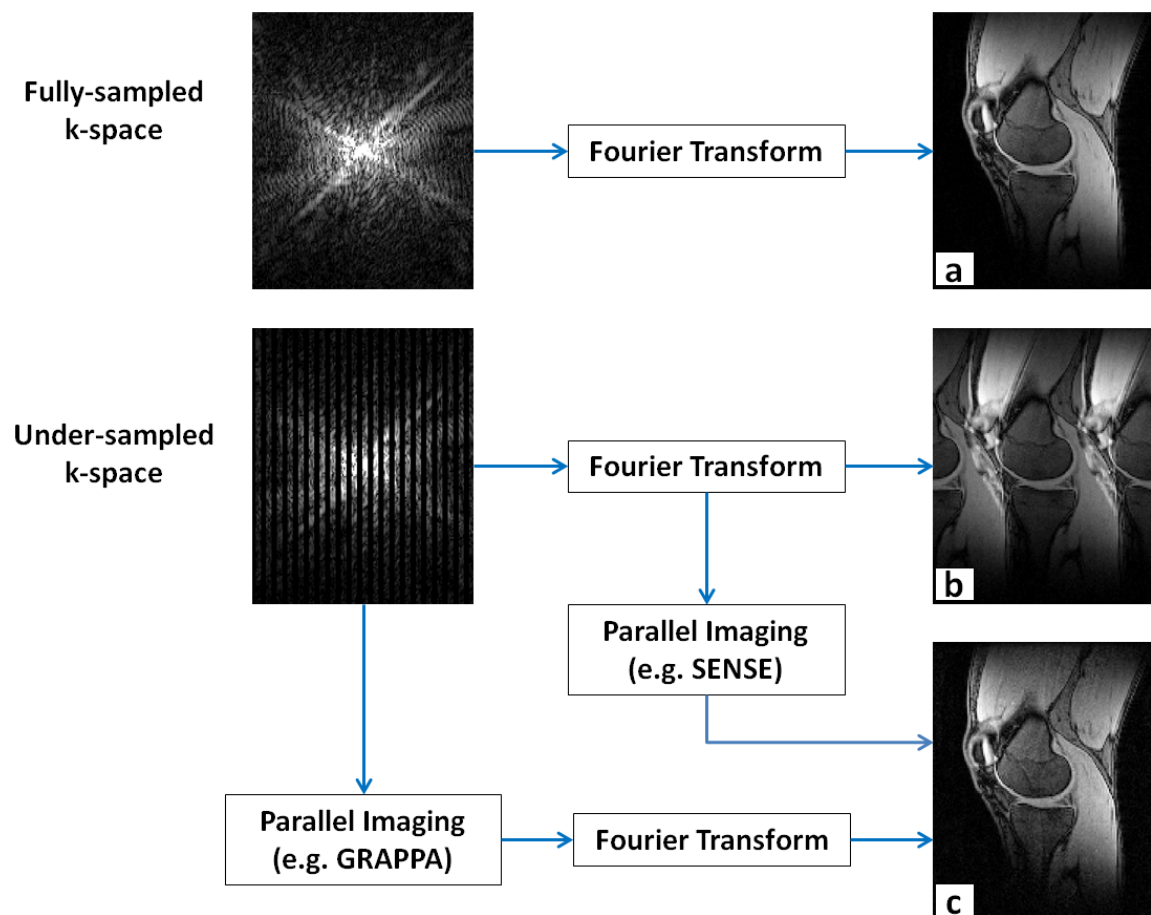


Figure 1.8: (a) A knee image obtained from the Fourier transform of a fully-sampled k-space. (b) Undersampling the k-space results in an aliased image. (c) The image is reconstructed from the undersampled k-space using Parallel Imaging reconstruction.

## 1.6 Network Optimization Problems

Resolving the correct field map inhomogeneities in Equation 1.26 is a challenging problem that becomes even more complicated when the confounding factors mentioned above are included in the signal equation. To address this problem, sophisticated optimization techniques can be employed. One of the main branches of mathematical optimization is network optimization techniques, which are employed in Chapters 2 and 3 to estimate the magnetic field inhomogeneities.

### 1.6.1 Terminology

Basically, a network is defined as a graph constituted of two main objects: nodes and edges. For instance if an image is mapped through a network, each pixel is represented by a node, while *weighted* edges connect each pixel to other pixels in a local neighbourhood. Moreover, two special nodes are added, a sink node and a source node. The source and sink nodes are connected to all the other nodes in the graph – Figure 1.9.

A *flow* in a network is simply a quantity that is flowing in an edge from one node to another. Mathematically, a flow of an edge is just a scalar number added on it. A flow can have negative values, where in this case it flows in the opposite direction to the edge. There are two main constraints on the flows of the network: *capacity constraints* and *flow conservation*. To define them let's assume we have a graph  $(V, E)$ , where  $V$  and  $E$  are the nodes and the edges, respectively. The grid also has two terminal nodes, a sink  $t$  and a source  $s$ . There are three sets of flows: source flows,  $\rho_s$ , from the source node  $s$  to each node in the grid; sink flows,  $\rho_t$ , from each node into the sink node  $t$ ; and spatial flows  $q$  between the nodes of the grid. The capacities constraining the flows in the network are defined as follows:

- Capacity of source flows,  $\rho_s$ , from  $s$  to node  $v \in V \setminus \{s, t\}$ :  $0 \leq \rho_s(v) \leq C_s(v)$
- Capacity of the sink flows,  $\rho_t$ , from node  $v \in V \setminus \{s, t\}$  to  $t$ :  $0 \leq \rho_s(v) \leq C_t(v)$
- Capacity of spatial flows,  $q$ , for the edges of the grid  $e \in E$ :  $|q(v)| \leq C(v)$ ;



where  $C_s(v)$ ,  $C_t(v)$  and  $C(v)$  are the capacities of the corresponding flows. When a spatial flow  $q(e)$  over the edge  $e \in E$  reaches its maximum capacity, it is called a 'saturated' flow.

The other constraint is the flow conservation, which is defined at node  $v \in V \setminus \{s, t\}$  as follows:

$$\left( \sum_{e \in I(v)} q_e(v) \right) - \rho_s(v) + \rho_t(v) = 0 \quad (1.27)$$

where  $I(v) \subset E$  is the set of the neighbour edges of the node  $v$ . In other words, this constraint states that the total flow departing from the node must be balanced by the arriving flow at the node. By definition, only the source and sink nodes are exempted from this constraint. The flow conservation and the capacity constraints are important conditions that will control the solution of max-flow problems, described next.

## 1.6.2 Min-cut / Max-flow problem

In a graph network, each edge has a cost. A *cut* that separates the source node from the sink node will have a total cost equal to the sum of all the edges it passed through. The *minimum-cut* (min-cut) problem consists of finding the cut that has the lowest cost – Figure 1.9. Finding the optimal solution of an optimization problem corresponds to finding the min-cut of its graph-network. The graph-cut algorithm by Boykov *et al.* [72, 73] is a widely used algorithm to explore the min-cut of a network. Equivalent to the min-cut solution is finding the maximum-flow of the network. In fact, *min-cut/max-flow* theorem is very popular in network optimization. In max-flow we try to maximize the flow from the source node, while maintaining the capacity and the flow conservation constraints, i.e.

$$\max_{\rho_s} \sum_{v \in V \setminus \{s, t\}} \rho_s(v) \quad (1.28)$$



subject to the constraints mentioned above. The path that allows the maximum flow divergence out of the source node is equal to the minimum cut that separates the source from the sink. There are a growing number of medical applications that rely on min-cut/max-flow approaches as efficient optimization methods.

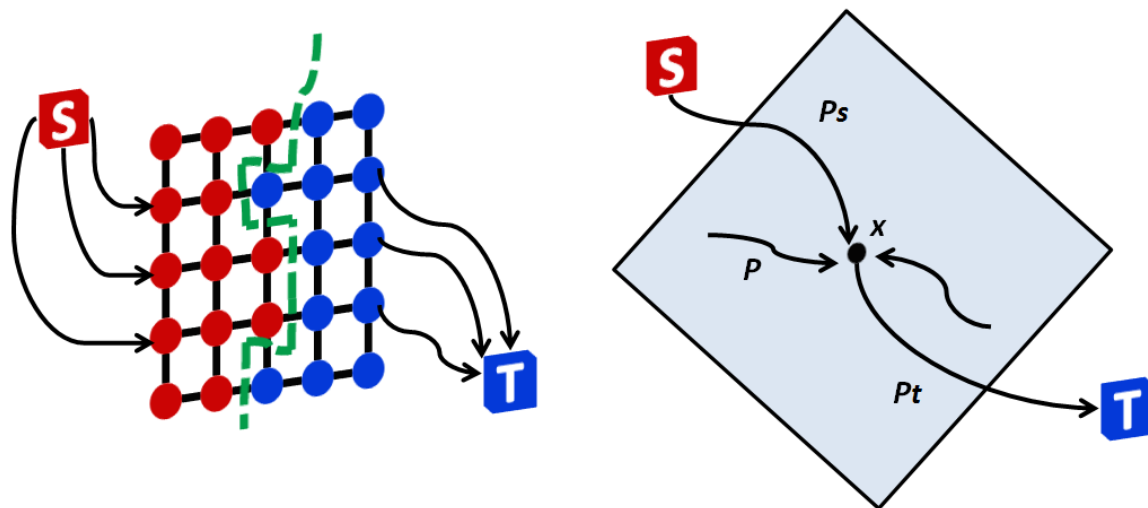


Figure 1.9: Left: A discrete flow network problem with a min-cut solution. Right: A Continuous flow network problem.

### 1.6.3 Continuous Max-flow

The max-flow problem formulated in the previous section was introduced in the discrete setting, and can be formulated in the same manner on a continuous domain. Let  $x \in \Omega$  be a spatial position on a continuous 2D or 3D domain,  $\Omega$ . The flow constraints can be reformulated as follows:

$$\rho_s(x) \leq C_s(x), \quad (1.29)$$

$$\rho_t(x) \leq C_t(x), \quad (1.30)$$

$$|\rho(x)| \leq C(x), \quad (1.31)$$

$$(\text{div } q - \rho_s + \rho_t)(x) = 0 \quad (1.32)$$

Where  $\text{div } q(x)$  is the divergence of the flow at  $x$  representing the total spatial flow, which is analogous to the sum operator in Equation 1.28. The continuous max-flow model can now be formulated as follows:

$$\max_{\rho_s, \rho_t, \rho} \int_{\Omega} \rho_s(x) \, dx \quad (1.33)$$

subject to the constraints in Equations 1.29-1.32. By introducing a multiplier  $u$  to the flow conservation in Equation 1.33, the max-flow model can be re-written as follows:

$$\begin{aligned} \max_{\rho_s, \rho_t, \rho} \min_u \int_{\Omega} \rho_s(x) \, dx + \int_{\Omega} u (\text{div } q - \rho_s + \rho_t)(x) \, dx \quad (1.34) \\ \text{s. t. } \rho_s(x) \leq C_s(x), \quad \rho_t(x) \leq C_t(x), \quad |\rho(x)| \leq C(x) \end{aligned}$$

Analogous to the discrete setting, the continuous max-flow model in Equation 1.34 is equivalent to the continuous min-cut solution. Yuan *et al.* [74] have proposed a fast continuous max-flow algorithm to address Equation 1.34 using its augmented Lagrangian function. They use an iterative approach where the multiplier  $u$  is updated at each iteration. This algorithm has been used in numerous medical applications such as segmentation of vascular structures [75], segmentation of left ventricle [76], image fusion [77] and delineation of myocardial scar tissue [78]. The main advantage of the continuous max-flow over the graph cut is its ability to find a global solution to problems where a graph-based global solution is inefficient and/or impractical, such as resolving the field map inhomogeneities. Moreover, the continuous max-flow is implicitly parallelized, i.e. its computations can be solved in parallel using modern Graphics-processing Units (GPUs). In Chapters 2 and 3, we will explore two different methods using the continuous max-flow algorithm to map magnetic field inhomogeneities.

## 1.7 Thesis Outline

The thesis presents novel acquisition and reconstruction methods for water/fat separation with *in-vivo* applications on various human organs. Chapter 2, 3 and 4 are based on published peer-reviewed articles to Magnetic Resonance in Medicine (MRM) and Medical Image Computing and Computer Assisted Intervention (MICCAI).

In Chapter 2 a novel water/fat separation technique is introduced. The chapter is adapted from a peer-reviewed paper published in MICCAI 2012 proceedings. The technique estimates magnetic field inhomogeneities that hinder the reconstruction process. In contrast to most of the previous work that rely on spatial smoothness, the presented method uses a labeling model to resolve the ambiguity of the estimation. An initial guess of the field map is generated first then the estimate is subsequently refined using an IDEAL iterative process. The number of labels used to describe the initial estimate is penalized in the cost function to enforce fewer labels. This was shown to reduce the vulnerability of converging to local minima. *In-vivo* experiments were performed on cardiac and abdominal datasets showing excellent water/fat separation. The results were compared against the commonly-used region-growing method and have demonstrated significant outperformance in case of abrupt changes of magnetic field.

In Chapter 3 an optimized version of the method proposed in the previous chapter is presented. The effect of  $T_2^*$  decay was integrated in the labeling process. The initial estimate becomes better representative of the signal model and therefore more robust to local minima. In addition, an adaptive spatial filtering was introduced after the labeling procedure to enhance the performance of the method. A continuous max-flow approach was employed to address the labeling model, while  $T_2^*$ -IDEAL is applied in the second stage; the technique is therefore called Max-IDEAL. *In-vivo* data from the ISMRM challenge 2012 on water/fat separation were used to test the technique, resulting in successful separation in 98.44% of cases. The method was also tested against recent robust techniques as graph-cut and the FLAME methods

on *in-vivo* cases with severe inhomogeneities and has demonstrated successful water/fat separation while the other methods failed.

In Chapter 4 a new multi-gradient-echo bipolar acquisition sequence for fat quantification is proposed. This new acquisition strategy is more efficient than the current unipolar sequence currently employed in clinical practice. The sequence applied bipolar gradients at the frequency-encode gradient while alternating the polarity in the temporal dimension as well as the phase-encode dimension. The acquisition and reconstruction pipeline overcomes the bipolar artefacts known to corrupt the water/fat separation procedure. Phantoms and *in-vivo* experiments demonstrated accurate fat fraction and increased SNR efficiency compared to the established unipolar acquisition. Phase and magnitude artefacts from the bipolar acquisition were eliminated in all experiments.

In Chapter 5 the efficiency of the interleaved bipolar acquisition proposed in the previous chapter is demonstrated in animal experiments. One of the common applications of water/fat separation is to study obesity on animal models. Fat and water images with high spatial resolution are required. Using the interleaved bipolar sequence, the spatial resolution was doubled while keeping the same acquisition time as the standard unipolar sequence. The results also demonstrated higher SNR efficiency of the interleaved bipolar compared to the unipolar sequences.

In Chapter 6, improvements on the reconstruction and acquisition techniques are suggested with further applications, and the work presented in this dissertation is concluded.

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*"The significant problems we have cannot be solved at the same level of thinking we were at when we created them"*  
- Einstein

## Chapter 2

# A Convex Relaxation Approach to Water/Fat Separation with Minimum Label Description<sup>1</sup>

### 2.1 Introduction

The ability to separate fat from water in a magnetic resonance (MR) image is an important problem for a number of clinical applications. Bright fat signal can obscure underlying pathology and therefore suppression of the fat signal is required. In other cases, fat is considered an important diagnostic marker, and hence a clearer depiction of its signal, rather than its suppression, is desired.

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<sup>1</sup> This chapter is adapted from a peer-reviewed article published in *Springer Lecture Notes in Computer Sciences of Medical Image Computing and Computer-Assisted Intervention (MICCAI) 2012*: Soliman, A. S., Yuan, J., White, J. A., Peters, T. M., and McKenzie, C. A., "A Convex Relaxation Approach to Fat/Water Separation with Minimum Label Description," *Medical Image Computing and Computer-Assisted Intervention – MICCAI, LNCS 7511*, pp. 519-526 (2012).

Common clinical applications of the latter include the diagnosis of non-alcoholic fatty liver diseases (NAFLD) [1, 2], as well as a variety of bone marrow diseases [3]. However, expanding interest in the evaluation of myocardial fat infiltration [4] and pericardial fat volume [5-7] justifies its optimization for cardiac imaging.

Among various available MR techniques, chemical-shift based (or Dixon-based) techniques [8] have become the most commonly used methods to obtain a quantitative fat measurement [9]. Chemical-shift based methods are characterized by their unique ability to extract a fat-only image with positive contrast, unlike other techniques that either tend to suppress the fat signal, making the process of identifying fat voxels ambiguous, or apply fat selective excitation which is sensitive to B0 and B1 inhomogeneities.

Unfortunately, a successful water/fat separation with Dixon-based techniques relies largely on the homogeneity of the magnetic field. In other words, the mapping of the magnetic field inhomogeneities – so called field map, cannot be decoupled from the water/fat separation process (see Sec 2.2.1). The field map estimation problem therefore, leads to a non-linear non-convex optimization problem, which has multiple local minima. An error in estimating the field map would propagate to the resultant water and fat images, causing what we term water/fat swaps. A “swap” is defined as assigning the main signal in a water-dominant voxel as fat, or vice-versa - an example of water/fat swaps is shown in Figure 2.1.



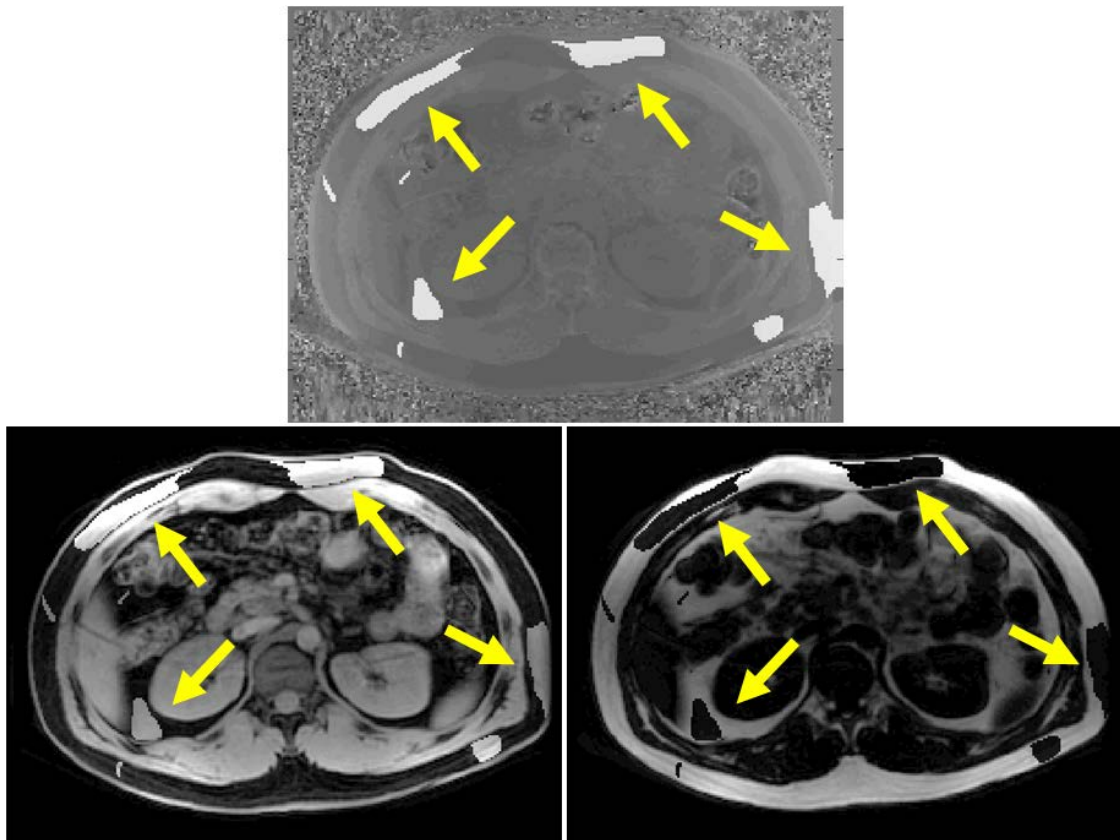


Figure 2.1: Water/fat swaps appearing in field map (top), water (left) and fat components (right)

The commonly-used technique in water/fat separation is the “Iterative Decomposition of water and fat with Echo Asymmetry and Least square estimation”, abbreviated as IDEAL [10]. IDEAL is a Dixon-based method that acquires at least three echoes to estimate the field map, water and fat components. However, IDEAL is a local optimization method that heavily depends on the initialization process, and hence, convergence to the global optimum is not guaranteed. Moreover, it is a voxel-independent optimization, i.e. it does not enforce any global smoothness prior to the estimated field map. Yu et al. [11] proposed a region-growing technique to address the flaws of IDEAL. This method implicitly imposes a spatial smoothness on the field map; however, it does not account for the abrupt changes in magnetic field that might exist at tissue/air interfaces, which might cause water/fat swaps. Although several techniques have been proposed in the literature [11-17] to address the field map estimation problem, only a few have been considered sufficiently robust for clinical use [4, 13]. Further, their application has been limited to 1.5 Tesla [4] where B0 field inhomogeneities are modest compared to higher field strengths.

In this work, we propose a novel field map estimation approach that can withstand abrupt changes in field homogeneity at higher field strengths, particularly at 3.0 Tesla, while guaranteeing smoothness of the estimated field map. Our method relies on prior knowledge of the periodic variation of signal residuals with the field map values [11-13]. We use a two-stage approach to reach the global minimum solution, and provide a high resolution mapping of the field inhomogeneities. First, a label-cost prior max-flow approach [18] is performed on the signal residues to converge near the global optimum. The output is employed as an initial guess to the second stage, where a conventional gradient-descent IDEAL is applied to reach the exact field offset. Our method is tested for cardiac as well as abdominal images obtained at 3.0 Tesla, where challenging B0 field inhomogeneities commonly exist. Compared to the region growing method [11], our approach has significantly improved the robustness of field map estimation process and has efficiently removed water/fat swaps.

## 2.2 Theory and Methodology

In the following sections, we first derive the signal equation to be minimized; then we introduce the multi-labeling convex relaxation model and its dual continuous max-flow formulation along with the minimum description length (MDL) principle, which are applied in the first stage of our approach. The proposed MDL-based labeling model penalizes the number of “appearing” labels, which helps to avoid the small regional water/fat swaps that might appear in the presence of severe and rapid changes of magnetic field. In other words, such MDL prior smooth out small-scale partitions, which usually correspond to regional water/fat swaps. The MDL-based labeling model results in a coarse estimation of the field map. This step guarantees a global minimization by labeling each pixel with a field map value located near its global optimum solution. The coarse estimate of field map serves as an initial guess for the second stage that consists of applying the IDEAL iterative process [10, 19]. A stopping criterion of  $< 1$  Hz was used for the iterative process, in order to provide a field map with a sufficient resolution for clinical applications, particularly pericardial fat quantification. Once the final field map is obtained, water and fat components can be directly computed from Equation 2.2

### 2.2.1 Signal Equation

Let  $S(\cdot)$  denote the signal acquired from a voxel  $v$ , containing a mixture of water and fat, such that:

$$S_v(t_n) = \left( \rho_{W,v} + \rho_{F,v} \cdot \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_n} \right) \cdot e^{i2\pi \varphi_v t_n}, \quad (2.1)$$

where  $t_n$  denotes the echo-time (TE) shift ( $n = 1, \dots, N$ ) of the acquired signal;  $\rho_{W,v}$  and  $\rho_{F,v}$  are the water and fat components at voxel  $v$ , respectively;  $M$  is the number of fat peaks in the fat spectrum;  $\delta_m$  is the frequency of the  $m$ -th peak with its corresponding amplitude  $\alpha_m$  (Hz), such that  $\sum_{m=1}^M \alpha_m = 1$ ;  $\varphi_v$  (Hz) is the local

frequency offset at voxel  $v$  (i.e. the field map). We used a calibrated fat spectrum model as shown in [20], where  $M = 6$  and the main fat peak is at  $\sim 420$  Hz, relative to the water peak at 3.0 Tesla. Having three or more echo-times (TE) acquired (as described above), Equation 2.1 can be reformulated as follows:

$$S_v(t) = \Psi(\varphi_v, t) \cdot A(t) \cdot P_v, \quad (2.2)$$

where

$$\Psi(\varphi_v) = \begin{bmatrix} e^{i2\pi \varphi_v t_1} & 0 & 0 \\ 0 & \ddots & 0 \\ 0 & 0 & e^{i2\pi \varphi_v t_N} \end{bmatrix}, \quad A = \begin{bmatrix} 1 & \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_1} \\ \vdots & \vdots \\ 1 & \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_N} \end{bmatrix},$$

$S_v(t) = [S_v(t_1), \dots, S_v(t_n)]^T$ ,  $P_v = [\rho_{W,v}, \rho_{F,v}]^T$ . To estimate the required water and fat components  $(\rho_{W,v}, \rho_{F,v})$ , the frequency offset  $\varphi_v$  should be demodulated first. Hence, dropping the known echo-time shift  $(t_n)$ , a non-linear least-squares cost function can be derived from Equation 2.2 as follows:

$$\begin{aligned} \Gamma(\varphi_v) &:= \|A \cdot \hat{P}_v - \hat{\Psi}^{-1}(\varphi_v) \cdot S_v\|_2 \\ \Gamma(\varphi_v) &:= \|(AA^\dagger - I) \hat{\Psi}^{-1}(\varphi_v) \cdot S_v\|_2, \end{aligned} \quad (2.3)$$

where  $\hat{P}_v$  and  $\hat{\Psi}(\varphi_v)$  are the estimated values of  $P_v$  and  $\Psi(\varphi_v)$  respectively,  $I$  is the identity matrix, and  $^\dagger$  denotes the pseudo-inverse, *s.t.*  $A^\dagger = [A^T A]^{-1} A^T$ . However, two main problems are encountered when minimizing  $\Gamma(\varphi_v)$ : first, the non-convex property of the function, and second, it does not impose a priori smoothness on the estimated field map, as it is a voxel-by-voxel based strategy, and global minimization is not guaranteed.

## 2.2.2 The Potts Model

In image processing, a multi-labeling problem assigns the optimal label  $\varphi \in \varphi_1 \dots \varphi_L$  to each voxel. The Potts model is a labeling approach that minimizes the total perimeter of all one-label regions, without assuming any prior order for the labels. It results in a partition of the continuous domain  $\Omega$  into  $L$  disjoint subdomains  $\{\Omega_i\}_{i=1}^L$ , as follows:

$$\min_{\{\Omega_i\}_{i=1}^L} \sum_{i=1}^L \int_{\Omega_i} \Gamma(\varphi_i, x) dx + \lambda \sum_{i=1}^L |\partial\Omega_i| \quad (2.4)$$

$$s. t. \bigcup_{i=1}^L \Omega_i = \Omega, \text{ and } \Omega_k \cap \Omega_m = \emptyset, \quad \forall k \neq m$$

where  $\Gamma(\varphi_i, x)$  is the cost of assigning label  $\varphi_i$  to location  $x$ , as defined in Equation 2.3,  $\emptyset$  denotes an empty set, and  $|\partial\Omega_i|$  measures the perimeter of each subdomain  $\Omega_i$ ,  $i = 1, \dots, L$ .

The Potts model in Equation 2.4 can be efficiently solved by its convex-relaxation model as follows [21]:

$$\min_{u \in S} \left\{ E(u) := \sum_{i=1}^L \left( \int_{\Omega} u_i(x) \Gamma(\varphi_i, x) dx + \beta \int_{\Omega} |\nabla u_i| dx \right) \right\} \quad (1.5)$$

where  $S$  is the convex constrained set of  $u(x) := (u_1(x), \dots, u_L(x))$ :

$$S = \left\{ u(x) \mid \sum_{i=1}^L u_i(x) = 1, \quad \forall x \in \Omega; \quad u_i(x) \in [0, 1], \quad i = 1, \dots, L \right\}$$

### 2.2.3 Minimum Description Length (MDL)-Based Potts Model

The minimum description length (MDL) principle penalizes the number of appearances or labels in image labeling problems. It naturally leads to the use of fewer partitions or labels to describe the given image, without simultaneously over smoothing the underlying domain [18]. The MDL cost is introduced by adding the term  $\gamma Z$  to the Potts model, where  $\gamma$  is a constant and  $Z = \#\{1 \leq i \leq L \mid \Omega_i \neq \emptyset\}$  gives the number of non-empty labels, i.e. a label-cost prior. Yuan *et al.* [18] showed that adding the label-cost prior to Equation 2.5 leads to the following convex-relaxed MDL-based Potts model, used here:

$$\min_{u \in S} \left\{ E(u) := \sum_{i=1}^L \left( \int_{\Omega} u_i(x) \Gamma(\varphi_i, x) dx + \beta \int_{\Omega} |\nabla u_i| dx \right) \right\} + \gamma \sum_{i=1}^L \max_{x \in \Omega} u_i(x) \quad (2.6)$$

### 2.2.4 A Fast Continuous Max-Flow Approach to MDL-based Potts Model

The continuous max-flow approach [21, 22] to the MDL-based Potts model (Equation 2.6) used in this study is summarized below:

Let  $\Omega$  be a continuous 2D image domain,  $L$  the number of labels, and  $\Omega_i$ ,  $i = 1, \dots, L$  a copy of  $\Omega$  assigned to the  $i^{th}$  label. For each location  $x \in \Omega$ , a source flow  $\rho_s(x)$  is streaming from the source node  $s$  to a labeled copy  $\Omega_i$ ,  $s.t. \forall \Omega_i$ ,  $i = 1, \dots, L$ ,  $\rho_s(x)$  is the same. Similarly for each  $x \in \Omega$ , a sink flow to the sink  $t$  is assigned. However,  $\rho_i(x)$ ,  $i = 1, \dots, L$  may differ. A spatial flow  $q_i(x)$   $i = 1, \dots, L$  is also defined for each location. The continuous max-flow model can be formulated as follows:

$$\max_{\rho_s, \rho, q} \left\{ P(\rho_s, \rho, q) := \int_{\Omega} \rho_s dx \right\}, \quad (2.7)$$

subject to the constraints:

- a.  $(\text{div } q_i - \rho_s + \rho_i - r_i)(x) = 0, \quad i = 1, \dots, L$
- b.  $|q_i(x)| \leq C_i(x), \quad \rho_i(x) \leq \Gamma(\varphi_i, x), \quad \int_{\Omega} |r_i(x)| dx \leq \gamma \quad i = 1, \dots, L,$

where  $C_i(x) = \beta$  is the capacity of the spatial flow  $q_i(x)$ , and  $r_i(x)$  is the extra flow associated with the penalty of the number of labels. Yuan *et al.* [18] proved that the max-flow formulation (Equation 2.7) is dual to the convex-relaxed MDL-based Potts model, and results in an efficient flow maximization algorithm to Equation 2.6.

## 2.3 Experiments

Our method was tested on 19 abdominal and cardiac images acquired on a 3.0 T MRI system (Discovery MR 750, GE Healthcare, Waukesha, WI). Cardiac images were acquired in different orientations (short-axis, 4-chambers and axial views) with a fast multi-echo GRE sequence using a 32-coil cardiac array [23]. Abdominal images were acquired with a 3D IDEAL-SPGR sequence [20] using an 8-coil array. Four and 6 equally-spaced echo-time shifts were used (interleaved acquisition for cardiac data). Each cardiac slice is acquired in one ~20s breath-hold while the 8 abdominal slices were acquired with parallel MRI acquisition (acceleration factor of 2) in one ~20s breath-hold. Matrix sizes of acquired images varied between 256x256 and 256x192.

The field map estimated from the first and final stages of our approach, as well as the fat and water components are shown below (Figure 2.2). For the abdominal example,  $TE/\Delta TE = 1.04/0.828$  msec and  $TR = 7.324$  msec; for the cardiac example,  $TE/\Delta TE = 2.28/1.54$  msec and  $TR = 12.66$  msec.

Our results are compared to those obtained from the region-growing technique [11] on the same dataset, to show that water/fat swaps have been significantly reduced (Figure 2.3). A major drawback in the region-growing method is that it forces the field map smoothness using a 2D extrapolation approach, which does not account for the abrupt changes of field homogeneity, in particular in cardiac images. We

have tackled this problem by employing a convex-relaxed labeling model that guarantees the global optimum. Moreover, it implicitly imposes smoothness on the estimated field map by penalizing small partitions, which correspond to regional water/fat swaps.

The processing time of our method is 1.5-5 minutes per image, depending on the level of smoothness and the underlying degree of inhomogeneities, compared to 6.5 minutes per image for the region-growing method. Moreover, the max-flow stage can be easily accelerated over modern computation frameworks, e.g. graphics processing units (GPU).



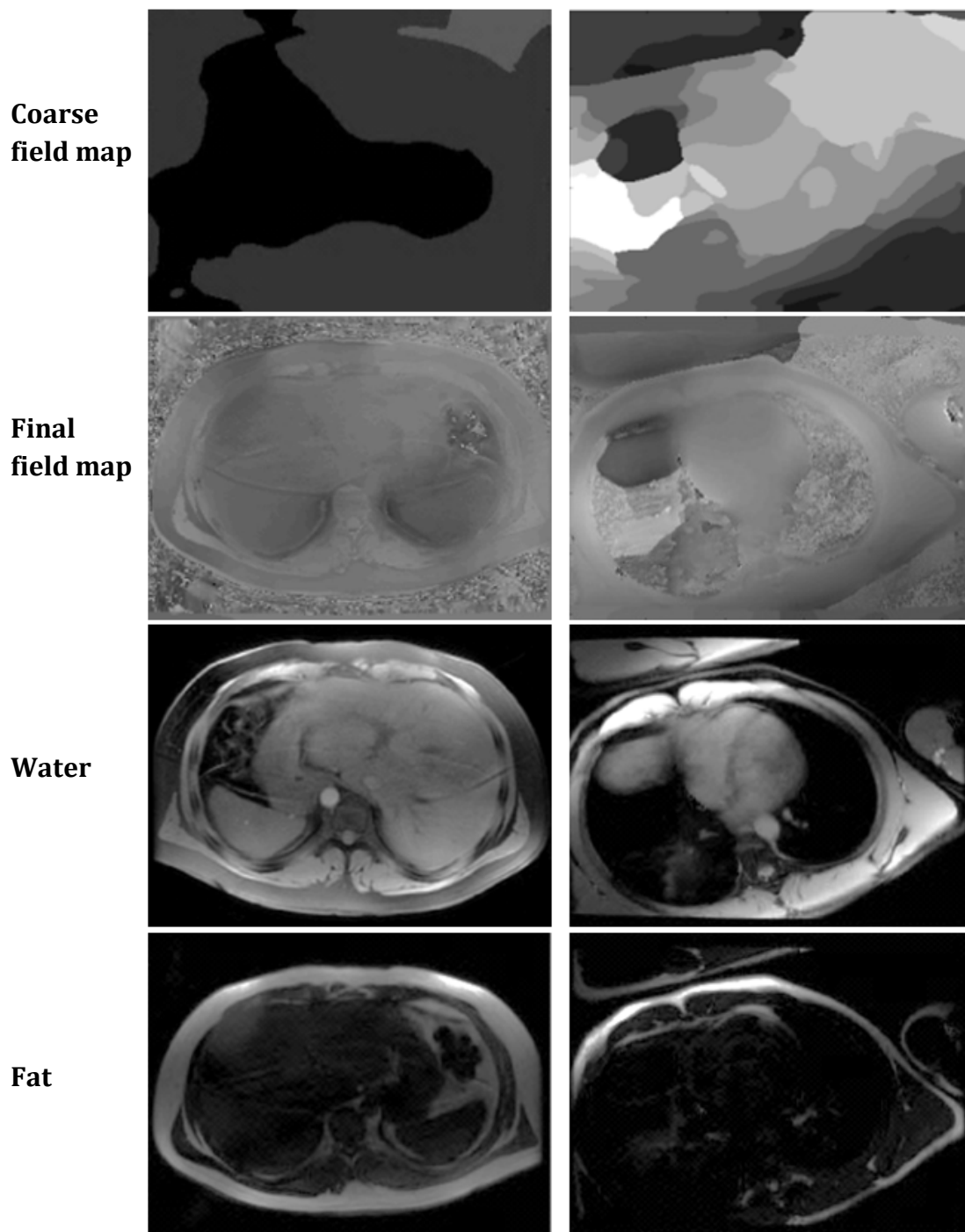


Figure 2.2: Left column: axial abdominal slice, Right column 4-chambers cardiac view. Top to bottom: the coarse estimate of field map from the max-flow stage, final field map after the second stage, water and fat components

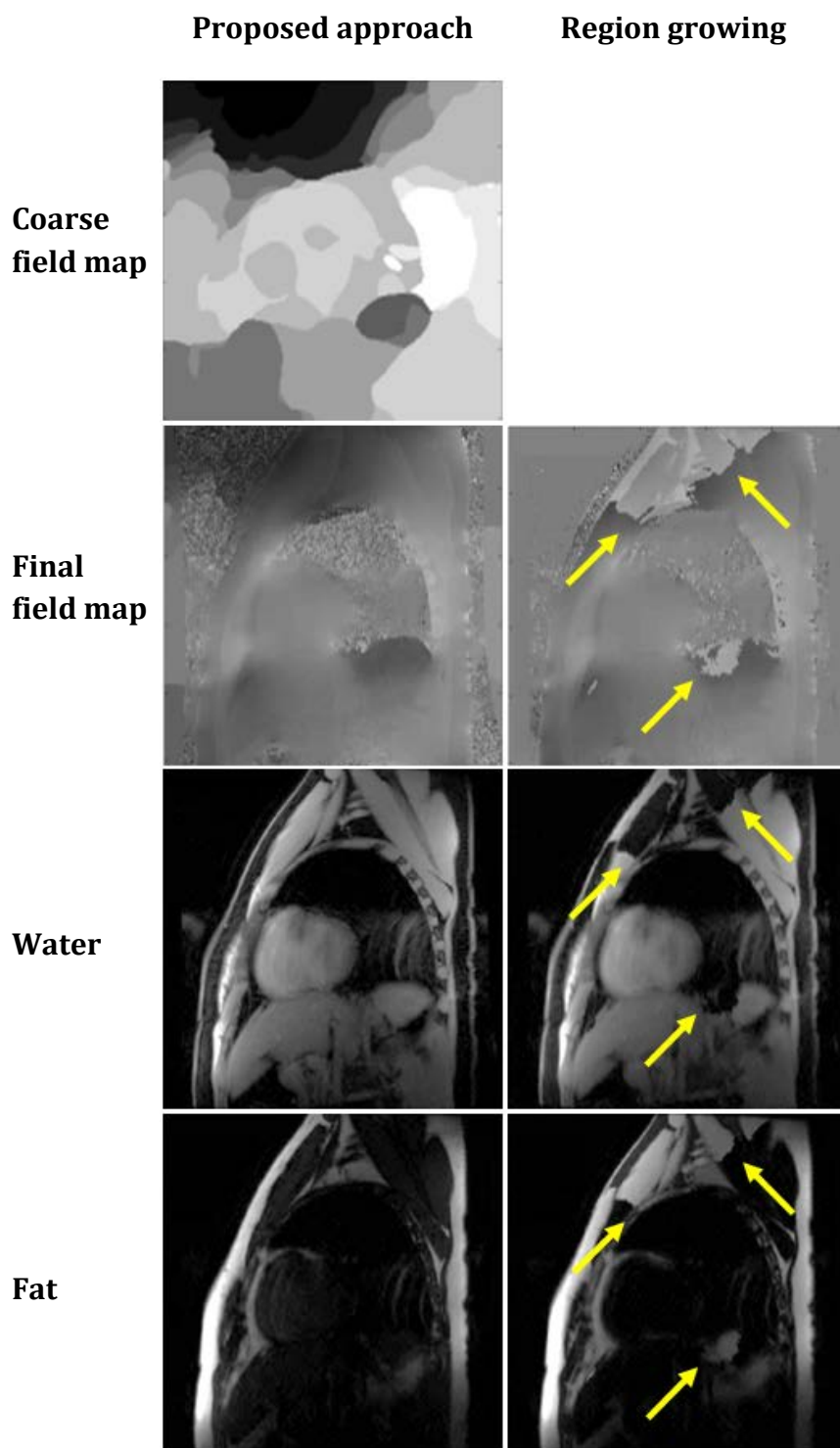


Figure 2.3: Comparison between our approach (left column) and the region-growing method (right column) on a short-axis cardiac image. Yellow arrows indicate the locations of water/fat swaps that have clearly avoided by our method.

## 2.4 Discussion

The robustness of field map estimation techniques is usually judged by the visual identification of water/fat swaps. However, we provide an approximate metric for the effectiveness of the technique by counting the number of pixels that have shown water/fat swaps in a user-defined region of interest – In abdominal images, the liver is assumed to be the region of interest, while in cardiac images the whole intra-thoracic space including the area surrounding the diaphragm is considered. An approximate average for the pixels showing water/fat swaps is  $\sim 274 \pm 720$  pixels with the region-growing technique vs.  $\sim 17 \pm 32$  pixels with our proposed method.

Taking into account the periodicity of  $\Gamma(\varphi)$  [11, 12] (i.e.  $\pm 1 / (2\Delta TE)$  ), we found that using 20 equally-spaced field offsets for the first stage is sufficient to target the optimal label. However, relying only on the max-flow stage to reach the exact field offset would significantly increase the processing time, as we would use up to  $\sim 800$  labels in order to achieve the same high resolution field map.

Comparing to a recent graph cut-based technique [13] currently used in clinical applications [4], our approach provides a field map with higher frequency resolution, with an estimation error less than 1 Hz over the whole image. This may have important utility for supporting accurate myocardial and pericardial fat quantification, given an expanding use of 3.0 Tesla field strengths for cardiac imaging.

## Acknowledgments

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*"Wherever you go, go with all your heart"*  
- Confucius

## Chapter 3

### Max-IDEAL:

# A Max-Flow Based Approach to IDEAL Water /Fat Separation<sup>1</sup>

### 3.1 Preface

In the previous chapter we introduced a new convex relaxation approach to address the field map estimation problem. The technique does not rely on spatial-smoothness constraints as previous methods; however a unique global smoothness constraint is employed to estimate the inhomogeneities. Although successful

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<sup>1</sup> This chapter is adapted from a peer-reviewed article published in *Magnetic Resonance in Medicine*: Soliman, A.S., Yuan, J., Vigen, K.K., White, J.A., Peters, T.M., and McKenzie, C.A. "Max-IDEAL: A max-flow based approach for IDEAL water/fat separation." *Magnetic Resonance in Medicine* 72(2): 510-521, 2014.



water/fat separation was obtained in most cases, few challenges need yet to be addressed:

- i. There are several points related to the  $T_2^*$  decay of the signal:
  - a) It was shown that the  $T_2^*$  decay affects the accuracy of the quantification. Although the inclusion of  $T_2^*$  decay has been previously demonstrated in the literature [1] ( $T_2^*$ -IDEAL), the effect of including  $T_2^*$  decay in the labeling stage needs yet to be explored.
  - b) The initial estimate of the field map produced by the first stage neglects the  $T_2^*$  decay. We hypothesize that the inclusion of  $T_2^*$  decay will increase the robustness of estimating the initial guess of the labeling stage.
  - c) For each voxel, there is a certain field map value as well as a combined  $T_2^*$  decay for both water and fat components. Up to 50 discrete values of field map might be used in the labeling stage. Extending the same concept of labeling for the  $T_2^*$  decay, additional 5-10 discrete  $T_2^*$  might be also employed at each voxel. This will have a huge computation burden as approximately 250-500 labels should be built at each voxel. Consequently, the processing time will significantly increase.
- ii. In the previous chapter the imposed smoothness was controlled by two factors: the smoothness-constraint parameter and the MDL-parameter (label cost). In certain cases, manual tuning of both parameters were required, which makes it less applicable in clinical practice.
- iii. The evaluation of the convex relaxation approach was done against the well-known region-growing IDEAL-based technique [2]. Further comparisons against different techniques in the literature are required to assess the performance of the proposed smoothness constraint.

## 3.2 Introduction

Among various methods, Dixon-based, or chemical-shift based, techniques [3] have become the most commonly used for quantitative fat measurement due to their ability to generate a fat-only image with positive contrast. This approach relies upon the chemical-shift induced frequency difference between fat and water ( $\sim 3.5$  ppm). Basically, a multi-point Dixon method requires multiple acquisitions at different echo-times (TEs), followed by a post-processing step to reconstruct fat and water components. However, this reconstruction process can be severely hindered by the inhomogeneities in the main magnetic field ( $B_0$ ) that can cause ambiguity in the identification of water and fat signal components. Therefore, mapping such inhomogeneities – so called field mapping - is necessary for a correct water/fat separation. An incorrect estimation of field map values will propagate to the reconstructed fat and water images, causing what is commonly referred to as water/fat swaps, where the main signal in a water-dominant voxel is identified as fat, and vice-versa.

Several Dixon based techniques have been proposed in the literature to resolve the field inhomogeneity confounding water/fat separation [2, 4-17]; however, an algorithm that can guarantee an accurate separation without noticeable swaps has yet to be demonstrated. One common technique is the IDEAL (Iterative Decomposition of water and fat with Echo Asymmetry and Least-squares estimation) method [12] which has demonstrated successful separation in liver applications [18]. IDEAL [12, 13] employs an iterative process to simultaneously estimate the field map, fat and water components. However, the original IDEAL implementation [12, 13] uses a local optimization method that heavily depends on the initialization process, and hence, convergence to the global optimum is not guaranteed. Moreover, it is a voxel-independent optimization, i.e. it does not enforce any global smoothness prior to the estimated field map.

A region-growing method has been proposed by Yu et al. [2] to address the limitations of IDEAL. They performed zero-initialized IDEAL processing on a low-

resolution version of the image, and used the output as an initial guess for a specific region in the high-resolution (original) image. After performing IDEAL, the field map values of this region were then linearly extrapolated in a square-spiral trajectory, to be used as an initial guess for the local neighboring pixels. Although this method implicitly imposes a spatial smoothness on the field map via the extrapolation process, it does not account for the abrupt changes in magnetic field that might exist at tissue/air interfaces, which might cause water/fat swaps.

The VARPRO formulation [7] has been used to resolve the ambiguity of field map estimation and was addressed using the iterated conditional modes (ICM) algorithm [7], which is based on the use of Markov Random Fields, and the well-known graph-cut algorithm [8]. This approach imposes a smoothness constraint by considering the differences between a field map value at certain pixel and the neighboring values. While this explicit spatial smoothness is used to avoid incorrect estimation, over-smoothing of the field map may occur, particularly where rapid variations of  $B_0$  exist. To avoid over-smoothness, Lu and Lu [11] introduced the JIGSAW algorithm, in which a new consistency measure between adjacent field map values replaced the conventional spatial smoothness constraint. However, the algorithm was only introduced for a single peak fat spectrum, and the  $T_2^*$  decay, which is necessary for accurate quantification of fat fraction [19], was not considered. Another recent technique is the Fat Likelihood Analysis for Multiecho Signals (FLAME) [17], which identifies water- and fat-dominant pixels by exploiting the fitting residuals of two different signal models as complementary information, in addition to field map smoothness, to achieve the separation.

We have previously proposed a modified version of the IDEAL method capable of resolving abrupt  $B_0$  transitions without over-smoothing the resultant field map [14, 15]; it outperforms the widely-used region-growing-based IDEAL. This method 'labels' the field of view into regions of coarse estimates of frequency offsets before applying the IDEAL reconstruction. In the current work, the labeling approach is extended to include the  $T_2^*$  effect in the reconstruction process, showing that

inclusion of  $T2^*$  in the labeling stage significantly improves the robustness of water/fat separation. Moreover, an adaptive spatial filtering stage is added as a pre-processing step to increase the efficiency of the approach by generating an approximate estimate of the vulnerable locations that might result in water/fat swaps. Finally, comparisons with recently proposed techniques, namely the graph-cut [8] and the FLAME [17] methods, are provided. The approach was tested on liver and cardiac images of healthy volunteers, abdominal datasets of NAFLD patients with iron-overload where  $T2^*$  maps are required for diagnosis, as well as cases from the ISMRM 2012 challenge on water-fat separation.

### 3.3 Theory

The proposed method consists of two stages, the first of which produces an approximate estimate of the field map in which each voxel is assigned a frequency offset near its optimal global minimum. In other words, a coarse discretization of the whole range of the field map (bounds described next section) is used to assign each region in the image domain to certain frequency offset. The objective of this stage is to enforce the estimation process towards the global minimum. The output is employed as an initial estimate of the field map in the gradient-descent-based IDEAL processing of the second stage where the final field map (in a higher frequency resolution) is obtained. Therefore, the role of the first stage is to resolve the ambiguity of the estimation by the convex-relaxation approach, while the second step converges to the exact value of the frequency offset. This approach is capable of detecting the regions of abrupt changes of frequency offset via a unique smoothness constraint imposed in the labeling stage [14, 15]. The process of dividing the image domain into regions is termed “labeling”. In this work, the Potts labeling model [20] is used through its convex-relaxed formulation [20, 21]. In particular, the approach essentially relies on a continuous max-flow algorithm to solve the labeling model prior to the IDEAL processing and is therefore named Max-IDEAL.

In addition to the well-known non-convex property of this problem [6-8, 10, 13], the required degree of smoothness is another challenge that accompanies the estimation process. Although the variations of magnetic field are assumed to be smooth, enforcing a strong spatial smoothness can produce erroneous estimation if the algorithms employed do not account for the sudden B0 variations that are induced at air/tissue interfaces as well as for the high rates of change of inhomogeneities that might exist throughout the field of view. Additionally, an accurate signal modeling is required for a correct estimation. In other words, as the cost function is derived from the signal equation, considering the multi-peak fat spectrum and the T2\* decay in the signal model is necessary to reduce the ambiguity in distinguishing the correct field map from the aliased solution (i.e. the solution that causes a “water/fat swap”) [17, 19]. It was previously shown that T2\*-IDEAL stage provides more accurate fat fraction maps [1, 18, 19]. However, as will be shown in this work, it is also necessary to incorporate the effect of T2\* decay in the labeling stage.

In the following sections, the cost function to be minimized is derived from the signal equation, and then the adaptive spatial filter and the multi-labeling model are described.

### 3.3.1 Signal Equation

Let  $S(\cdot)$  denote the signal acquired from a voxel  $v$ , containing a mixture of water and fat, such that:

$$S_v(t_n) = \left( \rho_{W,v} + \rho_{F,v} \cdot \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_n} \right) \cdot e^{i2\pi \varphi_v t_n} e^{-R_{2^*v}^* t_n}, \quad (3.1)$$

where  $t_n$  (s) denotes the echo-time (TE) ( $n = 1, \dots, N$ ) of the acquired signal;  $\rho_{W,v}$  and  $\rho_{F,v}$  are the water and fat components at voxel  $v$ , respectively;  $M$  is the number of fat peaks in the fat spectrum;  $\delta_m$  (Hz), is the frequency of the  $m$ -th peak with its

corresponding amplitude  $\alpha_m$ , such that  $\sum_{m=1}^M \alpha_m = 1$ ;  $\varphi_v$  (Hz) is the local frequency offset at voxel  $v$  (i.e. the *field map*),  $R_{2v}^*$  ( $s^{-1}$ ) models the  $T_2^*$  (s) decay at voxel  $v$ , such that  $R_2^* = \frac{1}{T_2^*}$ . A pre-calibrated fat spectrum model is employed [19], where  $M=6$ ,  $\delta_m = [485.41, 434.32, 332.12, 247.82, 49.82, -76.64]$  Hz at 3.0 Tesla, with corresponding amplitudes,  $\alpha_m = [0.0870, 0.6930, 0.1280, 0.0040, 0.0390, 0.0480]$ . Having four or more echo-times (TE) acquired, Equation 3.1 can be reformulated as follows [1, 13]:

$$S_v(t_n) = \Psi_v(\varphi, R_2^*, t_n) \cdot A(t_n) \cdot P_v, \quad (3.2)$$

where

$$\Psi_v(\varphi, R_2^*, t_n) = \begin{bmatrix} e^{i(2\pi\varphi_v + iR_{2v}^*)t_1} & 0 & 0 \\ 0 & \ddots & 0 \\ 0 & 0 & e^{i(2\pi\varphi_v + iR_{2v}^*)t_N} \end{bmatrix},$$

$$A = \begin{bmatrix} 1 & \sum_{m=1}^M \alpha_m \cdot e^{i2\pi\delta_m t_1} \\ \vdots & \vdots \\ 1 & \sum_{m=1}^M \alpha_m \cdot e^{i2\pi\delta_m t_N} \end{bmatrix}$$

$S_v(t) = [S_v(t_1), \dots, S_v(t_n)]^T$ ,  $P_v = [\rho_{W,v}, \rho_{F,v}]^T$ . To estimate the required water and fat components ( $\rho_{W,v}, \rho_{F,v}$ ), the frequency offset  $\varphi_v$  should be demodulated first. Hence, dropping the known echo-time ( $t_n$ ), a non-linear weighted least-squares cost function can be derived from (Equation 3.2) as follows:

$$\Gamma_v(\varphi, R_2^*) := \left\| A \cdot \hat{P}_v - \hat{\Psi}_v^{-1}(\varphi, R_2^*) \cdot S_v \right\|_2$$

$$\Gamma_v(\varphi, R_2^*) := \left\| (AA^\dagger - I) \cdot \hat{\Psi}_v^{-1}(\varphi, R_2^*) \cdot S_v \right\|_2, \quad (3.3)$$

where  $\hat{P}_v$  and  $\hat{\Psi}_v(\varphi, R_2^*)$  are the estimated values of  $P_v$  and  $\Psi_v(\varphi, R_2^*)$  respectively,  $I$  is the identity matrix, and  $^\dagger$  denotes the pseudo-inverse, *s. t.*  $A^\dagger = [A^T A]^{-1} A^T$ .

Two main problems are encountered when minimizing  $\Gamma_v(\varphi, R_2^*)$ : first, the non-convex property of the function shows multiple local minima – Figure 3.1 (a, b). Second,  $\Gamma_v(\varphi, R_2^*)$  does not impose *a priori* smoothness on the estimated field map, as it is a voxel-by-voxel based strategy.

It is important to note that to maximize the signal-to-noise performance, the images are acquired at equally-spaced echo-time shifts (i.e.  $TE_n - TE_{n-1} = \Delta TE$ ) [12]. In this case,  $\Gamma_v(\varphi)$  is periodic with a period of  $1/\Delta TE$ , allowing us to determine the lower and upper bounds of the search space, which are set to  $[\pm 1/(2\Delta TE)]$ , necessary for the max-flow model employed in the first stage.

The required smoothness level depends on the severity of B0 inhomogeneity, which varies between different anatomies as well as with different acquisition parameters [12, 22] (e.g. first TE, echo-spacing). In Soliman *et al.* [15], water/fat swaps were avoided primarily via adjusting two parameters: a label-cost prior and the smoothness parameter of the labeling model. To reduce the effort of case-by-case adjustment in the current work, the label-cost prior is replaced instead by performing two major modifications to the signal residuals  $\Gamma_v(\varphi)$ : 1. incorporating  $T_2^*$  effect in the labeling stage; 2. introducing an adaptive spatial filter (ASF) as a pre-processing step before the labeling stage.

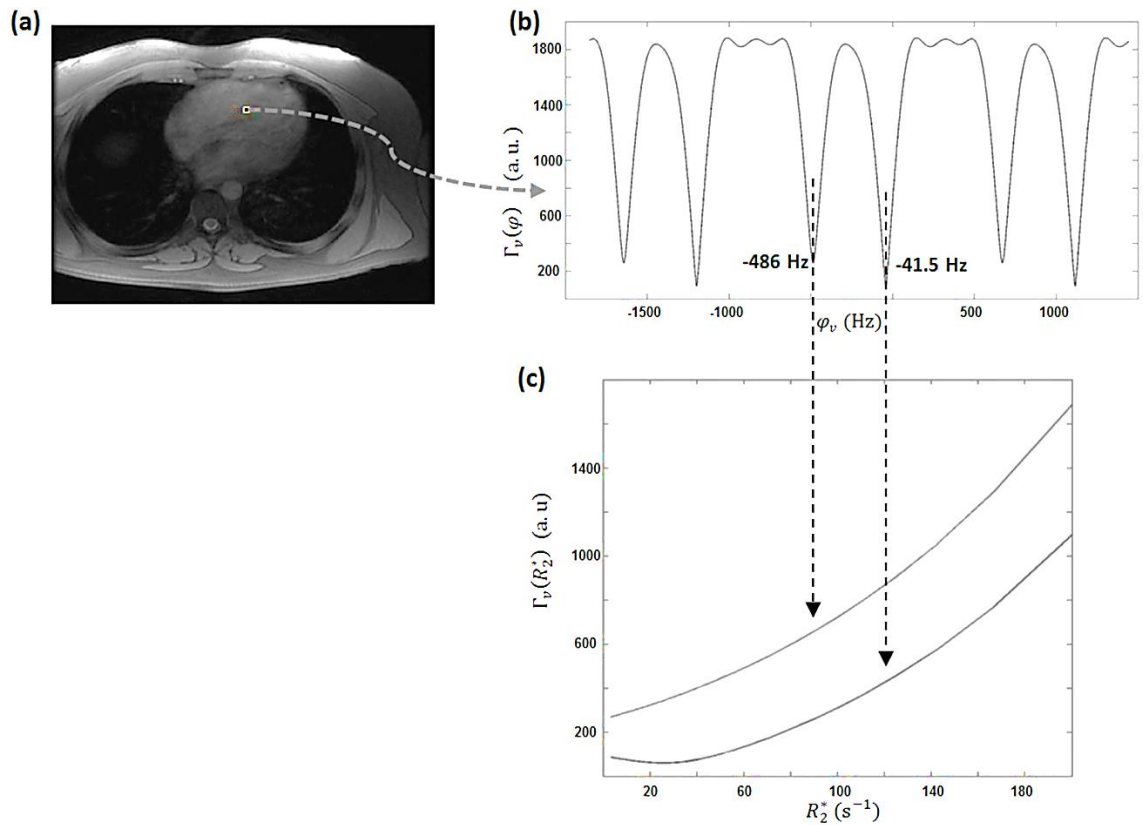


Figure 3.1: (a) A point is selected on a 2D axial cardiac image. (b) Neglecting the effect of  $T_2^*$  decay (i.e.  $R_2^* = 0$ ), the variation of the signal residuals  $\Gamma_v(\varphi)$ . (c) By assigning  $\varphi_v$  to its optimal value ( $-41.5$  Hz) and the aliased value ( $-486$  Hz), the variation of  $\Gamma_v(R_2^*)$  is drawn with different  $R_2^*$  values.



### 3.3.2 Inclusion of $T_2^*$ effect

The residual function  $\Gamma_v(\varphi, R_2^*)$  varies in a 2D space over the field map,  $\varphi$  and  $R_2^*$  respectively. Unlike the field map, the variation of the signal residuals (Equation 3.3) with  $T_2^*$  decay is less complicated. In order to minimize  $\Gamma_v(\varphi, R_2^*)$  for the optimal field map, a dimensionality reduction is necessary. Previously, “joint” [6, 8] and “decoupled” [6] approaches were used to include the  $T_2^*$  effect. In the “joint” estimation, for certain frequency offset  $\varphi_i$ , the residual function is redefined with respect to  $R_2^*$ , *s. t.*  $\overline{\Gamma}_v(\varphi_i) = \min \Gamma_v(\varphi_i, R_2^*)$ ; whereas in the “decoupled” estimation,  $R_2^*$  is first neglected *s. t.*  $\overline{\Gamma}_v(\varphi_i) = \Gamma_v(\varphi_i, R_2^* = 0)$ , then subsequently estimated in a second step. In this work, a different approach is used to address the  $T_2^*$  effect. In Figure 3.1 (c), we observed that, for certain frequency offset  $\varphi_i$ , the change of the residual function,  $\Gamma_v(\varphi_i, R_2^*)$  over a discrete  $R_2^*$  range is a simple convex function, which usually has lower residuals from the correct minimum,  $\varphi_{correct}$ , than those obtained from the aliased solution,  $\varphi_{aliased}$ . Therefore, by summing the residuals over the discrete set of  $R_2^*$  values, a variant of the residual function is defined as follows:

$$\overline{\Gamma}_v(\varphi_i) = \sum_{k=1}^K \Gamma_v(\varphi_i, R_{2k}^*), \quad (3.4)$$

where  $K$  is the number of discrete  $R_2^*$  set. Consequently,  $\overline{\Gamma}_v(\varphi)$  becomes a more accurate representation of the cost of assigning frequency  $\varphi$  at voxel  $v$ . We found that this “inclusive” approach is more amenable to the incorporation of  $T_2^*$  decay effects in the labeling process, which is essential in some cases, as will be shown in the discussion section.

### 3.3.3 Adaptive Spatial filtering (ASF)

This filter produces an approximate estimate of the locations where water/fat swaps may occur, and the corresponding cost of these locations is consequently increased. The rationale beyond modifying the cost arises from the fact that, for a uniform echo-spacing acquisition,  $\overline{\Gamma}_v(\varphi)$  exhibits at least two minima [5, 10, 14] for the correct and aliased solutions respectively – Figure 3.1 (b). Hence, by increasing the cost of the vulnerable locations,  $\overline{\Gamma}_v(\varphi)$  is weighted towards the correct frequency offset at voxel  $v$ . The ASF is performed as follows:

Assuming  $\eta_v$  is a straightforward minimization of  $\overline{\Gamma}_v(\varphi)$  at voxel  $v$ , *s. t.*

$$\eta_v = \underset{\{\varphi_i\}_{i=1}^L}{\operatorname{argmin}} \overline{\Gamma}_v(\varphi_i) \quad (3.5)$$

where  $L$  is a discrete set of frequency offsets. As noted by Lu *et al.* [10], the global minimum of the signal residuals at certain location  $v$  might not represent the correct frequency offset. Hence  $\eta$  is expected to show clear fat/water swaps, as demonstrated by Figure 3.2 (a). For a pixel with coordinates  $(m, n)$ , we define  $\eta_x^i(m, n)$ , as a backward finite difference of  $\eta$  in the  $x$ -direction, *s. t.*  $\eta_x^i(m, n) = \eta(m, n) - \eta(m - i, n)$ ;  $i = 1 \dots c_1$ ; and  $\eta_y^j(m, n)$  as a backward finite difference of  $\eta$  in the  $y$ -direction, *s. t.*  $\eta_y^j(m, n) = \eta(m, n) - \eta(m, n - j)$ ;  $j = 1 \dots c_2$ ; where  $c_1$  and  $c_2$  are two positive constants determining the range of finite differences at each direction respectively. Hence, we define  $F^{(k)}(m, n)$  as the filter output at iteration  $k$ , *s. t.*

$$F^{(k)}(m, n) = \sum_{i=1}^{c_1} \eta_x^i(m, n) + \sum_{j=1}^{c_2} \eta_y^j(m, n) \quad (3.6)$$

The output of  $F^{(1)}$  is shown in Figure 3.2 (b), where the vulnerable locations of water/fat swaps can easily be identified and separated via simple thresholding - Figure 3.2 (c). Dropping the pixel coordinates  $(m, n)$  for simplicity, the corresponding cost at voxel  $v$  is therefore modified as follows:

$$\overline{\Gamma}_v^{(k)}(\varphi_i, i = 1, \dots, L \mid \varphi_i = \eta_v) = \begin{cases} \overline{\Gamma}_v^{(k-1)}(\varphi_i) + c_3 & F^{(k)} > c_4 \\ \overline{\Gamma}_v^{(k-1)}(\varphi_i) & \text{otherwise} \end{cases} \quad (3.7)$$

where  $c_3$  and  $c_4$  are constants representing the added cost and the filter threshold, respectively. At the end of each iteration,  $\eta$  is updated, *s. t.*  $\eta^{(k+1)} = \operatorname{argmin}_{\{\varphi_i\}_{i=1}^L} \overline{\Gamma}^{(k)}(\varphi_i)$ . Figure 3.2 illustrates the role of the filter, showing  $\eta$  before (Figure 3.2 (a)) and after (Figure 3.2 (d)) the ASF processing. The resultant data cost,  $\overline{\Gamma}(\varphi)$ , obtained from ASF is then employed in the labeling stage (Equation 3.8), described next.

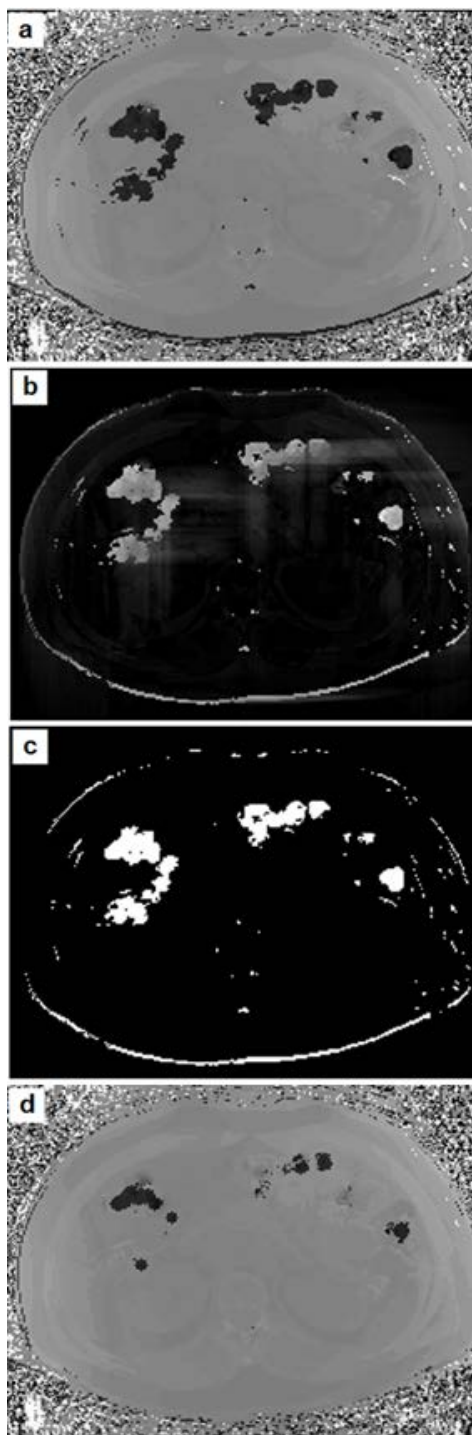


Figure 3.2: (a) Field map,  $\eta$ , obtained from Eq.5 before applying the adaptive spatial filter (ASF); (b) the output of ASF after the first iteration,  $F^{(1)}$ , from Eq.6; (c) A thresholded version of (b), producing a binary mask for the vulnerable locations of water/fat swaps; (d) the final output of the ASF, showing less water/fat swaps than (a).

### 3.3.4 The Potts Labeling Model

Recalling from Chapter 2, the Potts labeling model minimizes the total perimeter of all single-label regions, and results in a partition of the continuous domain  $\Omega$  into  $L$  disjoint subdomains  $\{\Omega_i\}_{i=1}^L$ , as follows:

$$\min_{\{\Omega_i\}_{i=1}^L} \sum_{i=1}^L \int_{\Omega_i} \Gamma(\varphi_i, x) dx + \lambda \sum_{i=1}^L |\partial\Omega_i| \quad (3.8)$$

$$\text{s. t. } \bigcup_{i=1}^L \Omega_i = \Omega, \text{ and } \Omega_k \cap \Omega_m = \emptyset, \quad \forall k \neq m$$

where the set of labels  $\varphi_i$ ,  $i = 1, \dots, L$ , corresponds to a set of equally-spaced frequency offsets, i.e. it is a rough discretization of the field map range.  $\Gamma(\varphi_i, x)$  is the cost of assigning label  $\varphi_i$  to location  $x$ , as defined in Equations 3.3, 3.4 and 3.7. Each subdomain  $\Omega_i$ ,  $i = 1, \dots, L$ , is labeled with a certain frequency offset  $\varphi_i$ ,  $i = 1, \dots, L$ , where  $|\partial\Omega_i|$  measures the perimeter of each subdomain  $\Omega_i$ ,  $i = 1, \dots, L$ , and  $\lambda$  is a regularization parameter that controls the weight of the total perimeter of the disjoint regions. It is important to note that the required smoothness of the field map is imposed here by the minimization of the total perimeter of the labeled regions included in the Potts model. This regularization term replaces the conventional local spatial smoothness constraint that was previously used in the literature [6-8]. The proposed smoothness constraint is capable of handling field inhomogeneities with high rates of change, as shown later.

The multi-label Potts model in Equation 3.8 can be approximated as a convex optimization problem, leading to a convex-relaxed Potts model that can be addressed using a flow-maximization approach, as proposed by Yuan *et al.* [20]. The continuous max-flow approach [20, 21] is equivalent to the minimal cut solution over the continuous image domain [21]. By mapping the labeling model to a continuous network flow problem as described in [20],  $\Gamma(\varphi_i, x)$  is set as the upper bound of the sink flow,  $\rho_i$ , where  $\rho_i(x)$  is the flow streaming from each labeled

copy,  $\Omega_i$ , to a sink  $t$ , at each  $x \in \Omega$ . For more details, please refer to Yuan *et al.* [15, 20]. It is important to note that in the convex flow configuration, the regularization term,  $\lambda \sum_{i=1}^L |\partial\Omega_i|$  in Equation 3.8 is mapped to the spatial flow of the network, for which the capacity of the flow controls the smoothness level of the total perimeter of the labeled regions. In other words, by employing the continuous max-flow approach, the capacity of the spatial flow becomes the tunable parameter that controls the degree of smoothness of the total perimeter in the labeling stage, *s. t.*  $|q_i(x)| \leq \beta$ . Here,  $q_i(x)$ ,  $i = 1, \dots, L$  is the spatial flow at location  $x$  and  $\beta$  is its capacity, which for simplicity, is referred to as the smoothness parameter in the current context.

## 3.4 Methods

### 3.4.1 MR acquisition

This work was carried out under approval granted by the Office of Research Ethics of Western University, Canada. Cardiac and abdominal images from 5 healthy volunteers were acquired on 3T MR system (Discovery MR 750, GE Healthcare, Waukesha, WI). The data acquired consists of 32 2D cardiac images from 3 healthy volunteers at different orientations (axial; short-axis and 2, 3, and 4 chambers long axis), as well as 136 slices from 4 3D axial abdominal datasets acquired from 2 NAFLD patients and 2 healthy volunteers. All the acquisitions were obtained with 6 unipolar equally-spaced echo-times (TE). Cardiac images were acquired with a fast multi-echo GRE sequence using a cardiac 32-coil array [23]. Each cardiac slice was acquired within one  $\sim 20$  s breath-hold with an interleaving acquisition [23]. Acquisition matrices of all cardiac data were 256x192, bandwidth = 651 Hz/pixel, flip angle =  $8^\circ$ , slice thickness = 8 mm, TR ranges between 8.31 ms and 9.74 ms, initial TE ranges between 1.82 ms and 2.38 ms with  $\Delta TE$  between 0.85 ms and 0.96 ms, respectively. All abdominal data were acquired with a 3D multi-echo SPGR sequence [19] in one  $\sim 20$  s breath-hold with parallel MRI acquisition. Data from 2

healthy volunteers were obtained: the first abdominal dataset consists of 8 slices of 10 mm thickness within the liver, acquired with 8-coil array at bandwidth of 1116 Hz/pixel, flip angle =  $8^\circ$ , TR = 7.32 ms, TE/ $\Delta$ TE = 1.04/0.83 ms and acquisition matrix of 192x192. The second dataset comprised 12 slices of 5 mm thickness, acquired with 32-coil array at bandwidth of 1116 Hz/pixel, flip angle =  $3^\circ$ , TR = 5.8 ms, TE/ $\Delta$ TE = 0.768/0.596 ms and acquisition matrix 128x128. Data from 2 NAFLD patients, covering the whole liver in 56 and 60 slices, respectively, were obtained. The 2 datasets were acquired with 8-coil array, flip angle =  $5^\circ$ , 5 mm slice thickness, acquisition matrix 224x128 and TR/TE/ $\Delta$ TE = 7.48/1.064/0.52 ms and 7.61/1.08/0.872 ms. These data are processed as follows:

### 3.4.2 Pre-processing: ASF

The signal residual at each voxel is constructed as in Equations 3.3 and 3.4, and subsequently processed with the ASF as described above. The number of discrete  $T_2^*$  values is set to 3 and the values were empirically set to 10, 50 and 60 ms, as this was found to be sufficient to include the  $T_2^*$  effect without a significant increase in the computation time.  $T_2^*$  values of 50 and 60 ms were chosen as approximations to the  $T_2^*$  value of fat, while 10 ms was chosen to consider the effect of rapid  $T_2^*$  decay that might exist. The number of finite differences performed was chosen as a scale of the image dimensions, for instance,  $c_1$  and  $c_2$  were set to the width/5 and the height/5 of the image, respectively. For a normalized filter  $F$ ,  $c_4$  is set to 0.4 and increased by 0.2 at each iteration; and  $c_3$  is set to 0.5.

### 3.4.3 STAGE I: A Continuous Max-flow Approach to Potts Model

The convex multi-labeling max-flow algorithm is capable of determining the optimal label for each voxel. As mentioned above, the labeling range is set between  $[\pm 1/(2\Delta TE)]$ . The range of frequency offsets is discretized into a set of equally-spaced labels, where each corresponds to certain frequency offset. The labeling process is

performed in 2D. The number of discrete labels was empirically chosen and set to 50 in all the experiments, as this was found to be sufficient to *target* a frequency offset near the global minimum, which is the goal of the first stage. The smoothness parameter  $\beta$  was set to a default value of 0.5. A coarse estimate of the field map is produced from this stage. It is worth noting that in some cases B0 inhomogeneities vary over more than one period throughout the field of view. This phenomenon is automatically detected before the processing. Consequently, the ASF step is automatically skipped and the smoothness parameter  $\beta$  is tuned down to 0.3 without user intervention. This automatic parameter tuning is necessary to avoid oversmoothing the initial field map.

#### 3.4.4 STAGE II: T<sub>2</sub>\*-IDEAL Water/fat Separation

The IDEAL iterative process has been implemented as described in Reeder *et al.* [12] and the T<sub>2</sub>\* decay was integrated in the estimation process as proposed in Yu *et al.* [1]. The original version of IDEAL sets the initial field map estimate of the iterative process to zero in all voxels. In the proposed approach, the estimate produced by the labeling stage is used as the initial field map. The stopping criterion for the IDEAL iterative process is set to < 0.5 Hz for the field map increment over the whole image. This criterion is assumed to be sufficient for clinical applications [13]. It is worth noting that T<sub>2</sub>\* is initialized to zero. Its effect was considered in the labeling stage to provide a more robust estimation of the field map; however, an initial T<sub>2</sub>\* map was not carried out in the first stage.

All the reconstructions were processed on a dual core Intel-Xeon PC @ 2.4 GHz and 24 GB of RAM. The Potts labeling stage was accelerated on a graphics processing unit (GPU) NVIDIA Quadro 600 with 96 CUDA cores and 1GB of memory. Comparisons with the graph-cut were performed using the implementation provided in the Fat-Water toolbox with its default set of parameters. For the FLAME technique, the online GE reconstruction was used.



### 3.5 Results

The Max-IDEAL approach was tested on a total of 168 2D slices from the acquired cardiac and abdominal data mentioned above. Out of all 168 images employed in this study, adjustment of the smoothness parameter was required in 1 cardiac case and 1 abdominal case, where  $\beta$  was set to 1 and 0.3, respectively. Among the cardiac datasets, a single case of failure demonstrated water/fat swaps that hinder the clinical interpretation of the underlying anatomy. Water/fat separation was successfully achieved in all abdominal examples. All the datasets were processed with the  $T_2^*$  estimation integrated in the estimation process and the  $R_2^*$  map was simultaneously obtained in all cases. The average processing time for the whole approach (including  $T_2^*$  estimation) was  $\sim 14$  s. Figure 3.3 shows the reconstruction of a cardiac 4-chamber view. As shown in Figure 3.3 (a), the output of the labeling stage can successfully handle the variations of  $B_0$  magnetic field by mapping each region to an approximate frequency offset. Another example of a 2-chamber cardiac slice is shown in Figure 3.4, where the fat fraction map ( $\text{fat}/(\text{fat}+\text{water})$ ) as well as the  $R_2^*$  map are shown. The abdominal data consist of 116 slices from 3D datasets of 2 NAFLD patients and 20 slices from 2 healthy volunteers. An example for a successful separation from a NAFLD patient with iron overload is shown in Figure 3.5. The reconstruction of the failure case could not be resolved with other state-of-the-art techniques, such as the graph-cut [8] and FLAME [14] methods as shown in Figure 3.6. Figure 3.7 shows a comparison between the proposed method and the labeling approach used in [15]. It is clear that using the label cost prior in [15] was not sufficient to avoid the occurrence of water/fat swaps; however, a successful reconstruction is achieved by the proposed approach.

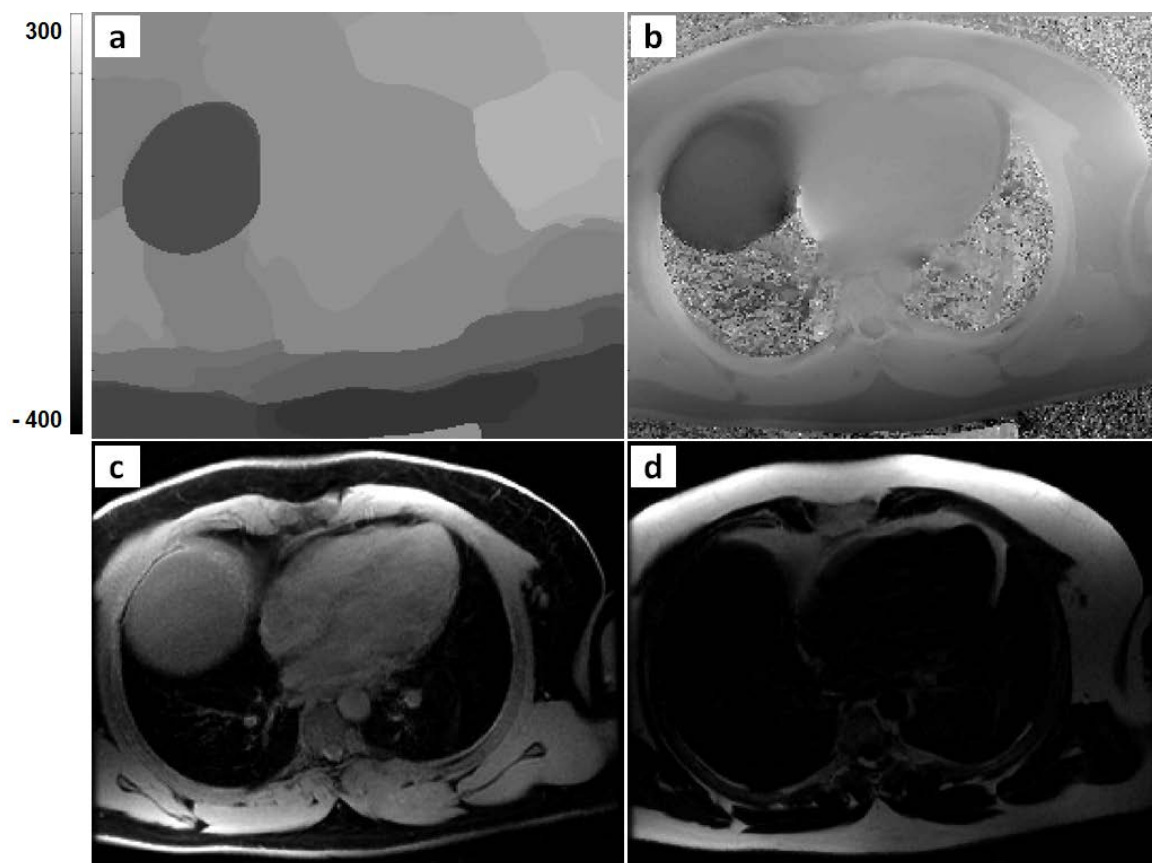


Figure 3.3: Fat water separation in a 4-chamber cardiac slice acquired from a healthy volunteer. (a) Output of the labeling stage showing a coarse estimation of the field map, (b) Final field map after the second stage, (c) Water component, (d) Fat component.

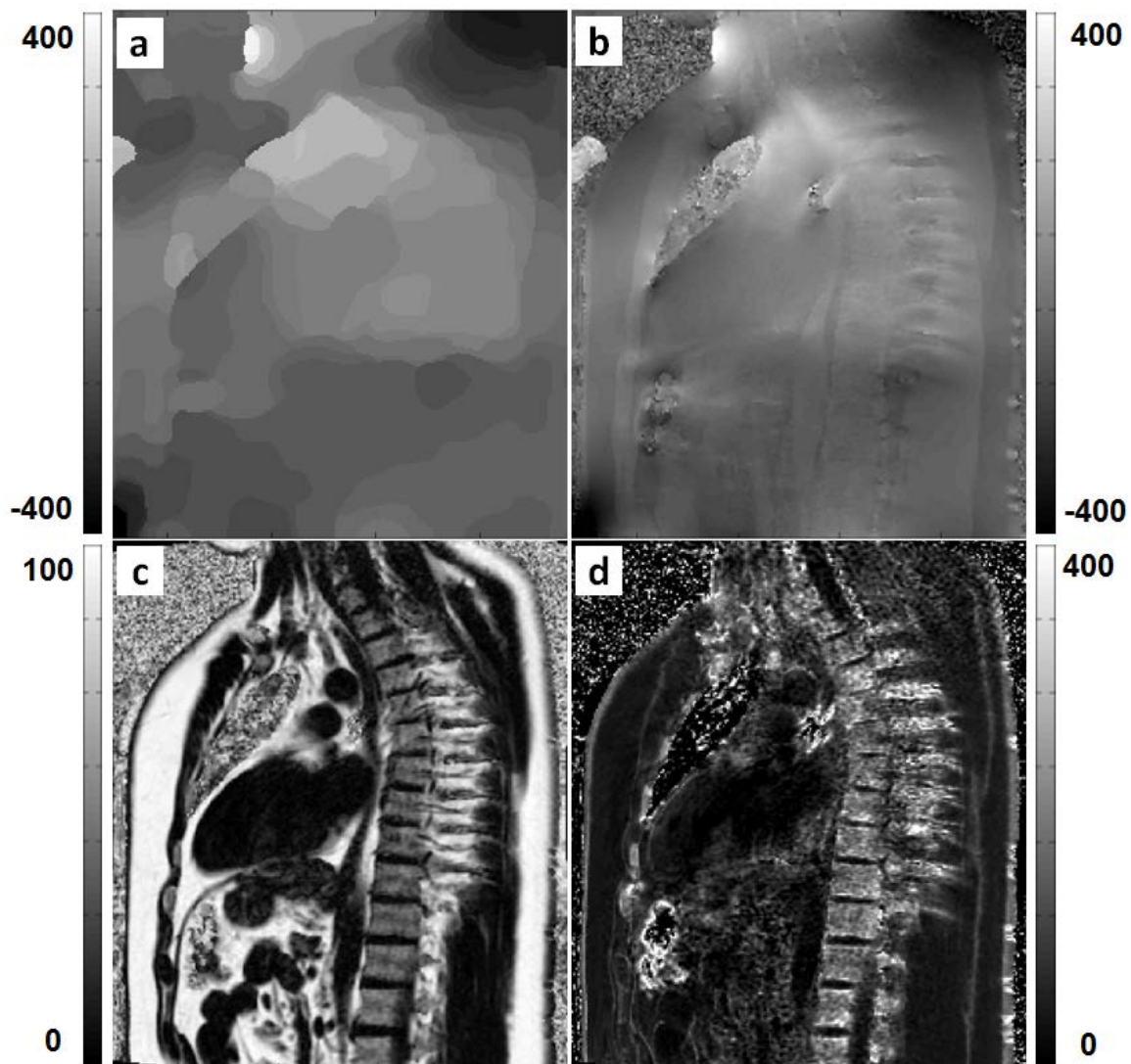


Figure 3.4: Reconstructed data from a 2-chamber cardiac. (a) The labeled field map from the first stage, (b) final field map, (c) fat fraction map and (d)  $R_2^*$  map

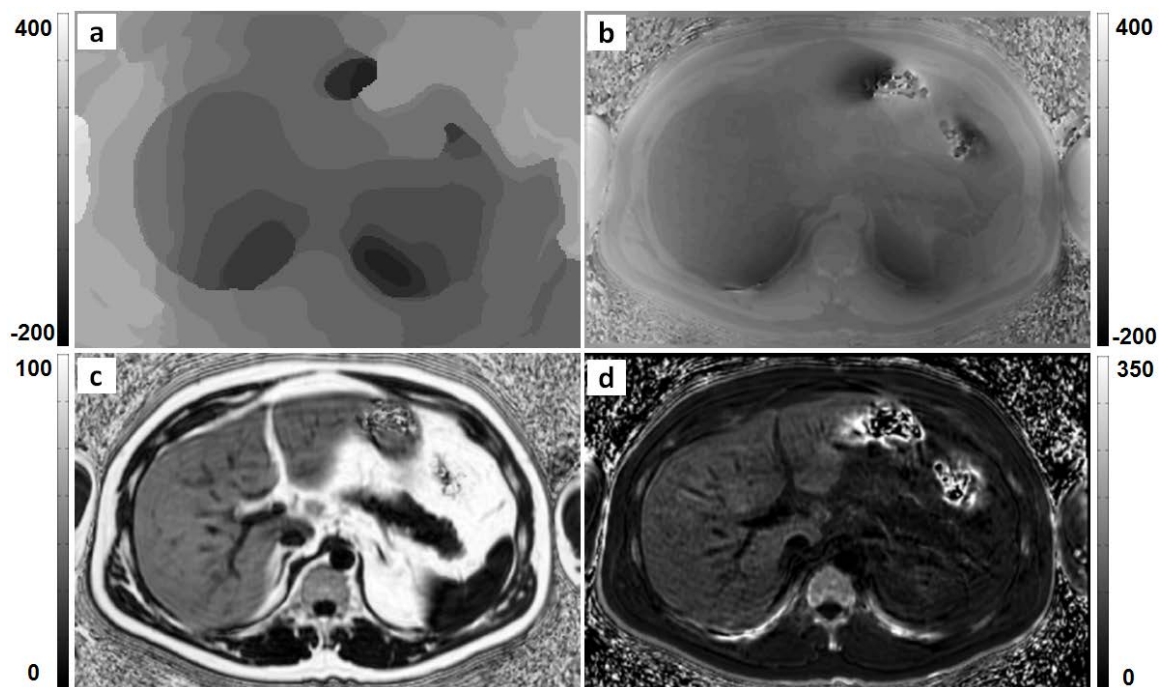


Figure 3.5: Reconstructed data from an axial abdominal slice. (a) The labeled field map from the first stage, (b) final field map, (c) fat fraction map and (d)  $R_2^*$  map

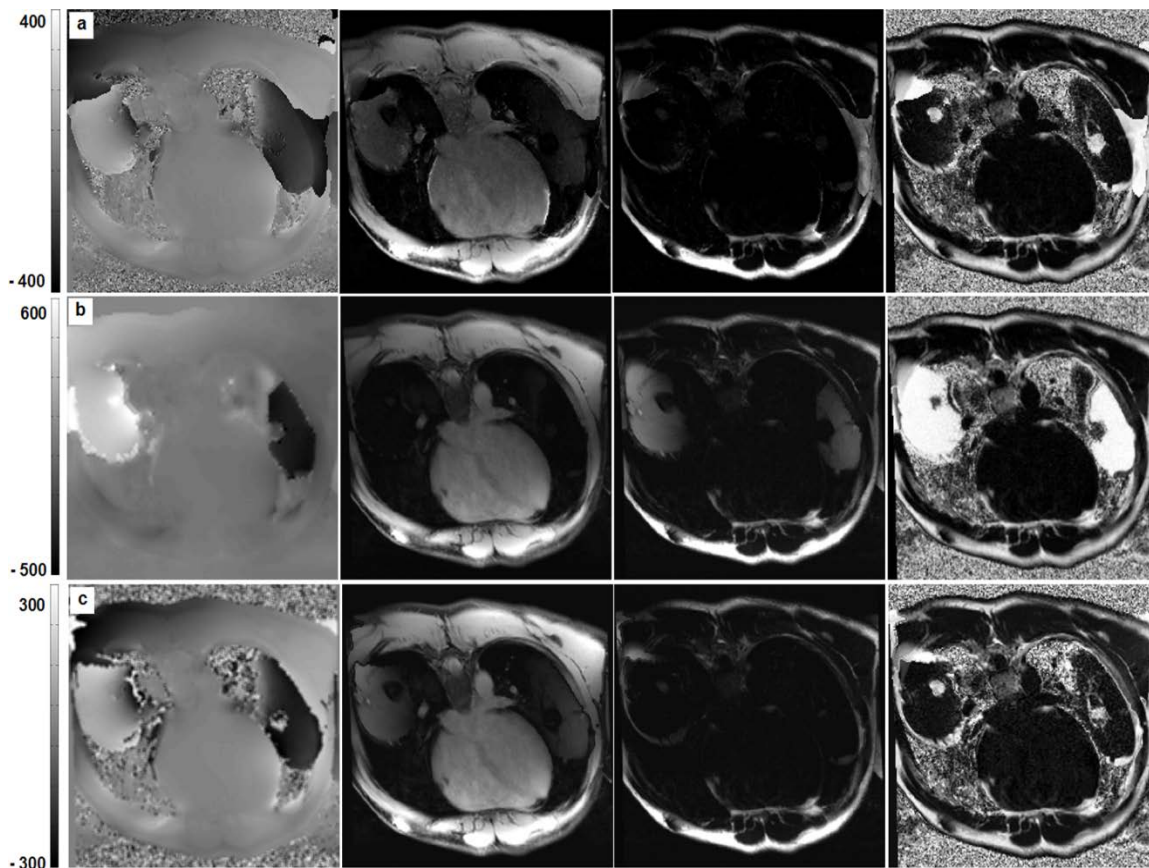


Figure 3.6: The reconstruction of the failure case using Max-IDEAL (a), the graph-cut method (b) and the FLAME technique (c). Left to right: field map, water, fat and fat fraction map.



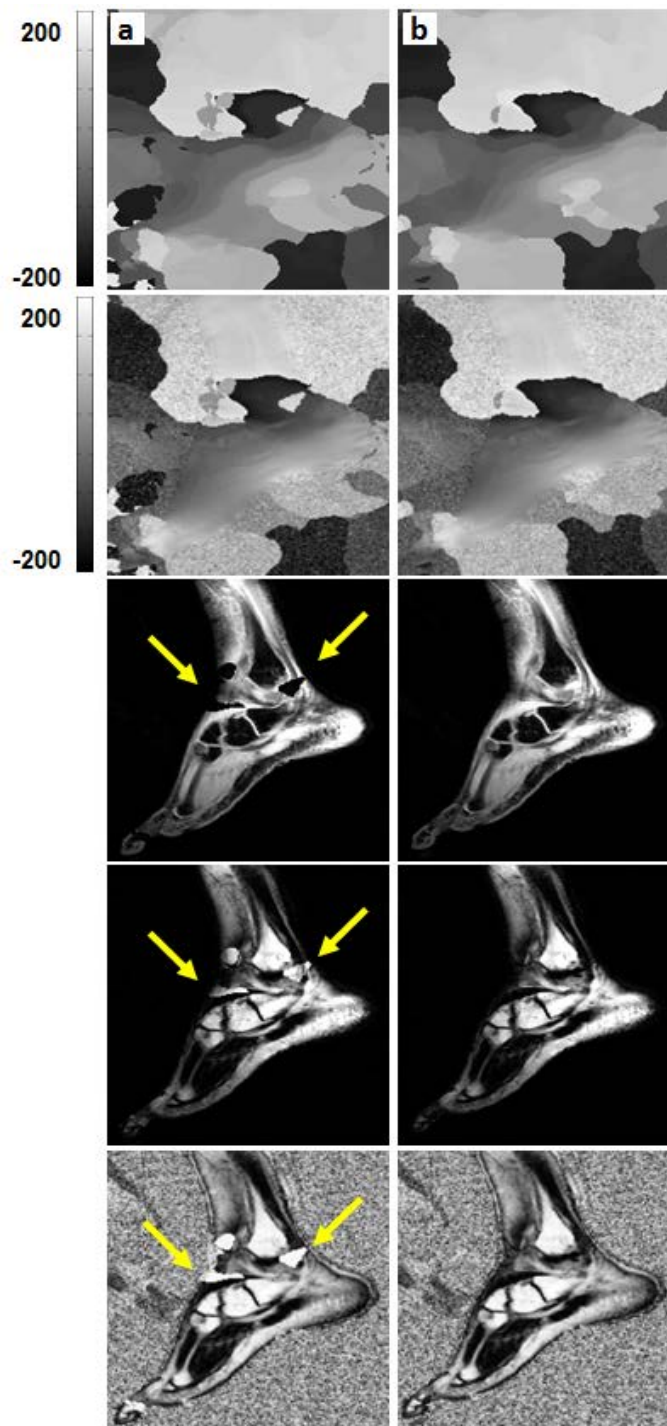


Figure 3.7: Reconstruction of a selected slice from a case provided by the ISMRM 2012 challenge with the labeling approach in [15] (a) and the proposed method (b).

In order to show the ability of Max-IDEAL to resolve the severe variations of  $B_0$  over previously proposed methods, a comparison with the graph-cut technique [8] is shown in Figure 3.8 using cases from the ISMRM 2012 challenge. The reconstructed cases show large changes in  $B_0$  magnetic field that were incorrectly estimated with the graph-cut, while they were successfully resolved with Max-IDEAL. Notice that  $B_0$  changes vary over more than one period, hence the ASF step was skipped, as mentioned earlier. Figure 3.9 shows another comparison with the water/fat reconstruction of the recent FLAME technique [14] on a short-axis cardiac slice. While the FLAME method failed to resolve rapid  $B_0$  variations, Max-IDEAL can successfully achieve the reconstruction even in the presence of significant breathing motion artifact.

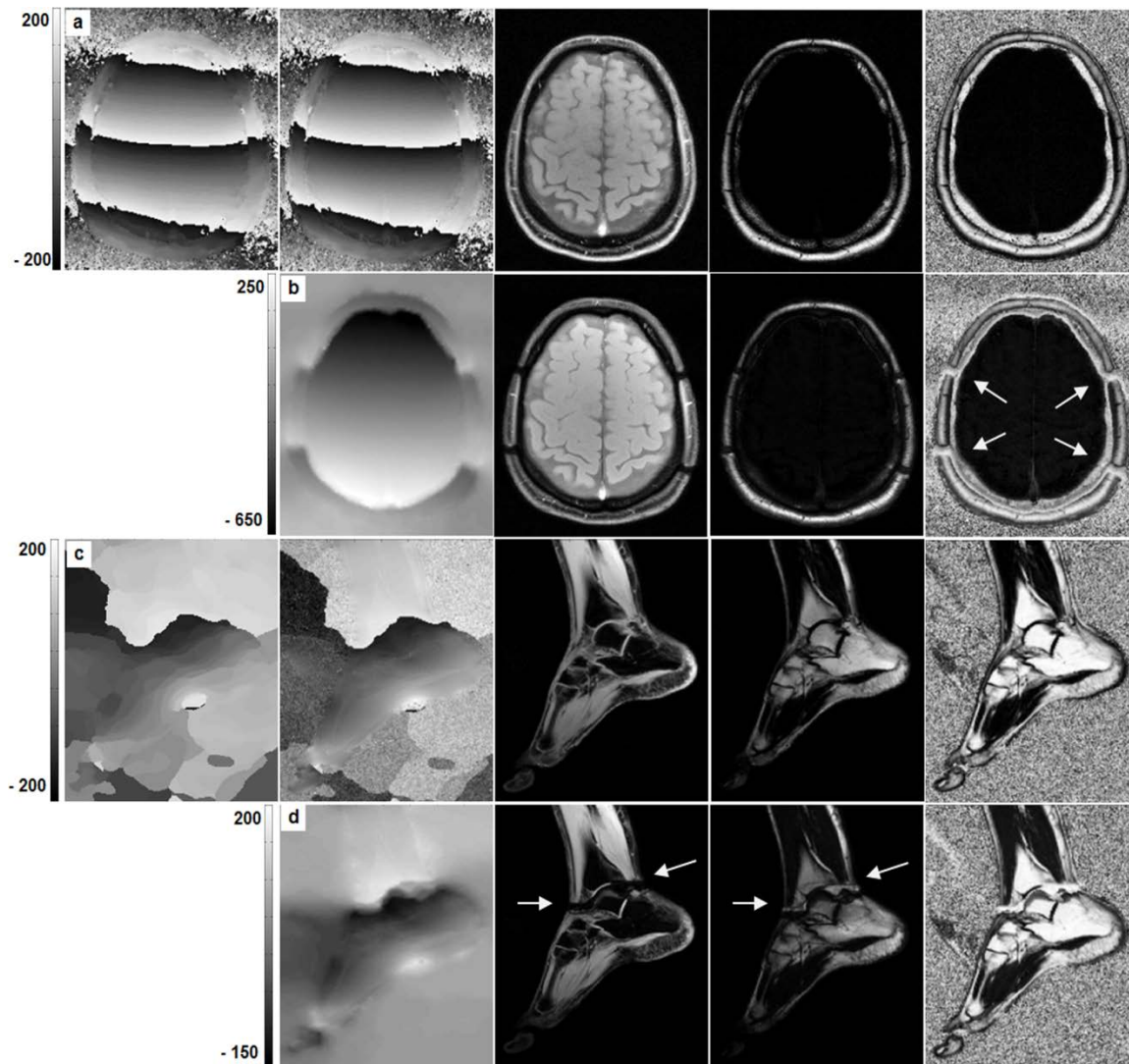


Figure 3.8: Comparisons between Max-IDEAL (a, c) and the graph-cut method (b, d) using two cases from the ISMRM 2012 challenge. The proposed approach can resolve strong B0 variations while the spatial smoothness constraint employed in graph-cut fails. Left to right: initial field map (a and c only), final field map, water, fat and fat fraction map.



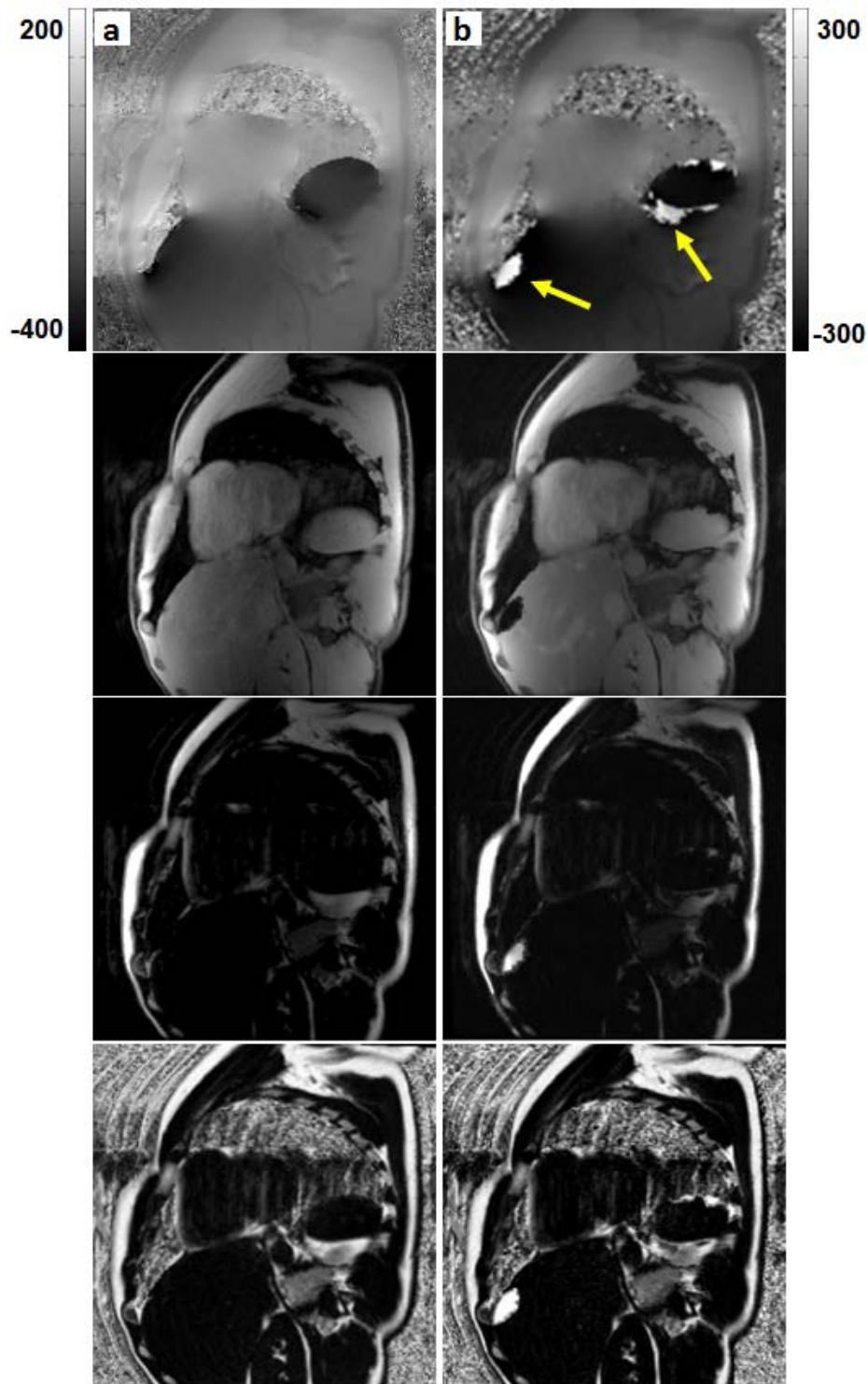


Figure 3.9: A comparison with the FLAME technique on a short-axis cardiac slice. (a) Results from Max-IDEAL; (b) results of FLAME method. Top to bottom: field map, water, fat and fat fraction map

### 3.6 Discussion

In this work, the problem of measuring field inhomogeneities is addressed by using a max-flow-based IDEAL approach that is capable of handling abrupt B0 variations. The Max-IDEAL method is performed in two stages, the first of which detects the correct global minimum while the second stage converges to the exact solution. In the labeling stage, the cost function is minimized over a discrete set of frequency offsets, such that the output is a coarse field map in which each region is labeled by certain offset value. A Potts labeling model was used for the labeling process, and was minimized via a continuous flow maximization approach.

A unique advantage of Max-IDEAL is that the smoothness prior is imposed in the labeling stage in a different manner than previous techniques in the literature. In previous methods, the smoothness is explicitly enforced spatially by considering the difference between the frequency offset of certain voxel and its local neighborhood [7, 8]. As an example, the quadratic function used in the graph-cut method [8] might not be capable of handling inhomogeneities with high rates of change – Figure 3.8. However, in our proposed method, the smoothness is represented by the perimeter of each labeled region, described by  $|\partial\Omega_i|$  in the Potts labeling model (Equation 3.8), which enforces smoothness via minimizing the total perimeter of the labeled regions. Hence, increasing the smoothness prior in cases of severe inhomogeneity limits the occurrence of water/fat swaps without blurring or reducing the frequency resolution of the estimated field map.

The inclusion of the  $T_2^*$  effect in both stages is important. Since the ambiguity of distinguishing the correct from the aliased field map is resolved solely by the labeling stage, an accurate representation of the signal model is required in this stage. By considering  $T_2^*$  decay, the value produced from the signal residuals at each voxel (Equation 3.4) becomes a better representation of the cost of assigning the corresponding frequency offset at that voxel, which improves the robustness of the labeling stage. On the other hand, employing  $T_2^*$  in the second stage produces an accurate fat fraction as well as the  $R_2^*$  map as shown in Yu *et al.* [1, 19]. To illustrate

the importance of including  $T_2^*$  in the labeling stage, a case from the ISMRM 2012 challenge is reconstructed in Figure 3.9 with and without incorporating  $T_2^*$  in the labeling stage, while using  $T_2^*$ -IDEAL in the second stage in both reconstructions. It is clear from Figure 3.10 that the reconstruction might fail if the  $T_2^*$  effect was not considered in the labeling process.

By employing  $T_2^*$ -IDEAL, the values of  $R_2^*$  map are produced over a continuous range, in contrast to the recent graph-cut method which assigns certain value to each pixel out of a discrete set of  $R_2^*$  values [8]. Therefore, Max-IDEAL allows more efficient estimation of the  $R_2^*$  map of the underlying anatomy without a significant increase in the overall computation time.

The number of discrete values used in the labeling stage is a trade-off between the computation time of the labeling model and the accuracy of detecting the correct minimum. By using an insufficient number of discrete samples of the residuals curve (Figure 3.1 (b)), the algorithm might fail to locate the correct minimum. On the other hand, increasing the number of samples can significantly prolong the processing time. Fifty equally-spaced discrete values were therefore empirically chosen, as this was found to be sufficient to target the correct solution without a significant increase in the computation time.

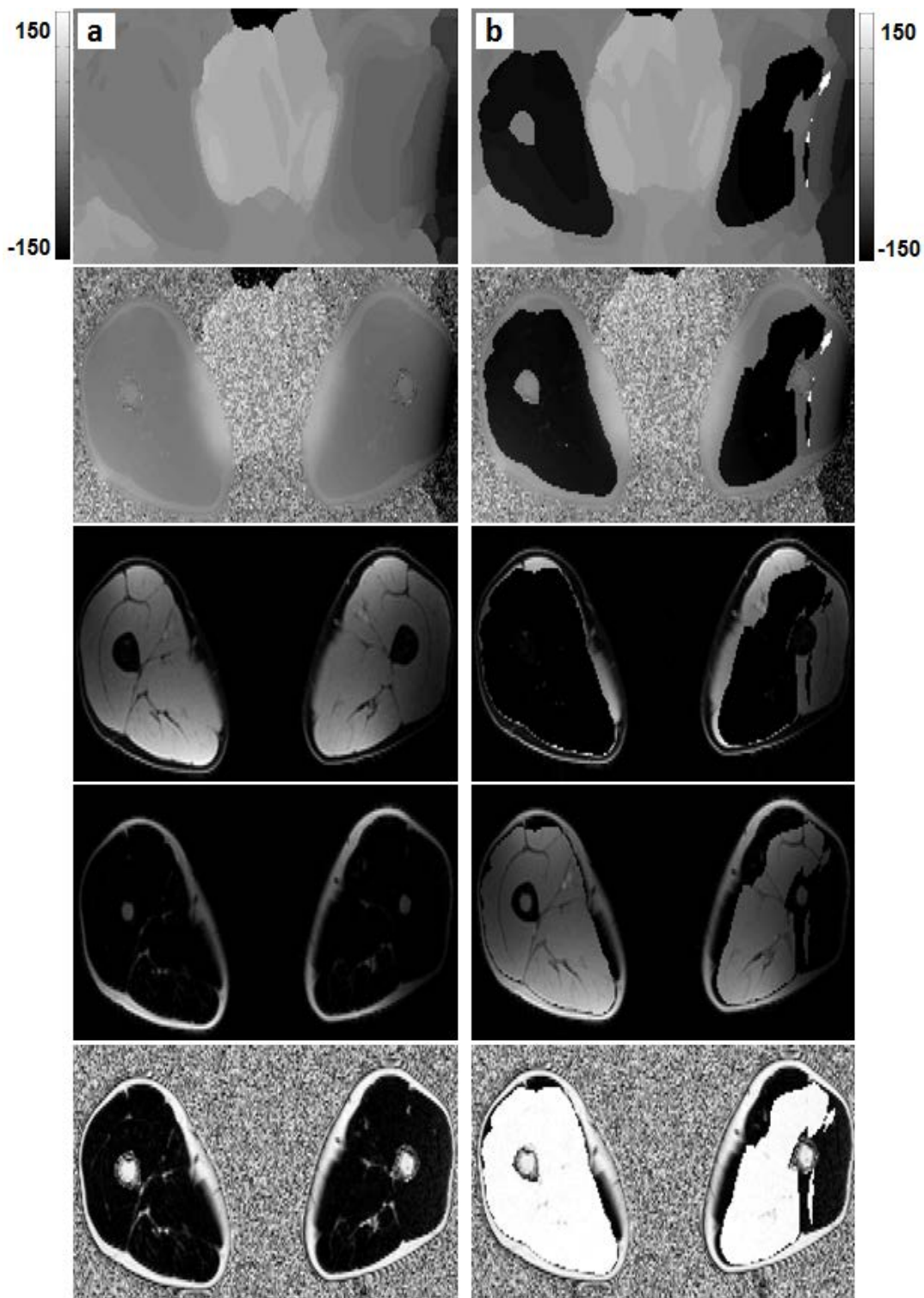


Figure 3.10: Reconstruction of a case from ISMRM 2012 challenge with (a)  $T_2^*$  applied in both stages of the approach, and (b)  $T_2^*$  incorporated only in the second stage ( $T_2^*$ -IDEAL). The reconstruction fails in case  $T_2^*$  decay is not considered in the labeling stage.

It is important to note that the cost function has a periodic form, such that a  $2\pi$  phase shift does not affect the separation process – Figure 3.7 and Figure 3.8. In other words, when limiting the search space to one period centered at zero offset, a correct water/fat separation will still be obtained even if a “non-smooth” field map is produced. While the apparent smoothness of the field map is a criterion that is conventionally used to visually assess the presence of water/fat swaps, in this case the “non-smooth” appearance of field map arises from the  $2\pi$  phase shift, which does not hamper the success of the reconstruction, as can be seen in the reconstructed fat and water components - Figure 3.7 and Figure 3.8.

Although the proposed approach has shown promising results in handling severe B0 inhomogeneities, Max-IDEAL has two main limitations. Firstly, an artifact might be produced in the detection of boundaries in the labeling stage. Boundaries separating two neighboring labeled regions in the output of the first stage might not represent the actual *location of the transition* of the sudden change of magnetic field, particularly when high level of smoothness is applied. Therefore, a small boundary of water/fat swap might appear in the results. An example of this artifact is shown in Figure 3.11. This phenomenon was noticed in 6 cardiac images and 18 abdominal images (total of 24 images out of 167 successfully reconstructed cases). However, the artifact was overcome in 11 cases by manually tuning the smoothness parameter  $\beta$ . Moreover, for the cardiac cases, it was subsequently confirmed by an expert cardiologist (J.A.W.) to not hinder the clinical evaluation of relevant cardiac structures. This artifact appears away from the region of interest (liver) in all the affected abdominal cases.

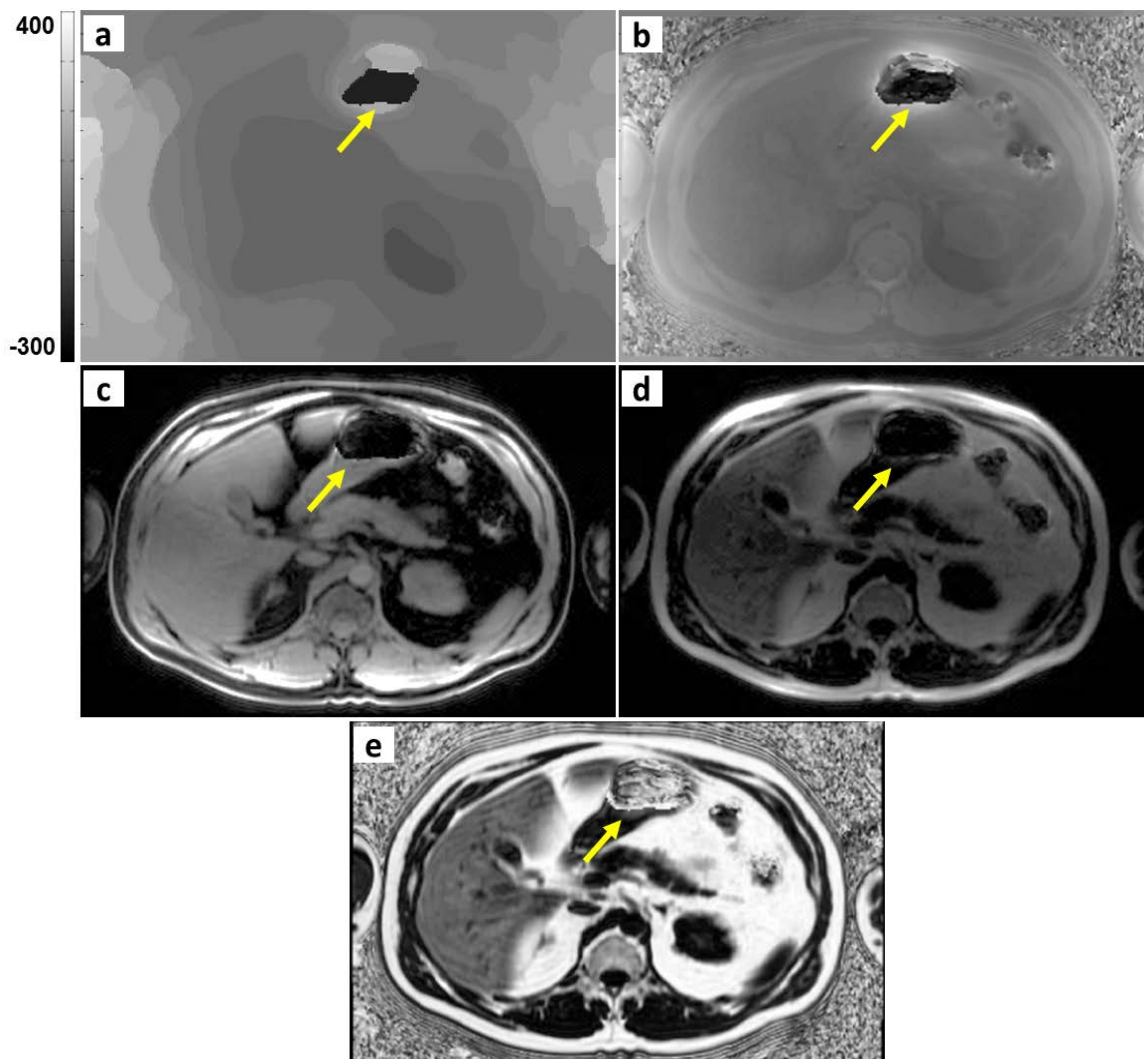


Figure 3.11: An example of the boundary artifact appearing in an axial abdominal slice. This artifact is induced around the bowels where very low signal is received.



Another limitation of Max-IDEAL is its dependence on the smoothness level enforced in the first stage. However, as shown in Figure 3.2, the ASF reduces the vulnerable regions of water/fat swaps such that a fixed (default) value for the smoothness constraint ( $\beta=0.5$ ) becomes sufficient in most of the cases to overcome the rest of the vulnerable locations in the labeling stage. The effect of changing the smoothness level  $\beta$  on the reconstructed data is shown in Figure 3.11 using a case from the ISMRM 2012 challenge. As can be noticed in Figure 3.12 (a), the enforced smoothness ( $\beta=0.2$ ) is not sufficient to avoid fat/water swaps. With higher smoothness levels, the algorithm inherently tends to use fewer labels to describe the field map [20], and hence details of the underlying inhomogeneities can be omitted, causing water/fat swaps - Figure 3.12 (d). Therefore, setting  $\beta$  is a trade-off between avoiding such artifact and removing water/fat swaps.

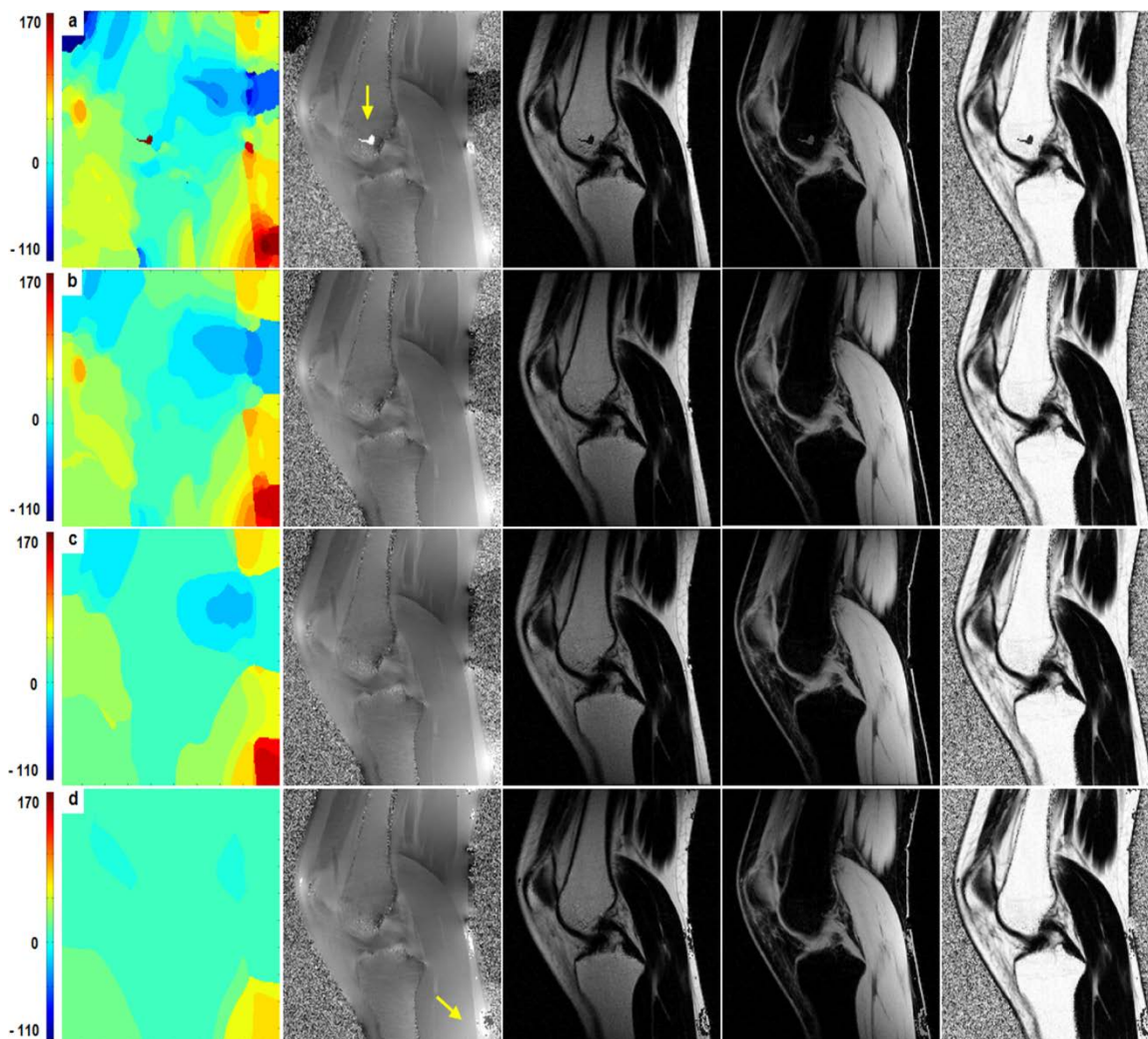


Figure 3.12: The effect of applying different smoothness levels on the reconstruction of a case from ISMRM 2012 challenge: (a)  $\beta=0.2$  was insufficient to remove water/fat swaps; successful reconstruction can be achieved in (b)  $\beta = 0.5$  and (c)  $\beta = 2$ ; (d) Oversmoothed initial field map with  $\beta = 4$  causes water/fat artifacts as noted by the arrow. The ASF was not applied in this reconstruction in order to solely examine the effect of the smoothness parameter.



The feasibility of 3D Max-IDEAL has been recently shown [24]. Preliminary results demonstrated successful reconstruction of abdominal datasets. Berglund *et al.*[5] have shown the feasibility of 3D whole body water/fat separation with the 3-point Dixon approach, with a qualitative assessment of the separation. We anticipate 3D Max-IDEAL to have comparable results in the pelvis, head, arms and legs, while boundary artifacts can arise in the thorax and abdomen. However, an automatic anatomy-based tuning of the smoothness level might reduce the significance of this artifact.

Although the processing time was less than 13 s for most of the cases (with a matrix size of 256x192), a more advanced GPU with higher number of CUDA cores (available up to 3072 cores) can significantly accelerate the reconstruction process. It is worth noting that applying a more advanced background removal filter than simple signal thresholding might also reduce the processing time since background pixels unnecessarily prolong the convergence rate; however, this is outside the focus of the current work.

### 3.7 Conclusion

In this work, we demonstrated a fast max-flow based approach for water/fat separation. The proposed method performs the IDEAL water/fat separation *guided* by a convex-relaxed labeling model that is solved via a flow maximization approach. Instead of the conventional spatial smoothness used in previous methods, Max-IDEAL relies on enforcing smooth boundaries in the labeling stage to avoid water/fat swaps. Additional robustness is gained by incorporating the  $T_2^*$  effect in both stages of the reconstruction, showing the importance of its inclusion in the labeling process. Moreover, a pre-processing filtering step was included to improve the efficiency of the reconstruction. The approach has demonstrated the ability to handle fast and severe B0 variations cases where previous spatial smoothness-based techniques can fail.

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*"If the facts don't fit the theory, change the facts"*  
- Einstein

## Chapter 4

# Fat Quantification Using an Interleaved Bipolar Acquisition<sup>1</sup>

### 4.1 Introduction

Multi gradient echo sequences have been widely used for chemical-shift encoded imaging, particularly water/fat separation. Images are acquired at several echo times (TE), where fat and water exhibit different phase shifts [1, 2]. The acquired images are subsequently post-processed to obtain water and fat components [3-9]. To achieve an accurate fat measurement, several confounding factors must be considered during the reconstruction process, particularly B<sub>0</sub> magnetic field inhomogeneities [1, 2], T<sub>2</sub><sup>\*</sup> decay[10] , T<sub>1</sub>-bias [11], noise-related bias [11],

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temperature bias [12], and accurate spectral modeling of fat [13]. Typically, 6 echoes are recommended for accurate fat measurement [13, 14].

On the acquisition side, parameters such as the flip angle, first echo time ( $TE_1$ ), and echo spacing also influence the accuracy of the quantification. Low flip angles are usually recommended to reduce  $T_1$ -bias [11]. The echo combination ( $TE_1$  and echo spacing) has significant impact on the signal-to-noise (SNR) performance and should be chosen carefully to avoid degraded SNR quality [15, 16]. Selection of  $TE_1$  is restricted by the maximum gradient strength, the maximum achievable slew-rate during the readout pre-winder gradient and the time required for the RF pulse. Echo spacing varies with the selection of receiver bandwidth, spatial resolution, field of view (FOV) and gradient performance (slew rate and maximum gradient strength). It is important to choose an echo spacing that provides the best SNR performance [15, 16]. In addition, short echo spacing is desired to increase the range of frequency offsets in which water and fat components can be unambiguously distinguished during the reconstruction process [2].

Multi-echo acquisition can be achieved using either unipolar or bipolar readout gradients. In a unipolar acquisition, the echoes have the same readout polarity while in a bipolar acquisition the echoes are acquired with both positive and negative readout gradient polarities. Typically, fat quantification is performed using 6 unipolar readout gradients separated by flyback gradients [13, 14]. These long flyback gradients increase the minimum achievable echo spacing, heightening the ambiguity in identifying fat and water species. To achieve optimal echo spacing within an acceptable acquisition time, the echoes are often acquired in an interleaved fashion with multiple shots. For instance, the 6 echoes are acquired over  $6/n$  repetition times (TR) (i.e. over  $6/n$  shots), where  $n$  is the number of echoes per TR. This also increases the acquisition time. In a bipolar acquisition the flyback gradients are omitted and the 6 echoes alternate their polarities [17]. By removing the flyback gradients, shorter echo spacing can be achieved, often allowing the acquisition of all of the echoes at optimal echoes spacing in one repetition time (i.e. a

single shot). Consequently, a shorter scan time can be achieved. Therefore, bipolar acquisitions have higher SNR efficiency, as more of the scan time is spent in collecting the data. SNR efficiency is defined as the SNR normalized by the total acquisition time (SNR / sqrt(acquisition time)).

However, several challenges accompany bipolar sequences [17, 18]. First, phase errors induced by readout gradient delays and eddy currents can severely distort the reconstruction if not explicitly accounted for. Although these phase errors also exist in unipolar acquisitions, they add up to a fixed phase term on all the echoes. This does not disrupt the water/fat separation as the relative phase between the echoes remains unaffected. In bipolar acquisition, however, the phase errors are alternating their polarities between positive and negative readout gradients, causing severe artefacts in the water/fat separation process. Phase errors are induced in all spatial directions, but are dominated by a linear phase error in the readout direction. Resolving linear and high-order phase errors is essential for a correct water/fat separation [18]. A second challenge arises from the behaviour of the MRI receiver system. The receiver filters often have non-flat frequency response [18, 19]. Hence, a k-space point acquired with a negative readout gradient will be subject to a different frequency response than if it is acquired with a positive readout gradient. This causes an asymmetric amplitude modulation between negative and positive polarities along the readout direction. Finally, distortions caused by both the chemical-shift of fat signal and the magnetic field inhomogeneities appear in opposite directions for positive and negative echoes.

Existing approaches have been proposed to overcome these challenges. Yu *et al.* [18] performed phase and amplitude corrections for bipolar acquisitions using additional reference lines acquired with reversed polarities. However, the accuracy of the water/fat separation is limited by the number of acquired lines. In other words, errors can only be completely removed when full resolution reference lines are employed, which will double the acquisition time. The application of these corrections was only demonstrated for a qualitative 3-point water/fat separation.



The feasibility of fat quantification with 6-point bipolar acquisition was recently shown by Peterson *et al.* [20]. They performed a joint estimation of the phase and amplitude errors with the water/fat separation process in a least-squares estimation procedure. This technique lowers the expected number of signal averages (NSA) of the resulting water and fat components. In addition, the initial guess for the phase error was determined from the first three echoes; this phase map is vulnerable to 2D phase wraps as the employed 1D linear phase unwrapping might not be sufficient in clinical practice. The gradient-descent-based reconstruction is subject to the conventional drawback of the original IDEAL, where the field map estimation process can be trapped in a local minimum, swapping the water and fat signals.

In this work we propose a new multi-echo bipolar acquisition scheme that overcomes the induced phase and amplitude modulations. The proposed acquisition and reconstruction strategies eliminate the bipolar artefacts without requiring additional correction algorithms. The proposed technique is compared to the established unipolar acquisition as the reference for fat quantification. Experiments are performed on phantoms and *in vivo*, showing accurate fat measurements and higher SNR efficiency compared to unipolar sequences.

## 4.2 Theory

In a multi-gradient-echo bipolar acquisition, the polarity of the readout gradient alternates every other echo, such that odd echoes are acquired with positive readout gradient while even echoes acquired with negative readout. For instance, for a 6-echo acquisition, all k-space lines have positive polarity at  $TE_1$ ,  $TE_3$  and  $TE_5$ , and negative polarity in  $TE_2$ ,  $TE_4$  and  $TE_6$ . Representative pulse sequence diagrams of the unipolar and the conventional bipolar acquisitions are shown in Figure 4.1 (a) and (b), respectively. In this work, a new acquisition scheme is proposed, where all readout gradient waveforms alternate their polarities every other k-space line. In

other words, the odd-numbered phase-encode lines are acquired in (+ve, -ve, +ve, -ve, +ve, -ve) polarities, referred to as scheme 1 herein. For the even-numbered phase-encode lines, the polarities of the readout gradient are flipped (i.e. -ve, +ve, -ve, +ve, -ve, +ve), referred to as scheme 2. In this manner, each echo includes phase-encode lines acquired in both polarities. By separating positive and negative lines, two under-sampled datasets are obtained. For instance, if the acquisition was performed without acceleration, then each dataset will be subsampled by a factor of two. Parallel imaging reconstruction is then performed to produce two fully-sampled k-space data with opposite polarities. Additional calibration lines are required to perform the parallel imaging reconstruction as described later. The pulse sequence diagram is shown in Figure 4.2.

Following the reconstruction, a complex averaging of positive and negative datasets is obtained. This last step will overcome the alternating phase and magnitude errors between positive and negative acquisitions and can be described as follows:

Assuming  $S_o$  and  $S_e$  represent the signal acquired at the odd-numbered and even-numbered lines, respectively, such that

$$S_o(t_n) = S e^{i\theta (-1)^n} \quad (4.1)$$

$$S_e(t_n) = S e^{i\theta (-1)^{n+1}} \quad (4.2)$$

where

$$S = \left( \rho_W + \rho_F \cdot \sum_{m=1}^M \alpha_m \cdot e^{i2\pi \delta_m t_n} \right) \cdot e^{i2\pi \Phi t_n}$$

Here,  $\theta = \psi - i\gamma$  is a complex term representing phase ( $\psi$ ) and magnitude ( $\gamma$ ) errors [20],  $t_n$  (s) denotes the echo time (TE) ( $n = 1, \dots, 6$ ) of the acquired signal,  $\rho_W$  and  $\rho_F$  are the water and fat components,  $M$  is the number of peaks in the fat spectrum,  $\delta_m$  (Hz) and  $\alpha_m$  are the frequency and the amplitude of the  $m$ -th peak

respectively, and  $\Phi = \varphi + i/(2\pi T_2^*)$  where  $\varphi$  is the local frequency offset. By averaging the positive and negative datasets:

$$\hat{S}(t_n) = \frac{S (e^{i\theta (-1)^n} + e^{i\theta (-1)^{n+1}})}{2} = S \cos \theta \quad (4.3)$$

Hence the summation removes the alternating errors between even and odd echoes, while adding a constant error term instead on all the echoes that does not disrupt the water/fat separation process. This step removes the alternating phase/amplitude errors without a direct correction algorithm; therefore it is not susceptible to residual phase errors that might persist following any correction strategy causing biases in fat measurements.

To perform a self-calibrated parallel imaging reconstruction the centre lines of the k-space should be fully-acquired in a single readout polarity; otherwise the calibration lines would be disrupted by the phase/magnitude errors between the alternating polarities. However, for a complete cancelation of the alternating phase errors in Equation 4.3, the polarity of the readout gradient of the calibration lines should also match the polarity of the phase-encode lines. To achieve that, the centre lines of the k-space are fully-acquired with the two schemes, obtaining two sets of calibration lines, one of each polarity. From both schemes, only the calibration lines from a single echo time is needed for the reconstruction. Nevertheless, all the centre lines of the k-space from the 2 schemes at all the echoes are incorporated in the reconstruction for a further increase in the SNR. The workflow of the proposed technique is shown in Figure 4.3. It is important to notice that this acquisition scheme can be also combined with parallel imaging acceleration, where the interleaving strategy is performed only on the acquired (non-zero) lines.

Following Equation 4.3, water and fat components can be estimated from  $\hat{S}$  using conventional field map estimation techniques that are employed with the unipolar sequences.

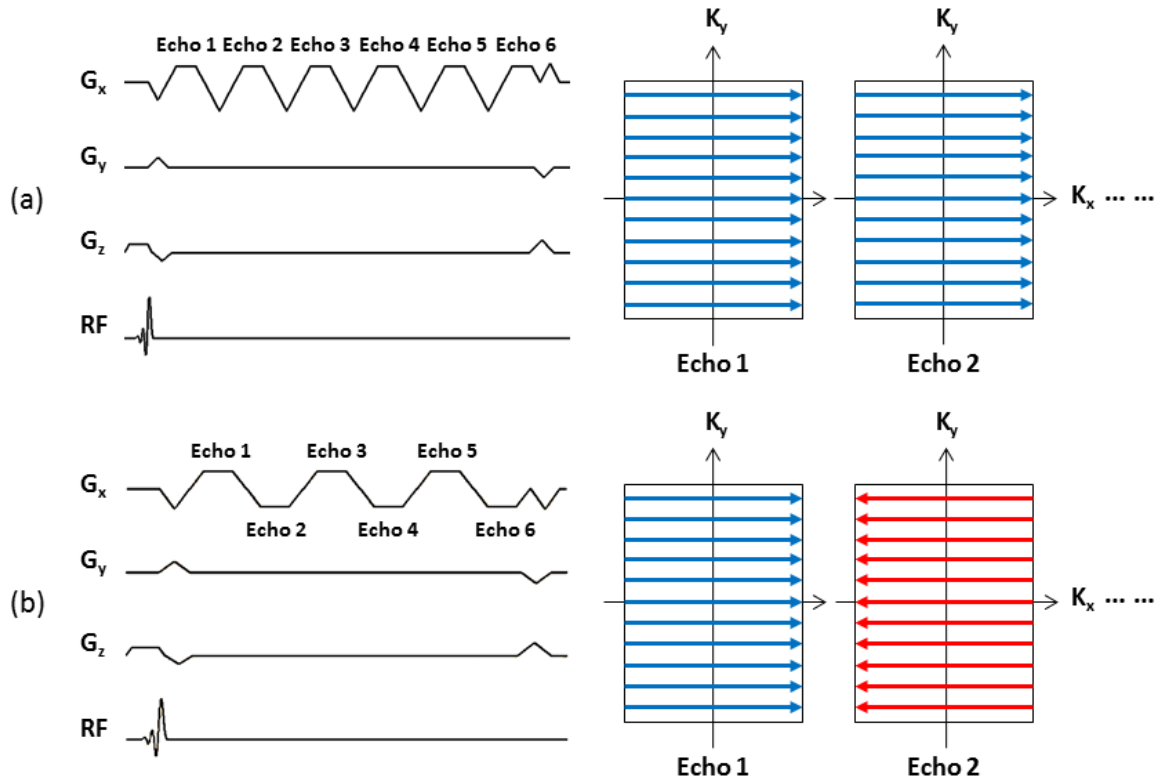


Figure 4.1: (a) A representative diagram of the unipolar sequence. All echoes are acquired with the same readout gradient polarity (positive). Here all echoes are acquired in a single TR (single shot). (b) A representative diagram of the conventional bipolar sequence. Odd echoes are acquired with positive polarities (blue arrows) while even echoes have negative polarities (red arrows). The bipolar acquisition in (b) necessitates employing post-processing phase and magnitude correction algorithms before water/fat separation.

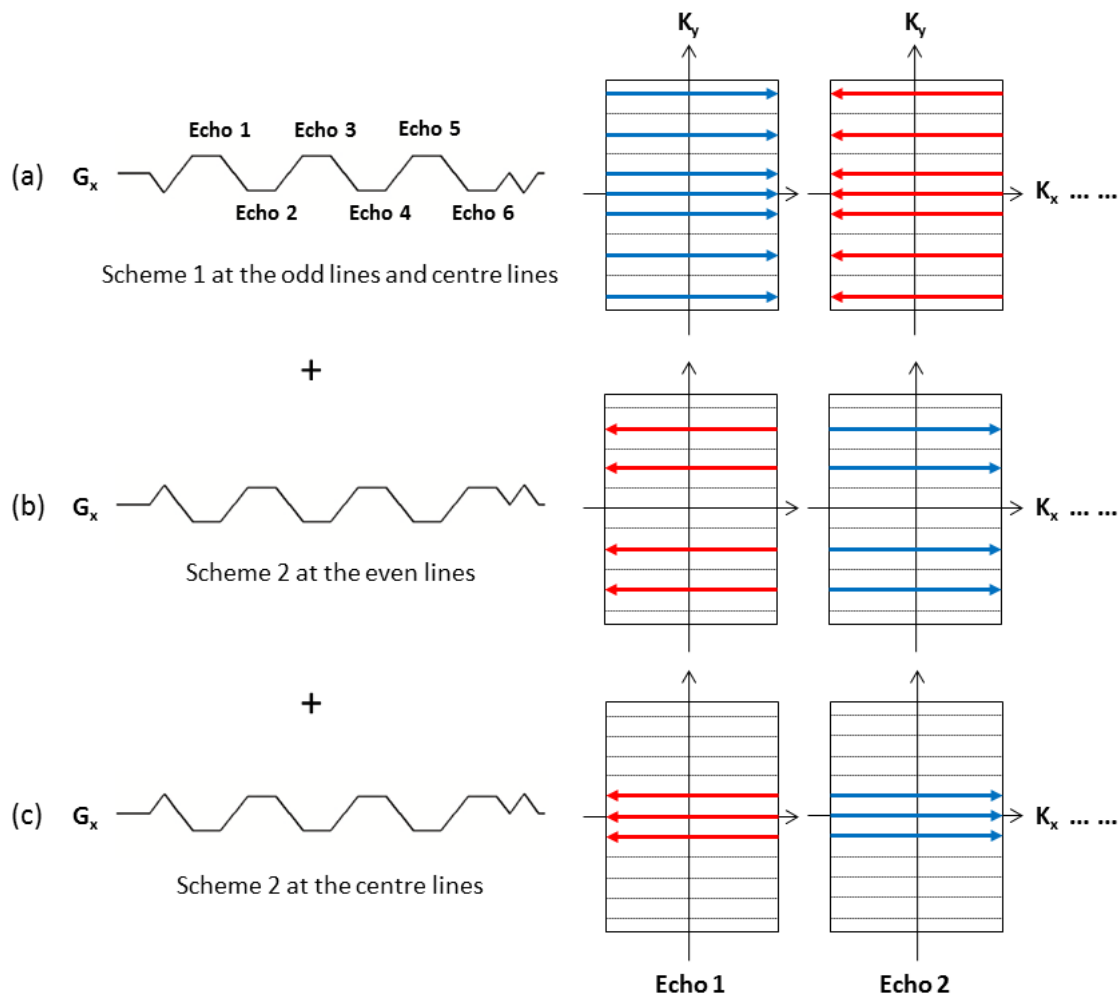


Figure 4.2: The proposed interleaved bipolar acquisition: Two bipolar schemes are employed, where scheme 1 has opposite polarity to scheme 2. The odd lines are acquired with scheme 1 while the even lines are acquired with scheme 2. The centre lines are fully-acquired with both schemes.

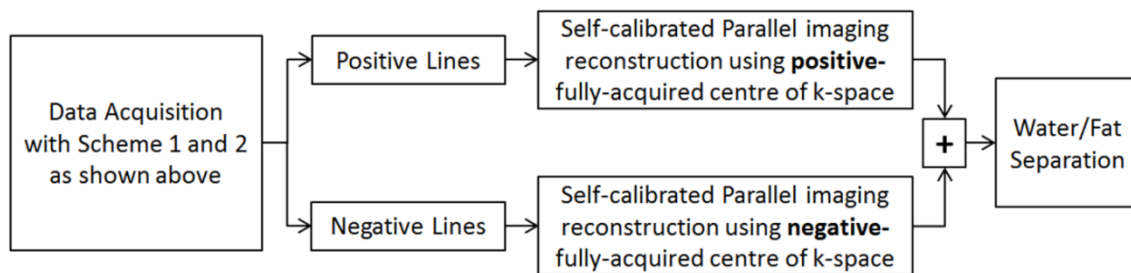


Figure 4.3: The reconstruction pipeline for the interleaved bipolar acquisition. The centre of k-space acquired with a positive polarity is used in the self-calibrated parallel imaging reconstruction of the positive lines, and vice-versa for the negative lines.

### 4.3 Methods

This work was carried out under approval granted by the Office of Research Ethics of Western University, Canada. All experiments were performed on a 3T MR (Discovery MR 750, GE Healthcare, Waukesha, WI). An investigational version of multi-echo 3D IDEAL-SPGR was modified to acquire data in an interleaved bipolar readout scheme. In all phantom and *in vivo* experiments, 6 echoes were acquired as recommended for accurate fat quantification [13]. Flip angle of  $3^\circ$  was used in all experiments to minimize the  $T_1$ -related bias [11]. Optimal echo-spacings were targeted in all the acquisitions to maximize the noise performance [15, 16]. Consequently, interleaved bipolar acquisitions were obtained in a single shot (echo-train-length =6), while 2 shots (echo-train length = 3) were used in unipolar acquisitions. The size of the additional calibration lines of all the interleaved bipolar acquisitions was fixed to  $k_y \times k_z = 24 \times 24$  lines. For comparisons of SNR maps, a calibration centre of  $k_y \times k_z = 24 \times 24$  was used in both unipolar and interleaved bipolar acquisitions.

Phantom experiments were performed with the interleaved bipolar sequence and compared to the unipolar sequence as an established reference. First, axial acquisition of a pure-water spherical phantom was obtained with both sequences using a head receive-only 8 coil-array at a bandwidth =  $\pm 142.86$  kHz, acquisition matrix =  $160 \times 160 \times 40$ , FOV =  $32 \text{ cm} \times 32 \text{ cm}$  and slice thickness = 6 mm for both sequences. TR/TE1/ $\Delta$ TE = 6.74/1.04/0.82 ms for the unipolar acquisition and 6.82/0.98/0.88 ms for the interleaved bipolar acquisition. The acquisition time was 86 s and 50 s for unipolar and interleaved bipolar acquisitions, respectively. Second, a phantom set with different fat fraction values was prepared from a mixture of agar and peanut oil as described in [21]. Five 60mL plastic vials were prepared with fat percentages of 0%, 5%, 10%, 20% and 100% respectively. Coronal acquisition of the phantoms were obtained using a torso receive-only 8 coil-array at a BW =  $\pm 100$  kHz, acquisition matrix =  $128 \times 128 \times 22$ , FOV =  $22 \text{ cm} \times 22 \text{ cm}$  and slice thickness = 6 mm for both sequences. TR/TE1/ $\Delta$ TE = 7.38/1.13/0.90 for the unipolar acquisition and 7.64/1.10/0.99 ms for the interleaved bipolar acquisition. The acquisition time was 42 s and 26 s for unipolar and interleaved bipolar acquisitions, respectively.

*In vivo* experiments were performed on 2 healthy volunteers where abdominal and knee datasets were acquired from each volunteer. For all experiments both unipolar and interleaved bipolar acquisitions were obtained.

An oblique knee dataset was acquired from volunteer (A) at approximately  $10^\circ$  from the sagittal plane along the S/I axis using a knee transmit-receive 8 coil-array at a BW =  $\pm 142.86$  kHz, FOV =  $24 \text{ cm} \times 18 \text{ cm}$ , matrix size =  $160 \times 144 \times 40$ , slice thickness = 3 mm for both sequences; TR/TE1/ $\Delta$ TE = 8.75/1.33/1.13 ms and 10.57/1.4/1.06 ms for unipolar and interleaved bipolar acquisitions, respectively. The acquisition time was 122 s for unipolar and 56 s for interleaved bipolar, respectively. Another oblique knee dataset was acquired from volunteer (B) at approximately  $15^\circ$  from the sagittal plane using a knee transmit-receive 8 coil-array at a BW =  $\pm 142.86$  kHz, FOV =  $24 \text{ cm} \times 18 \text{ cm}$ , matrix size =  $160 \times 168 \times 32$  and slice thickness = 4 mm for both sequences; TR/TE1/ $\Delta$ TE = 10.95/1.47/1.108 ms and 8.51/1.29/1.104 ms for

unipolar and interleaved bipolar acquisitions, respectively. The acquisition time was 118 s for unipolar and 52 s for interleaved bipolar, respectively.

Whole-liver coverage was achieved in all the abdominal acquisitions and parallel imaging acceleration was used to keep the acquisition times within a  $\sim 25$  s breath-hold. Abdominal data from volunteer (A) were acquired with a cardiac receive-only 8 coil-array at a  $BW = \pm 125$  kHz,  $FOV = 36$  cm x  $27$  cm, matrix size =  $160 \times 120 \times 24$ , slice thickness =  $8$  mm for both sequences;  $TR/TE_1/\Delta TE = 5.36/0.82/0.65$  ms and  $7.1/0.91/0.96$  ms for unipolar and interleaved bipolar acquisitions, respectively. Parallel imaging with an outer acceleration of  $1.3 \times 1$  for unipolar and  $1 \times 1$  interleaved bipolar was used for a total scan time of 25s for each sequence. Abdominal data from volunteer (B) was acquired with a torso receive-only 32 coil-array at a  $BW = \pm 100$  kHz,  $FOV = 34$  cm x  $25.5$  cm, matrix size =  $160 \times 120 \times 32$ , slice thickness =  $8$  mm for both sequences;  $TR/TE_1/\Delta TE = 6.16/1.01/0.82$  ms and  $8.21/1.06/1.12$  ms for unipolar and interleaved bipolar acquisitions, respectively. For an acquisition time of 25 s, an outer acceleration factor of  $2 \times 1.25$  and  $1.15 \times 1.5$  was used for unipolar and interleaved bipolar, respectively.

Following the separation of positive and negative phase-encode lines, conjugate-gradient SENSE [22] was used to reconstruct two fully-sampled datasets with opposite polarities. The first echo – which is positive in scheme 1 and negative in scheme 2 – was used for the self-calibration. A complex averaging of the two reconstructed sets was then performed. Magnetic field inhomogeneities were estimated from the averaged dataset using Max-IDEAL [7]. A complex multi-peak fitting with a single  $T_2^*$  decay was considered in the water/fat reconstruction. A pre-calibrated fat spectrum was used [13] with the frequency and amplitude values described in [7]. To compare the accuracy of fat quantification from the phantom experiments, noise-bias correction of the fat fraction maps were performed on both techniques [11]. Signal-to-noise maps were calculated using the generalized pseudo-replica method [23]. Three replicas of the acquired data were obtained offline by adding pseudo-random Gaussian noise, then the standard deviation of the noise



variations in space ([7x7x5] neighborhood) and through the replicas were used to calculate the SNR maps [23]. In all experiments, noise-only scans were acquired at the same bandwidths and amplitude gains as the corresponding unipolar and interleaved bipolar acquisitions, in order to correctly calculate and scale the noise covariance matrix [23, 24].

## 4.4 Results

Figure 4.4 shows the fat fraction images from a pure-water sphere acquired using unipolar and bipolar acquisitions. As shown in Figure 4.4, phase errors from the readout gradient cause fat fraction bias in the unipolar acquisition; this effect is not observed in the interleaved bipolar sequence. Phase errors occur in the unipolar acquisition from either eddy-currents or other imperfections of the MRI gradients. However, in the interleaved bipolar acquisition, these errors have opposite polarities from positive and negative readout gradients; hence they cancelled out through the complex summation, resulting in correct fat fraction measurements without requiring additional correction steps.

Fat quantification from unipolar and interleaved bipolar acquisitions was performed on selected ROIs on the fat fraction images as shown in Figure 4.5 (a), where the same ROIs were used in both experiments. Figure 4.5 (b) shows the error in fat fraction measurement (True fat fraction – measured fat fraction) from both sequences after performing the noise-bias correction. The results of the interleaved bipolar acquisition demonstrated accurate fat measurements without further correction algorithms. It is worth noting that the standard deviation of the errors was slightly larger in the interleaved bipolar results than the unipolar sequence. This can be expected as the reconstruction pipeline of the interleaved bipolar subsamples the data which results in a g-factor induced SNR loss.

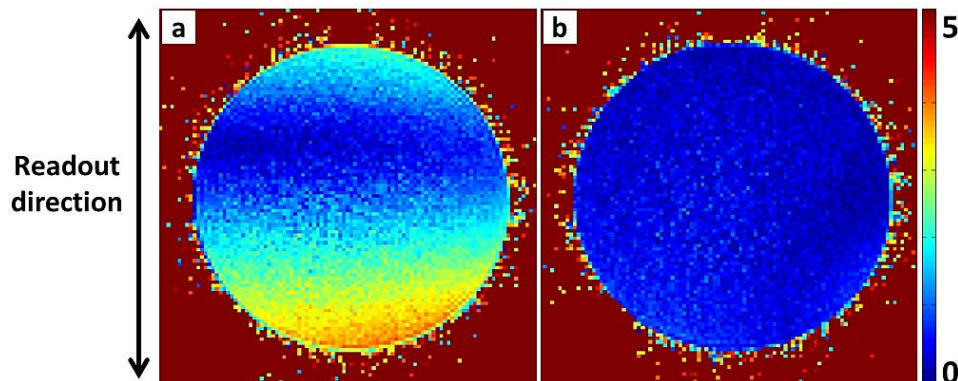


Figure 4.4: Fat fraction images (ranging from 0% to 5%) of a pure-water phantom from unipolar (a) and interleaved bipolar (b) axial acquisitions. Phase errors from the readout gradient cause fat fraction bias in the unipolar acquisition, while the errors were negligible in the interleaved bipolar results.

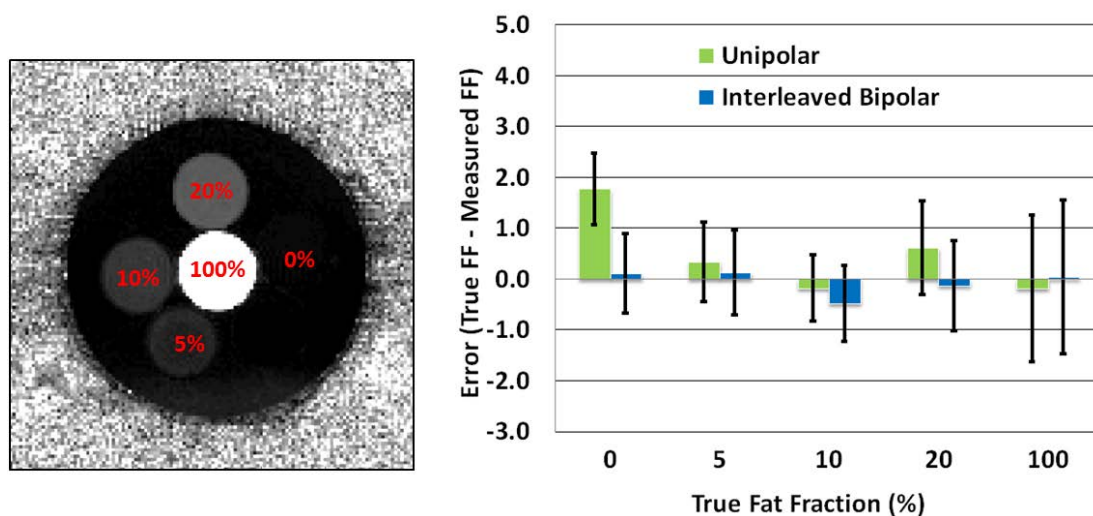


Figure 4.5: Results from a coronal acquisition of the phantom set. (a) Fat fraction map of the phantom set with the locations of the 5 vials of different fat fractions indicated. (b) Differences between the true and the measured values from the two sequences, demonstrating accurate fat quantification obtained using the interleaved bipolar compared to the unipolar sequence.

Figure 4.6 demonstrates the efficiency of the interleaved bipolar sequence for *in vivo* applications. Water and fat images with their corresponding SNR efficiency maps from oblique knee acquisitions from volunteer (B) are shown. The interleaved bipolar sequence demonstrated higher SNR efficiency compared to the unipolar sequence. Excellent water/fat separation that does not suffer from phase/amplitude errors was obtained with the proposed technique. As shown in the figure, two ROIs were selected on the fat fraction maps to compare the fat quantification results. Fat fractions in ROI #1 were  $1.28 \pm 3.4$  and  $1.48 \pm 3.9$  in the unipolar and interleaved bipolar acquisitions respectively, while ROI #2 values recorded  $96.84 \pm 3.6$  and  $96.76 \pm 3.5$ , respectively. The interleaved bipolar technique can therefore produce accurate fat fraction maps in a significantly shorter acquisition time compared to the unipolar sequence (52 s vs. 118 s) in a fully sampled acquisition.

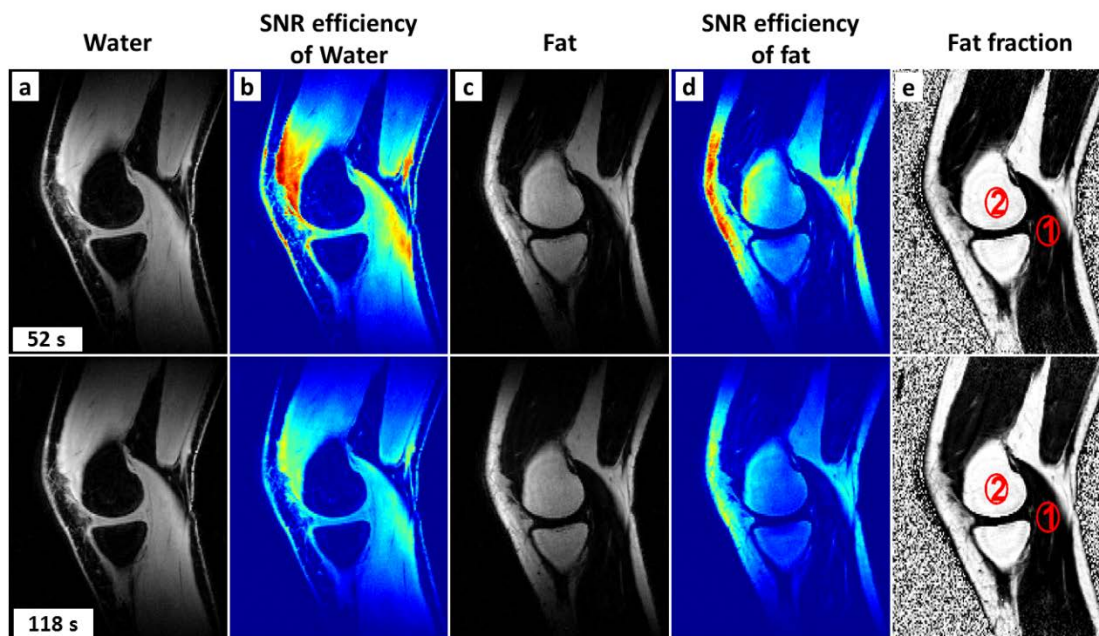


Figure 4.6: Water and fat images of a volunteer's knee were obtained with the interleaved bipolar (upper row) and the unipolar sequence (lower row). SNR efficiency maps in (b) and (d) are scaled from [0, 1]. The 2 ROIs in (e) were used for the fat quantification results reported in the text, and demonstrated that accurate fat fractions were obtained with the 2 sequences. However, the SNR efficiency maps (b and d) show that higher SNR efficiency was obtained with the bipolar sequence.

Abdominal acquisitions from volunteer (A) are shown in Figure 4.7. Whole-liver coverage was achieved in a single  $\sim 25$  s breath-hold with each sequence by adjusting acceleration factors. Excellent water/fat separation that does not suffer from phase/amplitude errors was obtained with the interleaved bipolar sequence. As shown in Figure 4.7, an ROI is selected in the liver to compare the quantification results. The fat fraction was  $3.92 \pm 2.2$  and  $3.00 \pm 1.8$  in the unipolar and interleaved bipolar acquisitions, respectively. Accurate fat fraction maps obtained from the interleaved bipolar sequence compared to the standard unipolar acquisition.

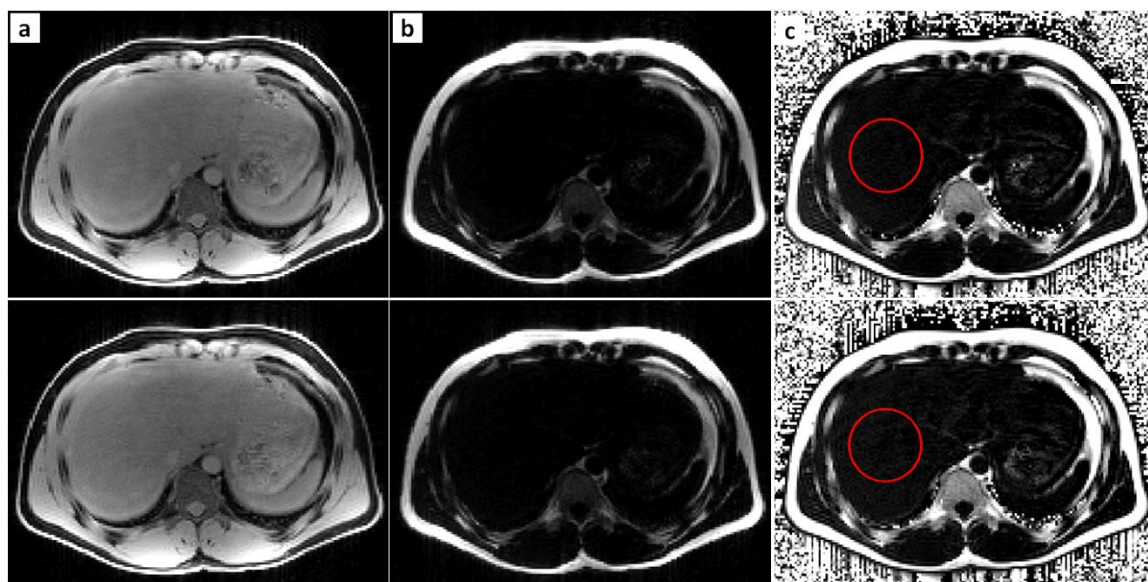


Figure 4.7: (a) Water, (b) fat and (c) fat fraction maps of a whole-liver acquisition from the interleaved bipolar (upper row) and the unipolar (lower row) sequences, respectively. The ROIs selected in the liver in (c) were used for the fat quantification results reported in the text, and demonstrated that accurate fat fraction was obtained with the interleaved bipolar sequence.



As the interleaved bipolar acquisition is implicitly faster than its corresponding unipolar sequence, so less parallel imaging acceleration is needed during the acquisition and higher SNR can be achieved as shown in Figure 4.8. The SNR in the liver was  $\sim 30\%$  higher in the water image using the proposed sequence. It is worth noting that the echo-timing of the interleaved bipolar acquisition ( $TE1/\Delta TE$ ) is expected to achieve lower noise performance than its corresponding unipolar acquisition [16], particularly at low fat fractions; however the SNR gain from the efficiency of the interleaved bipolar is still remarkably higher than the unipolar acquisition.

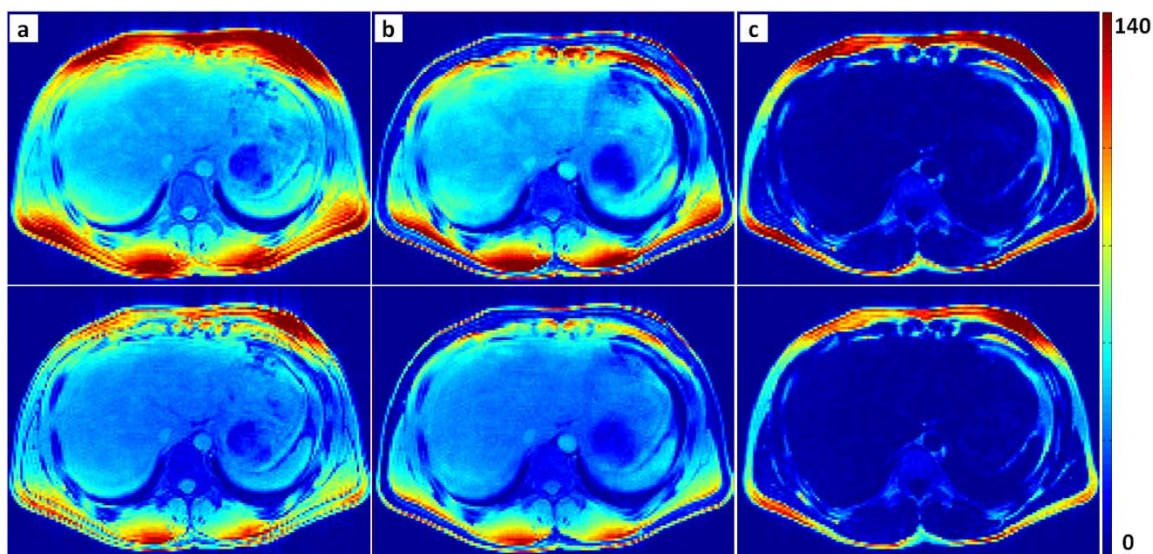


Figure 4.8: SNR maps of the 2<sup>nd</sup> echo (a), the water (b) and the fat (c) images from the interleaved bipolar (upper row) and the unipolar (lower row) sequences, respectively. Higher SNR was obtained in all the images with the proposed bipolar sequence.

## 4.5 Discussion

We demonstrated a new multi-echo bipolar acquisition and reconstruction technique that does not require phase nor magnitude corrections. The interleaved bipolar acquisition is more SNR efficient than the current established unipolar sequence. The efficiency of the sequence resides from: 1) the removal of fly-back gradients; 2) its ability to acquire the 6 echoes within the optimal range of echo spacing in a single TR at 3 Tesla, while 2 shots are required in the unipolar sequence to achieve similar noise performance. The efficiency of the interleaved bipolar is more significant at high bandwidth and small FOVs where the fly-back gradients of the unipolar sequence further prolong the acquisition time. For time-restricted acquisitions, the proposed acquisition offers higher SNR than its corresponding unipolar version. As shown in the abdominal examples, whole-liver coverage in a single breath-hold ( $\sim 25$  s) required lower parallel imaging acceleration than the unipolar acquisition, so higher SNR was achieved. It is worth noting that in order to mitigate SNR losses from increasing g-factor, higher acceleration is used in the slice direction first, as the reconstruction method implicitly introduces an additional subsampling of 2 in the phase-encode direction.

Another advantage of the interleaved bipolar technique is that it significantly reduces the phase errors induced in the unipolar acquisition (Figure 4.4), where additional correction of the acquired data is required before performing the water/fat separation process. It is worth noting that the induced phase errors depend on the selected physical axis used in the readout. We noticed that these errors are negligible when the readout direction is on the Z-axis (head-foot direction) and therefore coronal acquisitions were performed in Figure 4.5 for comparisons of fat fractions. Finally, the complex addition markedly reduces the residual aliasing remaining after parallel imaging reconstruction. Data reconstructed from each readout polarity have similar aliasing artifacts but with opposite phases [25], hence the residual aliasing is cancelled after the complex summation.

The proposed technique is limited to coil-arrays as the reconstruction pipeline implicitly decimates the data by a factor of 2 and uses parallel MRI to reconstruct two fully sampled datasets. However, this limitation is not significant given the widespread usage of coil-arrays in clinical practice. It is important to notice that as the reconstruction pipeline implicitly undersamples the data in the phase-encode direction, the selection of phase and slice-encode directions should be carefully performed even in the unaccelerated acquisitions, in order to minimize the residual aliasing of the parallel MRI reconstruction. Another drawback of the proposed technique is that an additional acquisition of the center of k-space is required for the reconstruction, which increases the total acquisition time. Nevertheless, a further improvement in the SNR is also obtained as the additional lines are included in the reconstruction process. Also the total scan time is still less than the unipolar acquisition. Finally, we noticed that residual phase errors might remain after the complex summation step at the locations of low signal; this has only occurred at the edges of the coil where typically low signal is received.

## 4.6 Conclusion

A new bipolar acquisition strategy that provides accurate fat quantification in shorter scan time has been demonstrated. The interleaved bipolar sequence is shown to be more efficient for fat quantification as it benefits from the advantages of bipolar readouts, while producing fat measurements as accurate as the well-established unipolar acquisitions. The proposed acquisition and reconstruction technique compensates for the alternating phase and amplitude errors without requiring correction algorithms. Phantoms and *in vivo* experiments were conducted and accurate fat fraction maps with higher SNR efficiency were demonstrated.

## Acknowledgments

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*“Do what you can, with what you have, where you are”  
- Theodore Roosevelt*

## Chapter 5

# An Efficient Chemical-shift Encoded Acquisition for *in-vivo* Applications<sup>1</sup>

### 5.1 Introduction

Obesity represents a huge burden on the healthcare system in Canada and worldwide. Measuring and localizing the distribution of fat in the human body is important for obesity-related research. For example, it was shown that the visceral fat in the body is a better and independent predictor for obesity-related diseases than total the Body Mass Index (BMI) [1]. Chemical-shift imaging has been therefore employed in this task for its ability to separate the fat component from the water. It has been used to visualize and quantify the distribution of fat in various human organs [2-12]. Applications include measuring the total body fat [13] and separating

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<sup>1</sup> This chapter is adapted from an article currently in submission: Soliman, A.S., Friesen-Waldner, L.J., Sinclair, K.J., Regnault, T.R.H., Peters, T.M., and McKenzie, C.A. An Efficient Chemical-shift Encoded Acquisition for *in-vivo* Applications. *Journal of Magnetic Resonance Imaging* (2014).

different abdominal fat compartments such as visceral and subcutaneous fat depots [14].

Animal models are extensively used to research human obesity for ethical and practical reasons. For example, animals can be regulated on specific diets while monitoring the accompanying anatomical and physiological changes over time on different organs. Animal models allow better regulated observation of the effects of obesity with fewer barriers to research than in humans. Furthermore, they have short generation time, which allows studying the effect of obesity over several generations. Mice, rats hamsters, rabbits and guinea pigs can be used as experimental models, where the disease to be investigated is experimentally induced in the healthy animal for further study.

Guinea pigs models are used in obesity research due to their similarity to humans in regard to metabolic aspects [15, 16]. For example, they show evidences of similar hepatic cholesterol concentrations and synthesis as humans. Guinea pigs models are used to study the effect of different dietary fat and cholesterol on hepatic metabolism [17-19], lipid accumulation [20], lipoprotein metabolism [15], whole body and hepatic cholesterol synthesis [21], atherosclerosis [15, 16], metabolic syndrome [17] and type-II diabetes mellitus [16]. They accumulate adipose tissue during intrauterine life similar to human fetuses [22], and hence they become a suitable model to explore human adiposity, particularly in early stages of life.

Chemical-shift encoded water/fat imaging has been previously utilized for fat quantification in the animal model [23-28]. Multi-echo gradient echo sequences are usually used, where 6 echoes are acquired as recommended for fat quantification [23, 27, 29]. As discussed in Chapter 4 these acquisitions often employ unipolar readout gradients, which are less efficient than bipolar acquisitions.

In Chapter 4, a new bipolar acquisition/reconstruction strategy for water/fat imaging was proposed. The technique demonstrated its efficiency and its accuracy in phantom and human experiments. In this chapter we will utilize our new bipolar sequence in animal experiments, allowing the acquisition of all the echoes within approximately half the acquisition time of the unipolar sequence. Additionally, we show that the interleaved bipolar sequence can acquire the data with higher resolution (approximately half the voxel size) within the same time frame as conventional unipolar sequences. Moreover, we compare the SNR maps of both sequences, demonstrating the efficiency of the interleaved bipolar sequence. Alternatively, the number of echoes can be doubled using the proposed bipolar sequence, benefiting from the short acquisition time. This chapter widens the scope through which we can benefit from the proposed bipolar sequence, by proving its efficiency in animal models.

## 5.2 Methods and Experiments

### 5.2.1 MRI Acquisition

The experiments were carried out under ethical approval granted by the Animal Use Subcommittee of the Office of Research Ethics at Western University, Canada. Four guinea pigs, born in our facility, were fed a normal chow diet since birth. MRI scanning was performed on the animals at approximately 3 months of age. In preparation for scanning, the guinea pigs were anesthetized with isoflurane (4% initially and maintained at 1.5 to 2% isoflurane with oxygen) and a catheter was inserted into a vein in the foot. Breathing rate and temperature were monitored and held constant throughout the experiment. All experiments were performed on a 3T MR system (Discovery MR 750, GE Healthcare, Waukesha, WI). Both unipolar and interleaved bipolar acquisitions were performed on all the animals using a cardiac receive-only 32 coil array. An investigational version of multi-echo 3D IDEAL-SPGR was modified to acquire data in an interleaved bipolar readout scheme, as shown in

Chapter 4. We used a unipolar sequence adapted from a protocol employed in measuring hepatic fat fraction in guinea pigs [27]. Similar echo spacings were targeted in all comparisons in order to achieve same noise performance [30-33]. Consequently, all interleaved bipolar acquisitions were obtained in a single shot (echo-train-length =6), while 2 shots (echo-train length = 3) were used in all unipolar acquisitions. The size of the additional calibration lines of all the interleaved bipolar acquisitions was fixed to  $k_y \times k_z = 28 \times 28$  lines.  $T_1$ -related bias was minimized in all acquisitions by using low flip angle ( $= 3^\circ$ ). Four acquisitions were performed on each guinea pig as follows:

- A. A 6-echo unipolar acquisition with  $ETL=3$ ,  $TR/TE1/\Delta TE = \sim 13.0/1.22/1.02$  ms,  $FOV = 26 \text{ cm} \times 15.6 \text{ cm}$ , flip angle =  $3^\circ$ , slice thickness = 0.9 mm, bandwidth =  $\pm 142.86 \text{ KHz}$ , number of excitations (NEX) = 3. Whole animal coverage was achieved using an acquisition matrix =  $276 \times 182 \times 84$  for guinea pigs 1 and 2, and  $276 \times 182 \times 88$  for guinea pigs 3 and 4. Therefore the voxel dimensions were  $0.94 \times 0.86 \times 0.9 \text{ mm}^3$  (voxel size =  $0.728 \text{ mm}^3$ ). Parallel imaging acceleration was not used. Total acquisition time was approximately 20 mins.
- B. A 6-echo interleaved bipolar acquisition with  $ETL = 6$ ,  $TR/TE1/\Delta TE = \sim 13.0/1.25/1.29$  ms. All other acquisition parameters are the same as the unipolar sequence in (A). Parallel imaging acceleration was not used. Total acquisition time was approximately 10 mins.
- C. A 6-echo unipolar acquisition with an outer acceleration factor of  $1.42 \times 1.42$  to achieve similar acquisition time as the interleaved bipolar in (B). All other acquisition parameters were kept the same as in (A).
- D. A high resolution 6-echo interleaved bipolar acquisition, where the spatial resolution of the bipolar sequence (B) was increased till the acquisition time equals the unipolar sequence (A) (i.e.  $\sim 20$  mins). Here we considered the acquisition time of the unipolar sequence in (A) as the baseline, and we



therefore utilized the short acquisition time of the bipolar sequence in (B) to obtain higher spatial resolution. Whole animal coverage was achieved using acquisition matrix =  $276 \times 278 \times 108$  for guinea pigs 1 and 2, and =  $276 \times 278 \times 112$  for guinea pigs 3 and 4, with slice thickness of 0.7 mm for all 4 guinea pigs. The voxel dimensions were  $0.94 \times 0.56 \times 0.7 \text{ mm}^3$  (voxel size =  $0.368 \text{ mm}^3$ ). All other acquisition parameters were kept the same as in (B).

As noted, the resolution is doubled in (D) as the voxel volume is approximately half the size of that in (A). It is important to notice that in order to preserve similar echo-spacing as the unipolar sequence in (A), the resolution was only increased in the phase- and slice-encode directions. This will preserve similar noise performance between the sequences in comparisons (i.e. A and D) [30-33].

We found that the size of the acquired data from the high resolution interleaved bipolar sequence in (D) was too large to be handled by the current available processing unit. Hence, only half the number of slices prescribed in (D) was acquired for each guinea pig, while the number of excitations (NEX) was set to 6 (instead of 3 originally) to compensate for the loss of SNR resulting from acquiring half the prescribed slice-encodes. Consequently the acquisition time was kept at ~20 mins as prescribed. In all experiments, noise-only scans were acquired at the same bandwidths and amplitude gains as the corresponding unipolar and interleaved bipolar sequences, in order to correctly calculate and scale the noise covariance matrix [34, 35].

## 5.2.2 Water/Fat Reconstruction

The acquired raw data were processed on an Intel i7 CPU with 6-cores @ 3.2 GHz and 48 GB of RAM. The interleaved bipolar acquisitions were reconstructed as described in Chapter 4. Positive and negative lines were separately processed using Conjugate-gradient SENSE reconstruction [36]. The resulting positive and negative datasets were complex-added and then fed into Max-IDEAL [37, 38] to generate water and fat components.  $T_2^*$  decay and accurate fat spectrum were both included in the reconstruction to minimize the related-bias [11, 29, 39, 40], as well as to avoid water/fat swaps [37]. A pre-calibrated fat spectrum was used with the frequency and amplitude values described in [37]. The inclusion of  $T_2^*$  effect in the Max-IDEAL labeling stage was done using 4 initial  $T_2^*$  values: 5, 10, 50 and 60 ms. The smoothing parameter  $\beta$  was set to 1.5 in all unipolar and bipolar experiments. All other parameters of MAX-IDEAL were kept at the default values described in [37]. The Potts labeling stage in Max-IDEAL was accelerated on a graphics processing unit (GPU) NVIDIA GeForce GTX 660 with 960 CUDA cores. SNR maps were calculated using the generalized pseudo-replica method [35]. Normalized SNR efficiency maps were calculated by normalizing for the acquisition time and for the voxel dimensions.

### 5.3 Results

Water and fat components were successfully reconstructed from all unipolar and interleaved bipolar sequences from the 4 guinea pigs. In the first experiment the scan was interrupted to double-check the vital signs of the guinea pig; the MR table was moved out and the animal was re-located. The noise scan was not employed in the SNR calculation of this experiment. In the same experiment, we found that the high resolution sequence described in (D) produced a raw-data file with a size that exceeded the maximum available storage disk mounted on the MR console machine. Hence, sequence (D) for the first guinea pig was repeated in a separate day after replacing the hard drive, and its SNR measure was excluded from the comparisons. SNR efficiency maps of all 4 sequences were calculated for the other 3 animals using the noise covariance matrix. To compare the high resolution sequence (D) with the other sequences, we manually selected the closest slice with similar anatomy to the other sequences.

In all comparisons, the interleaved bipolar sequences (B and D) have consistently demonstrated higher SNR efficiency for water and fat components compared to the unipolar sequences (A and C). An exception to that is around the diaphragm where the respiratory motion artifacts cause noticeable SNR drop (See Discussion section).

A typical example is presented in Figures 5.1-5.3. The water component with corresponding SNR efficiency maps from each of the 4 sequences are shown in Figure 5.1. Similarly, the fat component and its SNR efficiency are shown in Figure 5.2. In all comparisons, the accelerated unipolar sequence has the lowest SNR efficiency (sequence C) while the high resolution interleaved bipolar (sequence D) shows the highest efficiency. As shown in Figures 5.3, accurate fat fraction maps from the interleaved bipolar sequences were also obtained. Phase and magnitude errors were completely negligible in all the bipolar acquisitions.

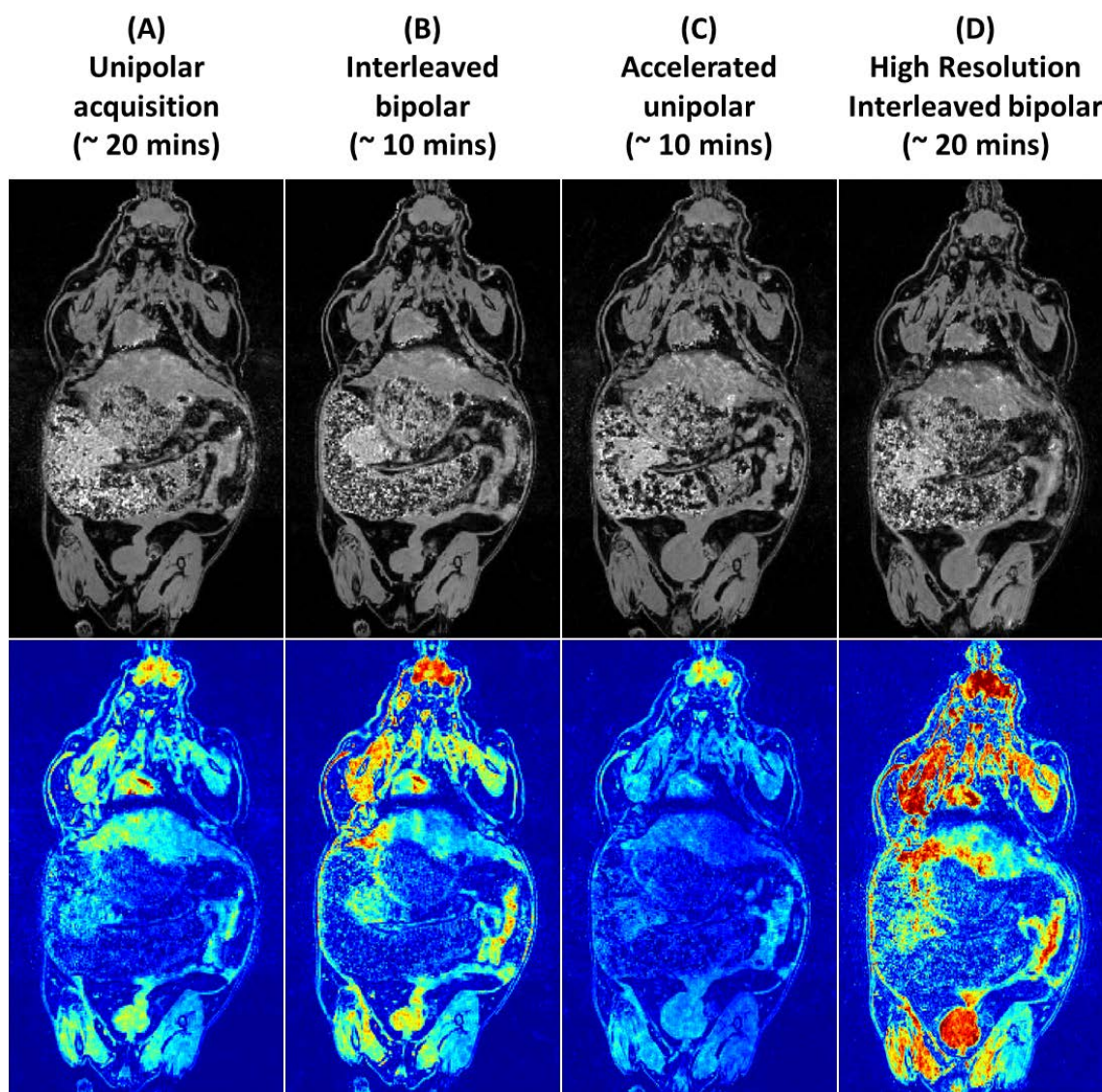


Figure 5.1: The water component (upper row) and its corresponding SNR efficiency map (lower row) from the four sequences. The interleaved bipolar sequences (B and D) demonstrate higher SNR efficiency compared to the corresponding unipolar sequences (A and C)



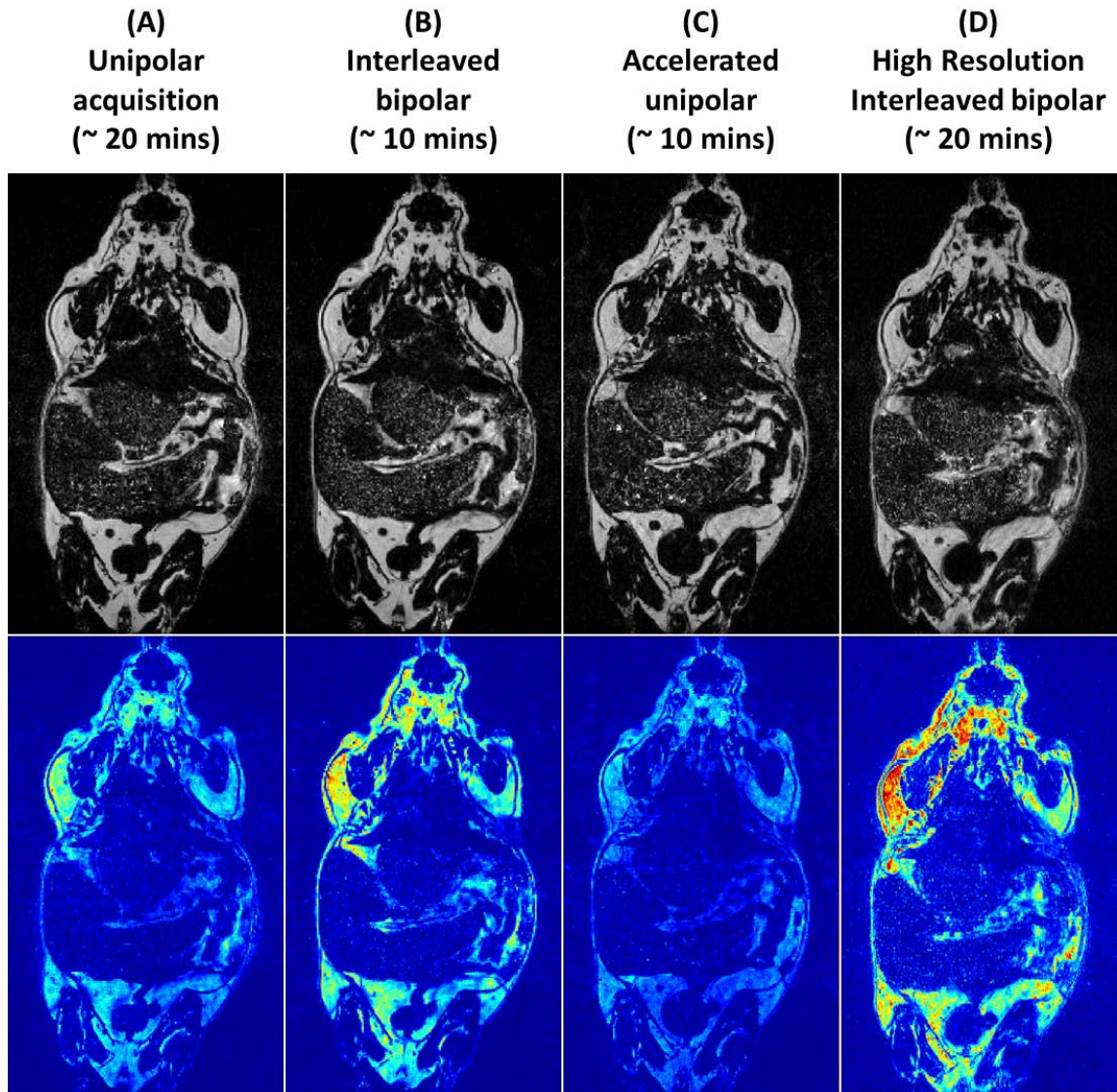


Figure 5.2: The fat component (upper row) and its corresponding SNR efficiency map (lower row) from the four sequences. The interleaved bipolar sequences (B and D) demonstrate higher SNR efficiency compared to the corresponding unipolar sequences (A and C)

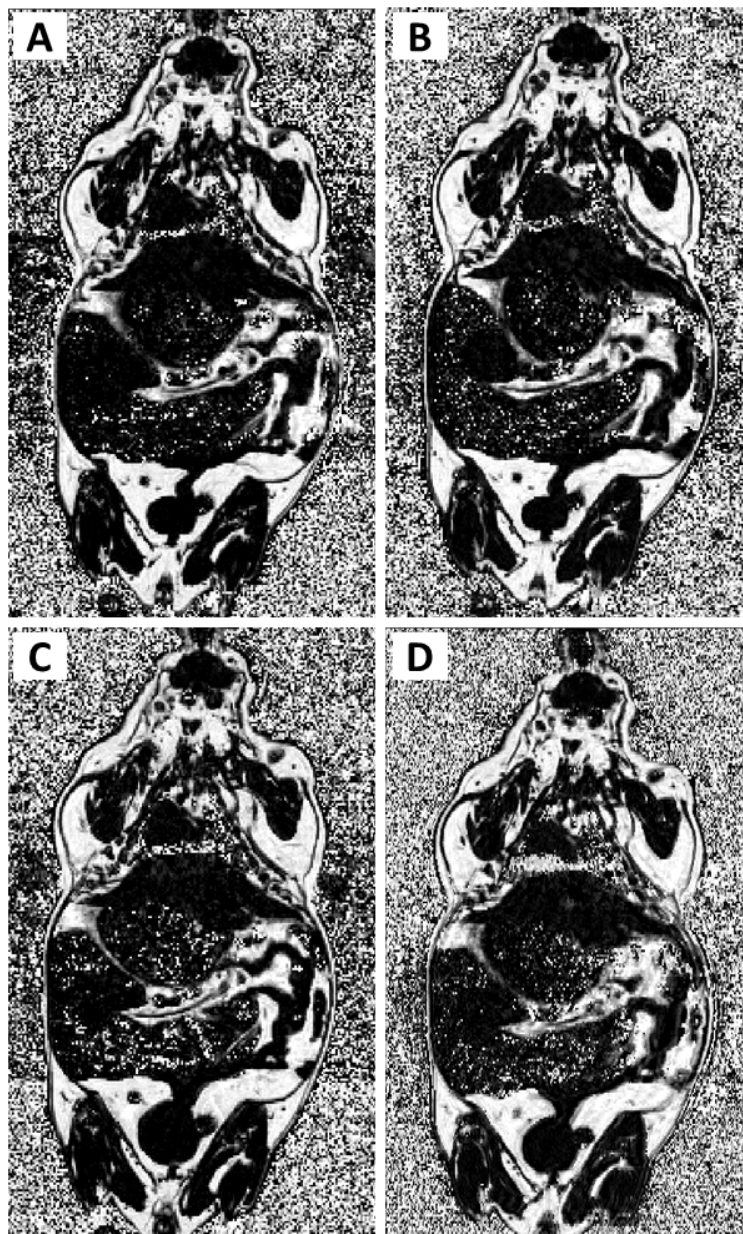


Figure 5.3: The fat fraction images from the four sequences. (A) Unipolar, (B) Interleaved bipolar, (C) Accelerated unipolar, (D) High resolution interleaved bipolar. Accurate fat fraction was obtained with the interleaved bipolar sequences compared to their corresponding unipolar sequences.

Figure 5.4 demonstrates the ability of the high resolution interleaved bipolar sequence (D) to clearly depict adipose tissue structures that cannot be identified using the unipolar sequence (A), without further increase in the acquisition time. Subcutaneous and intra-abdominal adipose tissue structures can be identified using the interleaved bipolar sequence (D), while partial volume effects prevent the clear depiction of the same structures in the unipolar sequence (A).



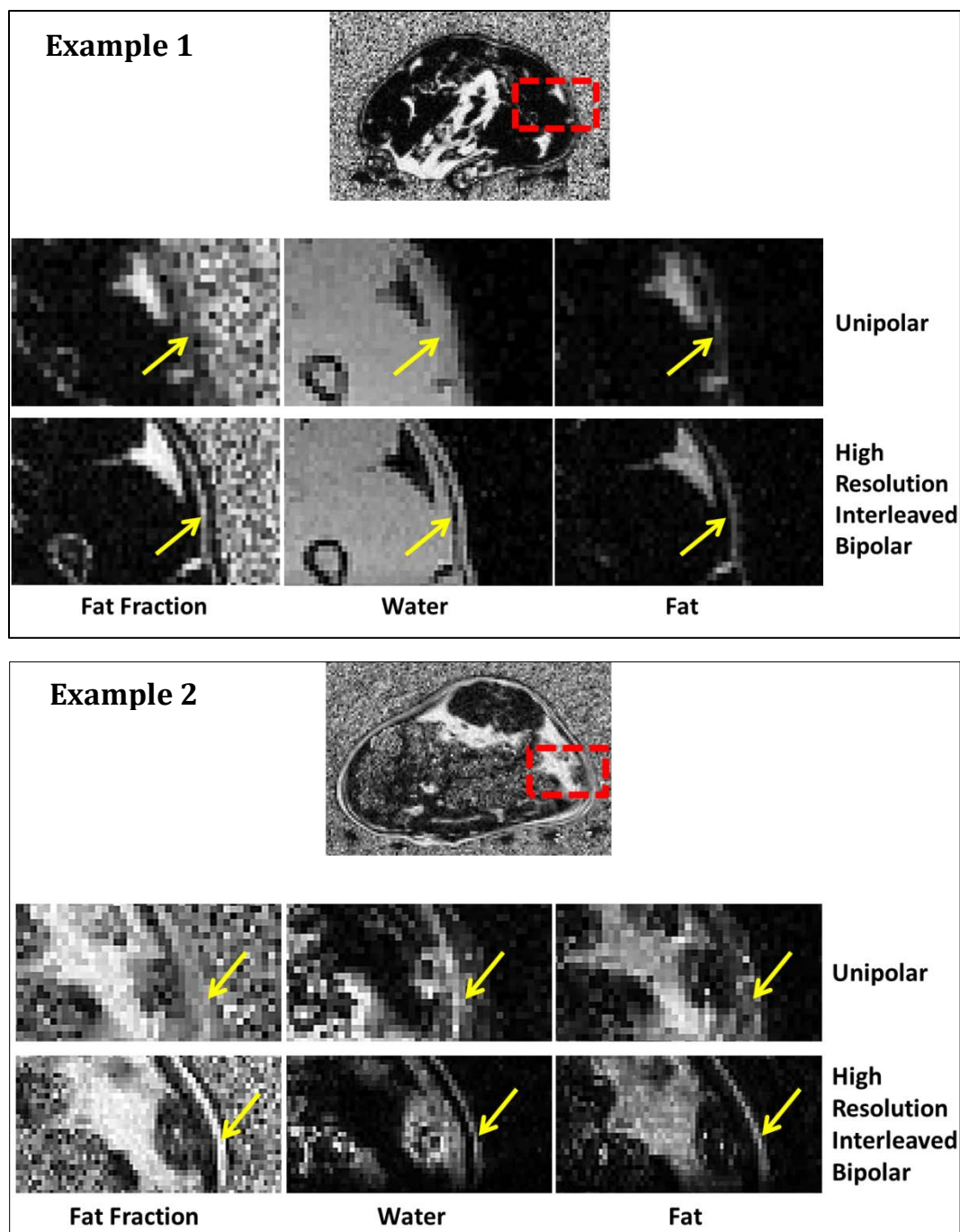


Figure 5.4: Fat fraction, water and fat images from 2 different slices are shown. For each example, the top image is an axial reformat of a fat fraction map from the unipolar sequence. A zoomed view of the region highlighted inside the red box is shown. The arrows indicate the anatomical structures that were clearly identified in the high resolution interleaved bipolar images, while they are not clearly depicted in the unipolar results.



## 5.4 Discussion

In this chapter we demonstrated the efficiency of the interleaved bipolar technique for in-vivo applications in animal models using 4 different sequence protocols:

*Unipolar sequence (A) vs. interleaved bipolar sequence (B):*

The bipolar acquisition scheme does not employ flyback gradients and hence optimal echo-spacing for a 6-echo acquisition was achieved in one TR (ETL = 6). This has significantly shortened the total acquisition time: ~10 mins using (B) compared to ~20 mins using (A), while providing accurate fat fraction maps. This suggested that the interleaved bipolar technique (B) is a more efficient alternative to the unipolar sequence (A).

*Accelerated unipolar sequence (C) vs. interleaved bipolar sequence (B):*

Remarkable SNR loss of both water and fat can be noticed using parallel imaging acceleration in (C) compared (B), confirming that the interleaved bipolar is a better option for faster acquisition.

*Unipolar sequence (A) vs. high resolution bipolar sequence (D):*

The resolution was doubled using the interleaved bipolar sequence within the same scan time as the unipolar sequence. Accurate fat fraction and higher SNR efficiency were also achieved.

Taking the unipolar sequence (A) as a baseline for our comparisons, there are several ways to benefit from the short acquisition time of the interleaved bipolar scheme. One straightforward way is to double the number of excitations (NEX) to enhance the SNR. A second alternative is to double the number of echoes, which can potentially enhance the noise performance of the resultant species. Here we chose to double the spatial resolution by increasing the number of phase and slice encodes. For comparisons, however, the frequency resolution was not altered in order to preserve similar echo-spacing as the unipolar sequence (A) and therefore similar noise performance [30-33]. For a single-shot acquisition, higher spatial resolution in the frequency-encode direction will result in larger echo-spacing in

sequence (D) and hence degraded image quality [30-33]. On the other hand, multiple shots in (D) can achieve better echo-spacing (and hence better noise performance) than its corresponding in (A). In practice it is possible to acquire the interleaved bipolar sequence on multiple shots, which will enhance the noise performance (better echo-spacing) but will increase the total acquisition time.

We noticed in some cases that there is a more significant SNR loss around the diaphragm in the interleaved bipolar (B) than its corresponding unipolar sequence (A). We also found more significant breathing motion artifacts in 2 out of 4 animals in the interleaved bipolar (B) than unipolar (A). We concluded that the interleaved bipolar technique is potentially more sensitive to motion artifacts, as it acquires two k-space centres (with positive and negative readout gradients) at two different time frames. The resultant complex-added images therefore might exhibit significant motion artifacts. For respiratory motion particularly, this problem can be easily addressed by using respiratory-gated imaging. Furthermore, in human applications, abdominal and thoracic water/fat imaging is often combined with either respiratory-gating or performed during breath-holds, which will prevent possible breathing motion. The interleaved bipolar might be, however, more sensitive to other non-gated/unexpected sources of motions (e.g. physical motion of patient). However, faster acquisitions ( $\sim$  half scan time) are always achieved with the interleaved bipolar sequence compared to the unipolar one. Hence it is a trade-off between the acquisition speed and the potential reduction of motion artifacts.

## 5.5 Conclusion

In this work, we demonstrated that the interleaved bipolar sequence is more efficient than its counterpart unipolar sequence for *in-vivo* applications. An imaging protocol previously used for guinea pig fat quantification [27] was adopted and used as the baseline of the comparisons. The interleaved bipolar technique produced accurate fat fraction map in half the acquisition time of the unipolar and achieved double the resolution of the unipolar sequence within the same scan time. Higher SNR efficiency with accurate fat fraction maps were achieved in all experiments, suggesting that the interleaved bipolar is a better alternative for *in-vivo* applications than the current unipolar sequence employed in clinical practice.

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*“Science is a wonderful thing if one does not have to  
earn one’s living at it”  
- Einstein*

## Chapter 6

# Conclusion and Future Work

### 6.1 Summary

Clinical and scientific interest in fat quantification using MRI has grown remarkably in the last decade. Quantifying the tissue fat concentration is important for several diseases in various organs including liver [1], heart [2], skeletal muscle [3, 4] and kidney [5] as well as quantifying white and brown adipose tissue [6, 7]. The growing of clinical need for fat quantification is accompanied by the need to establish accurate biomarkers for quantification [8]. Proton Density Fat Fraction (PDFF) is currently, by consensus, the most appropriate and practical MR-based biomarker for measuring tissue fat concentration [8]. It is the ratio of density of mobile protons from fat to the total density of mobile protons from both fat and water. PDFF can be generated by either spectroscopy (MRS)-based or imaging-based methods. Both techniques rely on the chemical-shift between water and fat. However, MRS-based methods generate single-voxel measurements, while imaging-based methods are capable of producing fat concentration maps for the entire organ(s) under

examination. Chemical-shift encoded imaging acquires several images at different echo-times where water and fat exhibit different phase shifts [9]. Post-processing techniques are then applied to separate both water and fat components. PDFF is consequently calculated by dividing the ratio of the fat signal by the total signal from both species, obtaining fat fraction map. In order to obtain an accurate PDFF map, several confounding factors must be considered, such as the magnetic field inhomogeneities [10],  $T_1^*$ -related bias [11],  $T_2^*$  decay [12] and the complex frequency spectrum of fat [13], noise-related bias [11] and eddy currents [14, 15]. Once all the factors are considered, the PDFF will reflect the underlying fat concentration, which is a characteristic property of the tissue. While several techniques were proposed to address the confounding factors, there is extensive ongoing research to improve the precision and the reproducibility of the PDFF measurements for clinical use.

In this dissertation we proposed new acquisition and reconstruction techniques to address several challenges to accurate MRI fat quantification. Chapter 2 and 3 proposed new reconstruction techniques, while Chapter 4 and 5 demonstrated a new acquisition scheme with its *in-vivo* applications.

### **6.1.1 A Convex Relaxation Approach to Water/Fat Separation with Minimum Label Description (Chapter 2)**

In Chapter 2 a novel technique to estimate magnetic field inhomogeneities is proposed [16]. Resolving the local frequency variations in the main magnetic field represents the main obstacle for water/fat separation process. Previous work relied on spatial smoothness constraints; while the presented method employed a multi-labeling model to resolve the ambiguity of the estimation. The field map is generated using a convex-relaxed multi-labeling model, where each label represents a frequency offset. To reduce the vulnerability of converging to local minima an additional cost is added to penalize the number of employed labels. This will enforce fewer labels to be used in the minimization process, and hence improves the

performance of the field map estimate. The estimate is subsequently refined using an iterative gradient-descent based IDEAL process. The signal model incorporates the complex multi-peak fat spectrum. Experiments were performed using low flip angle to minimize the  $T_1$ -related bias.  $T_2^*$  was not considered in this model. In-vivo experiments were performed on cardiac and abdominal datasets demonstrating correct water/fat separation. The results were compared against the widely-used region-growing method and have demonstrated significantly better performance in cases of abrupt changes in the magnetic field.

### **6.1.2 Max-IDEAL: A Max-Flow Based Approach to IDEAL Water/Fat Separation (Chapter 3)**

In Chapter 3 the convex relaxation method employed in Chapter 2 is optimized to improve the robustness of the water/fat estimation [17]. A new inclusive approach was employed to integrate the  $T_2^*$  decay in the estimation process, where few  $T_2^*$  values are summed up at each label during the labeling process. The resultant field map estimate becomes therefore more representative of the signal model and more robust to local minima. In addition, an adaptive spatial filtering was introduced after the labeling procedure to enhance the performance of the method. A continuous max-flow approach was employed to address the labeling model, while  $T_2^*$ -IDEAL is applied in the second stage; the technique is therefore called Max-IDEAL. Data provided by the ISMRM challenge 2012 on water/fat separation were used to demonstrate the robustness of the technique. The accuracy of water/fat separation was calculated by taking the ratio of voxels with correct separation to the total number of voxels (excluding background noise). Max-IDEAL scored 98.44% success rates from all processed cases. Comparisons against recent robust techniques such as the graph-cut and FLAME methods were also performed on *in-vivo* data, demonstrating successful water/fat separation while the other methods failed.

### 6.1.3 Fat Quantification Using an Interleaved Bipolar Acquisition (Chapter 4)

In Chapter 4 we propose a novel acquisition scheme for fat quantification using bipolar readout gradients. The proposed bipolar sequence is more efficient than the current unipolar sequence currently employed in clinical practice. A multi-echo bipolar acquisition is employed such that the even echoes have opposite polarity to the odd echoes. The readout gradients alternate their polarities every other phase-encode line. Each echo, therefore, consists of phase-encode lines with both positive and negative polarities. Phase-encodes acquired with the same polarity are grouped together, and parallel imaging reconstruction is used to obtain two full k-space maps with opposite readout polarities at all the echoes. By complex averaging, the inconsistent phase errors between odd and even echoes are removed and water/fat separation techniques employed with conventional unipolar sequences can be performed. The acquisition and reconstruction pipeline overcomes the bipolar artefacts known to corrupt the water/fat separation procedure. Phantoms and *in-vivo* experiments demonstrated accurate fat fraction and increased SNR efficiency compared to the established unipolar acquisition. Phase and magnitude artefacts from the bipolar acquisition were eliminated in all experiments.

### 6.1.4 An Efficient Chemical-shift Encoded Acquisition for *in-vivo* Applications (Chapter 5)

In Chapter 5 we demonstrated the efficiency of the interleaved bipolar sequence proposed in the previous chapter over the conventional unipolar acquisition in animal experiments. Chemical-shift encoded water/fat imaging is utilized in the animal model to visualize the fat distribution as well as to quantify the fat concentration. Fat and water images with high spatial resolution are required. Four guinea pigs were scanned using the unipolar and the interleaved bipolar acquisitions. A unipolar imaging protocol previously used for guinea pig fat

quantification was adopted and used as the baseline of the comparisons. The interleaved bipolar acquisition produced accurate fat fraction maps in half the acquisition time of its corresponding unipolar sequences (~10 mins vs. ~20 mins, respectively). Similar TE1 and echo-spacing were preserved to achieve similar noise performance in all comparisons. Using the interleaved bipolar sequence, the spatial resolution was doubled while keeping the same acquisition time as the standard unipolar sequence. Higher SNR efficiency with accurate fat fraction maps were achieved in all the interleaved bipolar compared to the unipolar sequences, suggesting that the interleaved bipolar is a better alternative for *in-vivo* applications than the current unipolar sequence employed in clinical practice.

## 6.2 Future Directions

### 6.2.1 Combining Multiple Smoothness Constraints To Improve The Robustness of The Field Map Estimation

In Chapter 2 and 3 we have presented two field map estimation techniques based on the multi-label Potts model, where each frequency offset is represented by a label in an initial estimate of the field map. The continuous max-flow algorithm minimizes the total perimeter of all labels [18]. As shown in chapter 3, this unique smoothness constraint was capable of resolving abrupt magnetic field inhomogeneities, while other techniques fail. However, Potts model does not impose any constraints on the spatial smoothness of the field map. From our experience on a wide variety of datasets including phantoms, animals (e.g. rats, mice and guinea pigs) as well as various human organs (abdomen, thorax, knee ankle and brain), both smoothness constraints might be needed. The graph-cut method [19] and its variant proposed by Berglund *et al.* [20] are two typical examples of robust spatial-smoothness-based techniques, while Max-IDEAL is the first technique that demonstrated the usage of total perimeter smoothness.

Techniques that solely rely on spatial smoothness might fail to resolve the ambiguity of abrupt magnetic field variations. On the other hand, total perimeter smoothness employed in the Max-IDEAL might fail to estimate the gradual change of magnetic inhomogeneities as no spatial constraints are assumed. The Adaptive Spatial Filter (ASF), described in Chapter 3, incorporates spatial information into Max-IDEAL before the labeling stage. However, it only uses morphological image processing operations which might not be sufficient when sophisticated variations in the magnetic field occur.

It is feasible to integrate the total perimeter smoothness constraint of Max-IDEAL with the spatial smoothness of graph-cut-based methods in the cost function to be minimized. Weighting these 2 different smoothness constraints, however, will play an important role in the robustness of the resultant technique. Fortunately, the energy minimization stage employed in both graph-cut-based methods and the Max-IDEAL are based on the max-flow/min-cut theory. Therefore, we think it is feasible to derive a combined optimization approach that combines the 2 smoothness terms of the 2 approaches. However, Max-IDEAL uses the continuous max-flow algorithm that is easily parallelized/accelerated on general-purpose graphics processing units (GPGPU), while the graph-cut algorithm cannot be efficiently parallelized. It is worth noting that Max-IDEAL employs a multi-label approach that can be significantly slower than binary labeling used in graph-cut-based methods, in case parallel computation hardware (GPGPU) is not used. Nevertheless, employing GPGPU renders the Max-IDEAL a faster field map estimation approach than its corresponding graph-cut method.

The spatial smoothness used in Berglund *et al.* [20] considers the periodicity of the cost function, while Hernando's graph-cut method does not consider it. Max-IDEAL, on the other hand, is not influenced by the periodicity of the cost function as shown in Chapter 3. It is important to consider this periodicity phenomenon when spatial smoothness is employed, particularly for the cases where severe abrupt changes exist in magnetic field [17].

## 6.2.2 Integrating Prior Knowledge of Anatomy into Max-IDEAL

One of the main challenges for any field map estimation algorithm is that it is required to be robust over a wide variety of applications and anatomies. The level of inhomogeneities in cardiac imaging, for example, can be more challenging than some skeletal muscle applications as knee imaging, due to the presence of air/tissue interfaces in the thorax. Few techniques benefit from the knowledge of the underlying anatomy in order to enhance the performance of the estimation. Inspired from recent techniques, we hypothesized that two anatomy-oriented concepts can be combined with the Max-IDEAL: 1) the Fat Likelihood Analysis for Multi-echo Signals (FLAME) [21] and 2) the prior estimation of susceptibility-induced field map [22].

FLAME [21] introduced an interesting perspective to “highlight” the locations of fat by generating a fat likelihood map of the underlying anatomy. Water-dominant pixels will have lower likelihood value while fat-dominant pixels will possess higher values. The map is produced by exploiting the spectral differences between water and fat using single-peak and multi-peak fat spectrum. The residuals of a cost function,  $R$ , are calculated at certain pixel using single-peak ( $sp$ ) and multi-peak ( $mp$ ) models, and then a fat likelihood map [21] is generated as follows:

$$\text{Fat Likelihood map} = \frac{R_{sp} - R_{mp}}{\max(R_{sp} - R_{mp})}$$

This map can be incorporated into Max-IDEAL as a weighing function to highlight the type of species at each pixel. However, this map can guide the field map estimation only at locations of low (<20%) or high (>80%) fat fractions, while its values will be undefined for locations with considerable mixtures of water and fat.

Another approach has been recently proposed by Sharma *et al.* [22] where a susceptibility map is estimated first before performing the water/fat separation. This method assumes that the field map is mainly caused by two factors: 1) the background shimming and magnet imperfections, 2) the susceptibility differences



between air and various types of tissues. Therefore they estimate the magnetic field variations caused by the susceptibility difference first then use it to demodulate the source images. Any water/fat separation technique can be subsequently performed using the demodulated source images, to estimate the final field map. Although this method can be applied prior to any field map estimation technique, however Max-IDEAL has the advantage of employing a non-spatial smoothness constraint which therefore will overcome erroneous estimation occurred from the spatial distribution of the susceptibility map.

### 6.2.3 A Standardized Accuracy Metric of Field Map

A standard measure of the field map accuracy does not exist. Visual inspection of water/fat swaps is the only approximate method to evaluate the accuracy of any estimate. An attempt to develop an image-based metric for field map was introduced by Smith *et al.* [23] in the first phase of ISMRM challenge 2012 for water/fat separation. However, they concluded that their metric-based strategy cannot be reliably used to select the best resultant field map, and this strategy was abandoned. First, a straightforward benefit of a standard metric is to automatically detect any potential water/fat swaps in the output. Although a 'swaps-free' result is desired, water/fat swaps located outside the area of interest will also be acceptable. Hence, the metric can be anatomy-specific, where the evaluation is only performed at the region of interest. Second, the effect of the exact field map values on the accuracy of the quantification is still unknown. One might find two techniques that generate 'swaps-free' field maps, while the exact values of the maps do not match. The reason is that water/fat swaps can be avoided once the estimated local frequency is within 3.5 ppm of the correct value, but the accurate value might not be achieved yet [10, 24].

### 6.2.4 Reduce The Vulnerability of the Interleaved Bipolar Sequence to Motion Artifacts

Motion artefacts can interrupt any acquisition, whether unipolar or interleaved bipolar, particularly if it occurs during the acquisition of the k-space centre. However, the interleaved bipolar requires the acquisition of 2 k-space centres, with the second centre acquired at the end of the scan. If motion occurred at one of the 2 centres, the motion artefacts will distort the contrast of the corresponding dataset (positive or negative), leading to more significant artefacts in the final result than its corresponding unipolar acquisition. This makes the interleaved bipolar acquisition more vulnerable to motion, particularly in breath-hold acquisitions if, for example, the patient breathed in the last few seconds. Respiratory, cardiac and the physical motion of patient are all potential sources of motion artefacts. One approach is to use cardiac- or respiratory- gating, which is frequently employed during abdominal/thoracic scans. In fact, the interleaved bipolar has the advantage of being more efficient than the unipolar in gated acquisitions, given its short acquisition time ( $\sim$  half) compared to the conventional unipolar. Another approach to reduce the vulnerability to motion is to acquire the second k-space centre directly following the first one, or employ a centre-out acquisition strategy, where both centres are acquired at the beginning followed by the high frequency fraction of the k-space.

### 6.2.5 Calibration-less Interleaved Bipolar Acquisition

One of the limitations of the interleaved bipolar sequence is that it requires 2 acquisitions of the k-space centre. The main purpose of the second acquisition of the centre is to use as a calibration set for parallel imaging reconstruction. Compared to conventional bipolar sequence, the additional acquisition of k-space centre prolongs the acquisition time and hence reduces the expected SNR efficiency. Calibration data-free parallel imaging reconstruction has been recently proposed by Shin *et al.* [25], where the reconstruction does not require a separate calibration step to

estimate coil sensitivity information. The multi-channel coils are structured into a single data matrix and then single value decomposition (SVD) analysis is performed in an iterative algorithm to decompose the signal from the noise subspaces. Employing this technique in the interleaved bipolar reconstruction will have two advantages: 1) It will shorten the acquisition time as no calibration centres are required, 2) it will reduce the vulnerability to motion artefacts as discussed in 6.2.4. However, a main challenge here is to preserve the correct phase of the signal after the reconstruction to guarantee a complete cancellation of phase and magnitude errors; otherwise erroneous fat fraction measures will be produced [26, 27].

### 6.3 Conclusion

In this dissertation we presented a complete framework for fat quantification using MRI. We presented novel acquisition and reconstruction techniques for fat quantification with *in-vivo* applications in animals and various human organs. The proposed reconstruction techniques addressed the confounding factors that hinder accurate quantification of tissue fat concentration, while the proposed acquisition technique enhances the efficiency of the acquisition compared to the sequences that currently used in clinical practice.

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# Ethics Approval



## Use of Human Participants - Ethics Approval Notice

Principal Investigator: Dr. Giles Santyr  
 Review Number: 10854E  
 Review Level: Delegated  
 Approved Local Adult Participants: 500  
 Approved Local Minor Participants: 0  
 Protocol Title: 3.0T MRI Software and RF Hardware Development  
 Department & Institution: Radiology, Roberts Research Institute  
 Sponsor:  
 Ethics Approval Date: January 27, 2011      Expiry Date: December 31, 2016  
 Documents Reviewed & Approved & Documents Received for Information:

Document Name	Comments	Version Date
Revised Study End Date	The new study end date is set to December 31, 2016 to allow for study completion.	
Change in Study Personnel	Cyndi Harper-Little is on leave and therefore the new contact is Trevor Szekeres.	

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**PI Name:** Regnault, Timothy

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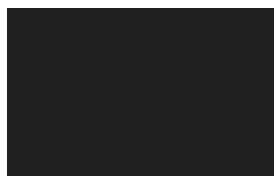
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## Curriculum Vitae

<b>Name:</b>	Abraam Soliman
<b>Post-secondary Education and Degrees:</b>	<p>2003 – 2008 <b>B.Sc.</b> Cairo University Cairo, Egypt</p> <p>2008 – 2010 <b>M.Sc.</b> Nile University Cairo, Egypt</p> <p>2010 – 2014 <b>PhD</b> The University of Western Ontario London, ON, Canada</p>
<b>Honors, Awards, and Scholarships</b>	<p>NSERC Computer-Assisted Medical Intervention (CAMI) Training Program, The University of Western Ontario 2012 – 2014</p> <p>CIHR Strategic Training Program in Vascular Research, The University of Western Ontario 2010 – 2012</p> <p>Western Graduate Research Scholarship, The University of Western Ontario 2010 – 2014</p> <p>Graduate Fellowship School of Communications and Information Technology, Nile University, Egypt 2008 – 2010</p> <p>ISMRRM Educational Stipend 2012, 2013, 2014</p> <p>Nominated for “Best Graduate Student Teaching” Award The University of Western Ontario 2012</p>

Third Best Poster,  
ISMRM Workshop on Fat-Water Separation  
2012

Honor Award  
Faculty of Engineering, Cairo University, Egypt  
2008

“Academic Outstanding” Award,  
Faculty of Engineering, Cairo University, Egypt  
2004 – 2008

**Related Work  
Experience**

Teaching Assistant  
The University of Western Ontario  
2010 – 2014

Mentoring a senior year Medical Biophysics student  
The University of Western Ontario  
2013

Hospital Intern  
Cairo, Egypt  
2005, 2006

**Patents  
(in preparation)**

An Efficient Interleaved Bipolar Magnetic Resonance Imaging  
Acquisition of Chemical Species

**Invited Talks**

Medical Image Analysis (MedIA) seminar series  
Robarts Research Institute, London, ON  
2013

**Poster  
Presentations:**

1. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Fat Quantification with an Interleaved Bipolar Acquisition*", 22nd ISMRM Annual Meeting, Milan, Italy, 1673 (2014)
2. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", Imaging Network Ontario Symp. (2014)

3. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", London Health Research Day (2014)
4. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", London Imaging Discovery Day (2014)
5. **Soliman AS**, Yuan J, Peters TM, McKenzie CA, "*3D Mapping of T2\* and B0 Inhomogeneities for Water/Fat Separation*", 21st ISMRM Annual Meeting, Salt Lake City, USA (2013)
6. **Soliman AS**, Yuan J, Peters TM, McKenzie CA, "*Validation of a Convex Relaxation Approach for Field Map Estimation*", 21st ISMRM Annual Meeting, Salt Lake City, USA (2013)
7. **Soliman AS**, Yuan J, Vigen K, White JA, Peters TM and McKenzie CA, "*Robust Field Map Estimation using VARPRO and Multi-labeling Continuous Max-Flow*", 20th ISMRM Annual Meeting, Melbourne, Australia (2012)
8. **Soliman AS**, Yuan J, Vigen K, White JA, Peters TM and McKenzie CA, "*Fast Field Map Estimation with Multi-labeling Continuous Max-Flow*", ISMRM Workshop on Fat-Water Separation, Longbeach, CA (2012)
9. **Soliman AS**, Yuan J, Vigen K, White JA, Peters TM and McKenzie CA, "*Fast Water/Fat Separation for Cardiac Imaging*", Imaging Network Ontario Symp. (2012)
10. **Soliman AS**, Kerwin WS, Osman NF, "*MR Harmonic Phase Surface for Tracking Cardiac Motion*" 13<sup>th</sup> Annual SCMR Scientific Session, (2010)
11. **Soliman AS**, Osman NF, "*3D Motion Tracking of the Heart Using Harmonic Phase (HARP) Isosurfaces*", SPIE, San Diego, CA (2010)

**Publications:  
Peer-reviewed  
Articles:**

1. **Soliman AS**, Friesen-Waldner LJ, Sinclair KJ, Regnault TRH, Peters TM, and McKenzie CA. "*An Efficient Chemical-shift Encoded Acquisition for in-vivo Applications*", Journal of Magnetic Resonance Imaging (in preparation).

2. **Soliman AS**, Wiens CN, Wade T, Peters TM, McKenzie CA, "*Fat Quantification using an Interleaved Bipolar Acquisition*", completed for submission to Magnetic Resonance in Medicine.
3. **Soliman AS**, Yuan J, Vigen KK, White JA, Peters TM, McKenzieCA, "Max-IDEAL: A Max-Flow Based Approach for IDEAL Water/Fat Separation", Magnetic Resonance in Medicine, 2014; 72 (2): 510-521.
4. Addeman BT, Kutty S, Perkins TG, **Soliman AS**, Wiens CN, Mc-Curdy CM, Beaton MD, Hegele RA, McKenzie CA, "*Validation of Volumetric and Single Slice MRI Adipose analysis using a novel Fully Automated Segmentation method*", J Magnetic Resonance Imaging, 2013 (in press) DOI: 10.1002/jmri.24526
5. Jolly U, **Soliman AS**, McKenzie C, Peters TM, Stirrat J, Brymer M, Joy T, Drangova M, White A, "*Intra-Thoracic Fat Volume is Associated with Myocardial Infarction in Patients With Metabolic Syndrome*", J of Cardiovascular Magnetic Resonance, 2013; 15:77
6. **Soliman AS**, Yuan J, White JA, Peters TM and McKenzie CA, "*A Convex Relaxation Approach to Fat/Water Separation with Minimum Label Description*", LNCS 7511 - Medical Image Computing and Computer-Assisted Intervention (MICCAI), 2012; 519-526

#### Conference Proceedings:

1. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Fat Quantification with an Interleaved Bipolar Acquisition*", Proc. 22nd ISMRM, Milan, Italy, 1673 (2014)
2. McCurdy CM, Addeman BT, Wiens CN, Friesen-Waldner LJ, Wade TP, Harris JK, **Soliman AS**, Sinclair KJ, McKenzie CA, "*Automated Volumetric Fat Quantification of Adipose Tissue in Mice*", Proc. 22nd ISMRM, Milan, Italy, 2145 (2014)
3. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", Imaging Network Ontario Symp. (2014)
4. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", London Health Research Day (2014)



5. **Soliman AS**, Wiens CN, Wade T, Shimakawa A, Peters TM, McKenzie CA, "*Chemical-Shift Imaging with an Interleaved Bipolar Acquisition*", London Imaging Discovery Day (2014)
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8. **Soliman AS**, Yuan J, Peters TM, McKenzie CA, "*3D Mapping of T2\* and B0 Inhomogeneities for Water/Fat Separation*", Proc. 21st ISMRM, Salt Lake City, USA, 4277 (2013)
9. **Soliman AS**, Yuan J, Peters TM, McKenzie CA, "*Validation of a Convex Relaxation Approach for Field Map Estimation*", Proc. 21st ISMRM, Salt Lake City, USA, 2418 (2013)
10. McCurdy CM, Addeman BT, Wiens CN, Friesen-Waldner LJ, Wade TP, Harris JK, **Soliman AS**, Sinclair KJ, McKenzie CA, "*Interscapular Brown Adipose Tissue and Adipose Distribution in Magnetic Resonance Images of Mice*", NIH workshop on Exploring the Role of Brown Fat in Humans, Bethesda, MD (2013)
11. **Soliman AS**, Yuan J, Vigen K, White JA, Peters TM and McKenzie CA, "*Robust Field Map Estimation using VARPRO and Multi-labeling Continuous Max-Flow*", Proc. 20th ISMRM, Melbourne, Australia, 2508 (2012)
12. Addeman BT, Beaton M, Hegele RA, **Soliman AS**, Wiens CN and McKenzie CA, "*Validation of Fully Automatic Adipose Tissue Segmentation and Volume Quantification*", Proc. 20th ISMRM, Melbourne, Australia, 751 (2012)
13. Addeman BT, **Soliman AS**, Wiens CN and McKenzie CA, "*Volumetric Fat Quantification of Intra-Abdominal Adipose Tissue from a Single Breath Hold Acquisition*", Proc. 20th ISMRM, Melbourne, Australia, 4172 (2012)
14. Cui Y, Yang IY, Wade T, Wiens CN, **Soliman AS**, and McKenzie CA, "*Absolute Quantification of In Vivo Water and Fat Content*",

- Proc. 20th Annual Meeting of ISMRM, Melbourne, Australia, 363 (2012)
15. **Soliman AS**, Yuan J, Vigen K, White JA, Peters TM and McKenzie CA, "*Fast Field Map Estimation with Multi-labeling Continuous Max-Flow*", ISMRM Workshop on Fat-Water Separation, Longbeach, CA (2012)
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  21. **Soliman AS**, Osman NF, "*3D Motion Tracking of the Heart Using Harmonic Phase (HARP) Isosurfaces*", Proc. SPIE 7623, 76232C (2010)